

ilc Workshop, Valencia, Spain

10 November 2006

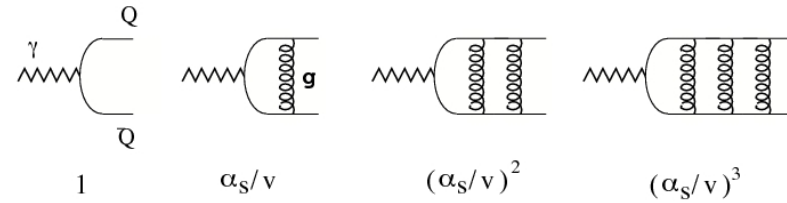
Summary of the Top/QCD Working Group

Conveners: Stewart Boogert, Phil Burrows, Juan Fuster, Andre Hoang, Thomas Teubner

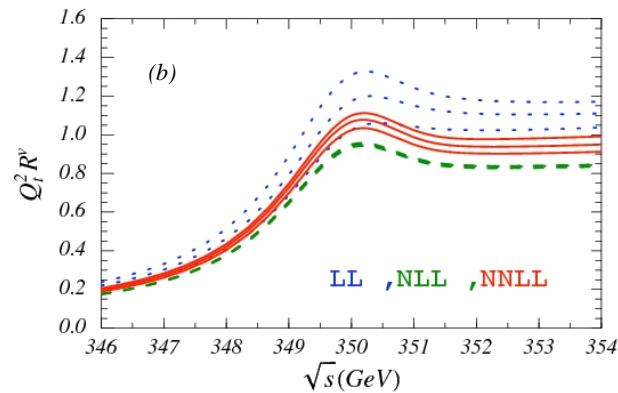
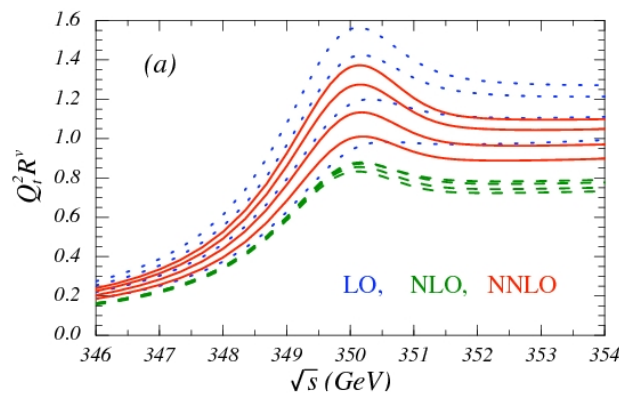
Top/QCD program

Contribution List		Time Table			
id ↓	date	dur.	type	title	presenters
96	2006-Nov-08 09:00	20'		Two-loop Bhabha scattering and luminosity determination at e+e- colliders	Dr. PENIN, Alexander
97	2006-Nov-08 09:20	20'		Dimension-six top-Higgs interaction and its effect in collider phenomenology	Dr. TSUMURA, Koji
98	2006-Nov-08 09:40	20'		Complete Higgs mass dependence of ttbar threshold production to order alpha alpha_s	STEINHAUSER, Matthias
99	2006-Nov-08 10:00	20'		New results for massive coloured pair production	Dr. RUIZ FEMENIA, Pedro
100	2006-Nov-08 10:20	20'		alpha_s at Giga-Z	WINTER, Marc
103	2006-Nov-08 11:15	20'		Fermionic corrections to the matching coefficient of the vector current	PICLUM, Jan
104	2006-Nov-08 11:35	20'		NLL ultrasoft running of QCD potentials	STAHLHOFEN, Maximilian
105	2006-Nov-08 11:55	20'		Top-antitop production near threshold with pNRQCD	PINEDA RUIZ, Antonio
106	2006-Nov-08 12:15	20'		Accelerator parameter impact on the top threshold mass	Dr. BOOGERT, Stewart

$t\bar{t}$ at threshold



- ★ We want m_t with better than **per mille** accuracy Heinemeyer et al.
 - EWSB (indirect m_H det.), SUSY parameters, low energy...GUT connection
 - ★ Threshold scan $e^+e^- \rightarrow t\bar{t}$ the only known way to achieve $\Delta m_t < \Lambda_{\text{QCD}}$
 - *counting* $bW^+\bar{b}W^-$ colour singlett states
 - ★ Threshold dynamics understood at NNLL and N³LO (nearly complete) (Steinhauser et al.)
 - *Effective Field Theories* (v,p)NRQCD; 1S (or PS) mass scheme, *not pole mass*
- $\sigma(e^+e^- \rightarrow t\bar{t})$, 1S scheme in a) 'fixed order', b) RG-improved: (Hoang+Manohar+Stewart+T)



Higher Order EW + QCD

current status for normalization uncertainties $\delta\sigma_{\text{tot}}/\sigma_{\text{tot}}$:

- fixed-order approach: NNLO (✓), NNNLO (partial) $\rightarrow \sim 20\%$
- renormalization-group improved: NLL_{QCD} (✓), NNLL (partial) $\rightarrow \sim 6\%$

aims of the workshop participants:

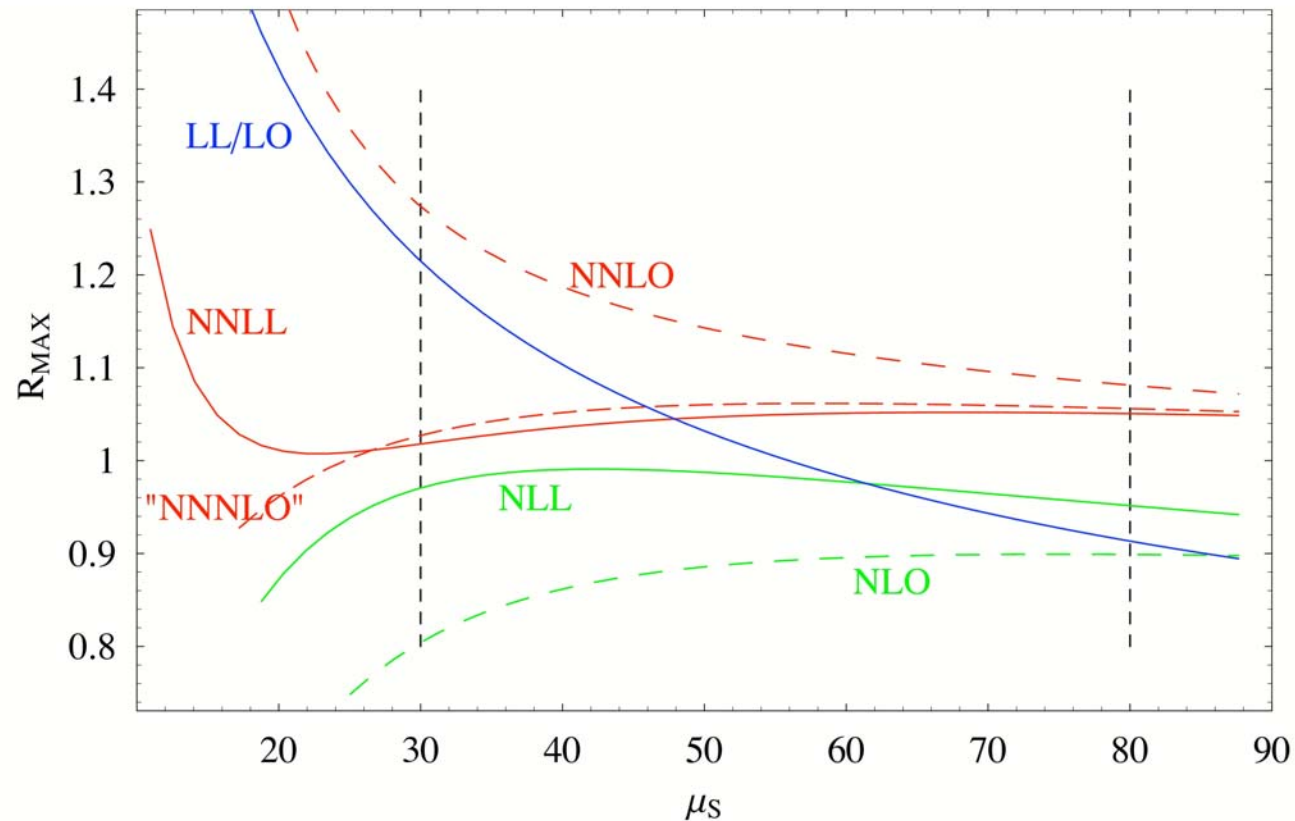
- FO approach: full $\text{NNNLO}_{\text{QCD}+\text{EW}+\text{lifetime}}$
- RGI approach: full $\text{NNLL}_{\text{QCD}+\text{EW}+\text{lifetime}}$ $\leftarrow \text{exp. req.: } \leq 3\%$
- Monte Carlo for simulations **Boogert, Gounaris**

contributions at Valencia:

- \rightarrow analysis on known NNLL_{QCD} corrections in pNRQCD **Pineda**
- \rightarrow new results on ultrasoft log summation (NNLL_{QCD}) in vNRQCD **Stahlhofen**
- \rightarrow $\mathcal{O}(\alpha_s)$ corrections to virtual Higgs exchange (NNNLO_{EW}) **Steinhauser**
- \rightarrow light quark n_f corrections to effective $t\bar{t}$ current ($\text{NNNLO}_{\text{QCD}}$) **Piclum**
- \rightarrow effects of finite top lifetime ($\text{NNLL}_{\text{lifetime}}$)
theory set-up for squark-antisquark pair threshold **Ruiz-Femenia**
- \Rightarrow lot's of ongoing work, much more work needed.

Fixed order vs resummed

Pineda



- Normalization (and peak position) stabilised by higher orders;
 - summation of leading logs important
 - N³LO improves NNLO considerably

Instability Effects

observable final state: $e^+e^- \rightarrow W^+W^-b\bar{b}$

“inclusive” treatment

Ruiz-Femenia

- ⇒ Optical Theory: effective complex indices of refraction for absorptive processes
- ⇒ NRQCD: contributions from **real Wb final states** included in EFT matching conditions to QCD+ew. theory (=SM)
 - complex Wilson coefficients & RGE's
 - effective Lagrangian **non-Hermitian**
 - total rates through the **optical theorem**
 - **phase space matching**: $\sigma_{tot} = \sigma_{tot}(\text{experimental cuts})$
 - interference: e.g. $\mathcal{M}(e^+e^- \rightarrow t\bar{t} \rightarrow WWb\bar{b}) \leftrightarrow \mathcal{M}(e^+e^- \rightarrow WWb\bar{b})$

Threshold top quark production

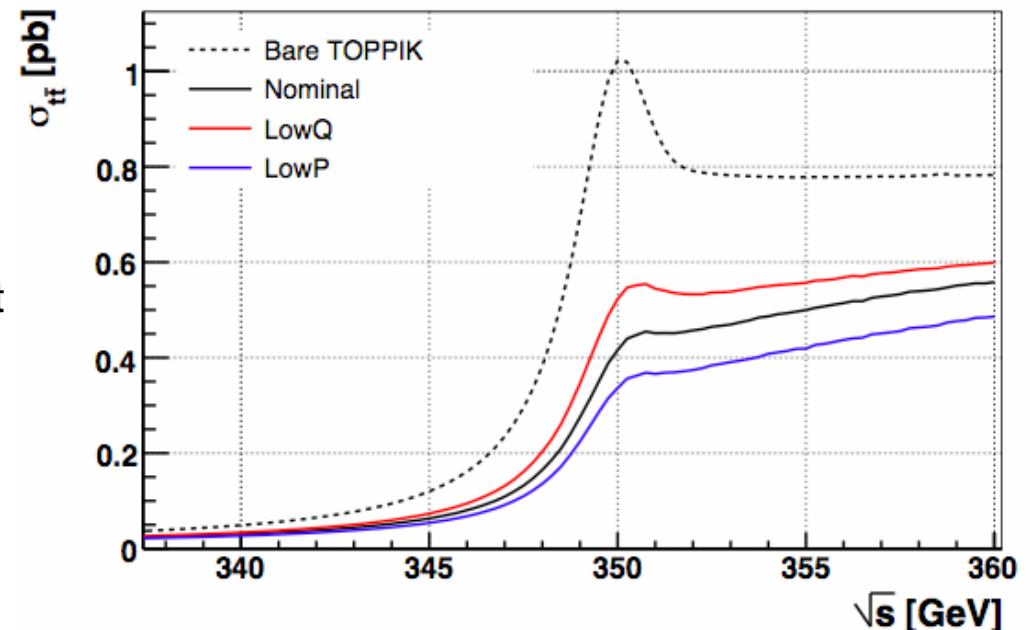
Boogert, Gournaris

- Experimental threshold complicated by beam effects

- Luminosity spectrum $\frac{dL}{d\sqrt{s}}$
- Absolute beam energy $\langle\sqrt{s}\rangle$

$$\sigma_{obs}(\sqrt{s}) = \frac{1}{L_0} \int_0^1 L(x) \sigma(x\sqrt{s}) dx$$

- Machine parameters (interaction point beam sizes) change beamstrahlung component of luminosity spectrum
- Increase beamstrahlung reduces effective luminosity at threshold
 - Small modification to shape

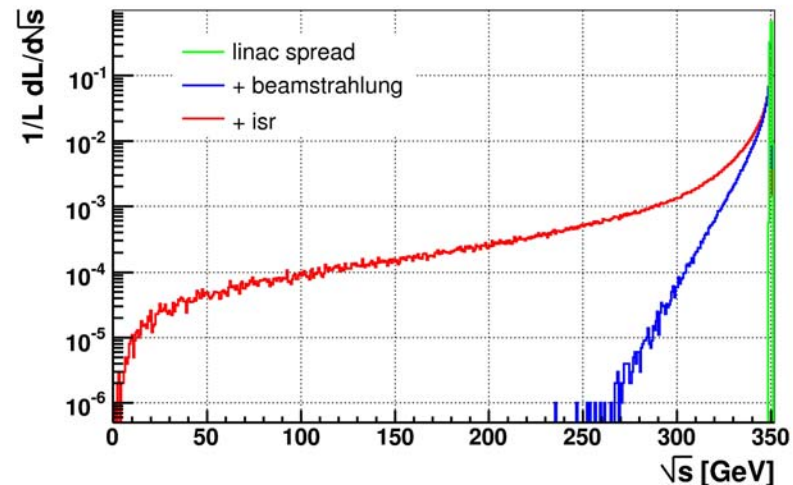
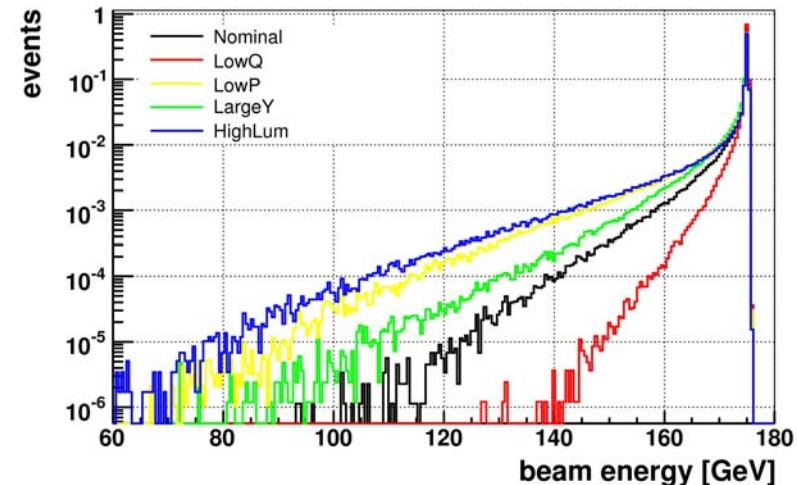


ILC accelerator parameters

Boogert, Gounaris

- Parameter group question

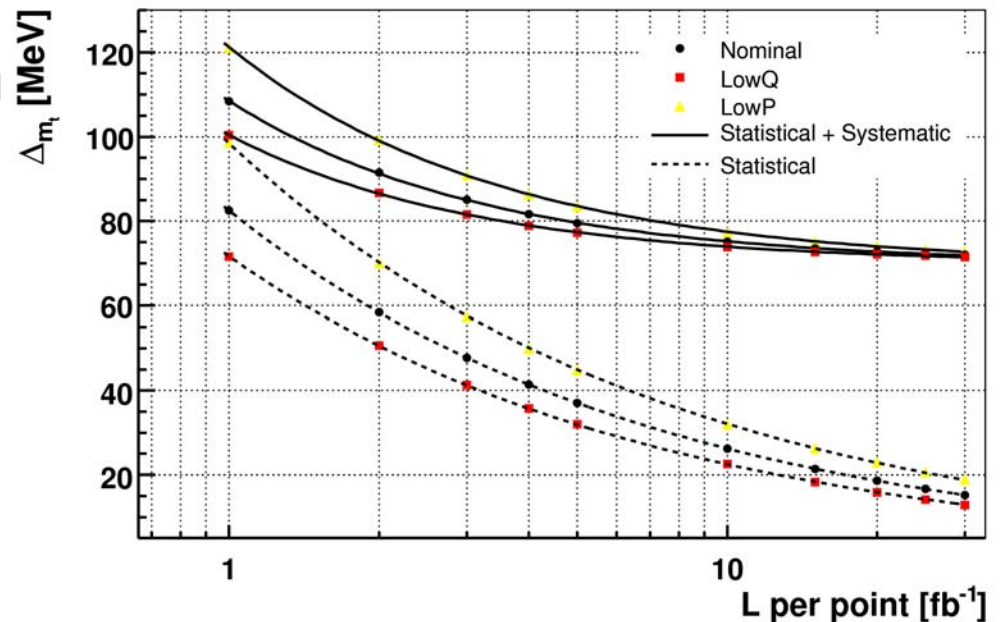
Is there any impact of decreasing (increasing) beamstrahlung by a factor of two relative to the standard parameters?
- Simulated 5 possible scenarios
Low-Q, Nominal, Large-Y, Low-P, High-L
- Simulated using Guinea-Pig
 - Fitted using CIRCE-like parameterization
- Total luminosity spectrum also includes
 - Intrinsic energy spread
 - Initial state radiation
- Bhabha acolinearity
 - Theoretical developments
 - New 2 loop calculations
 - Monte Carlo generators
 - Beamstrahlung extraction
 - Statistical error small
 - Systematic errors being evaluated



Projected total top mass error

Boogert, Gournaris

- Statistical error
 - Obtained directly from threshold fit
 - $\Delta m_t(\text{stat-fit}) = 100 \text{ to } 15 \text{ MeV}$
 - Depends on parameter set
- Theory error (estimate)
 - From theoretical uncertainty in threshold cross section
 - $\Delta m_t(\text{theory}) = 35 \text{ MeV}$
- Absolute beam energy scale
 - Assumed precision of beam energy diagnostics 1 part in 10^4
 - $\Delta m_t(\text{e-beam}) = 35 \text{ MeV}$
- Luminosity spectrum
 - Beamstrahlung component can be well measured
 - K. Mönig & S. Boogert
 - Systematic error studies ongoing
 - $\Delta m_t(\text{spectrum}) = 2 \text{ MeV and } 70 \text{ MeV}$



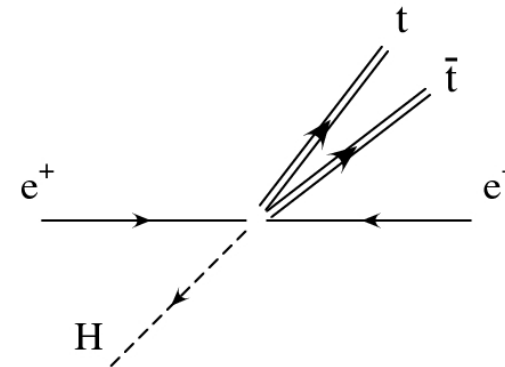
Top-Yukawa coupling y_t from $t\bar{t}H$

- Aim: measure top Yukawa coupling via $\sigma(e^+e^- \rightarrow t\bar{t}H) \sim g_{t\bar{t}H}^2$ at ILC.
- Challenging due to complicated final state, low rates, backgrounds,...
- Earlier analysis:
 - ILC (800 GeV, 1000 fb⁻¹): $\Delta g_{t\bar{t}H}/g_{t\bar{t}H} \sim 6(10)\%$ for $m_H = 120(190)$ GeV
 - estimate for baseline (500 GeV, 1000 fb⁻¹): $\Delta g_{t\bar{t}H}/g_{t\bar{t}H} \sim 24\%$ ($m_H = 120$ GeV)

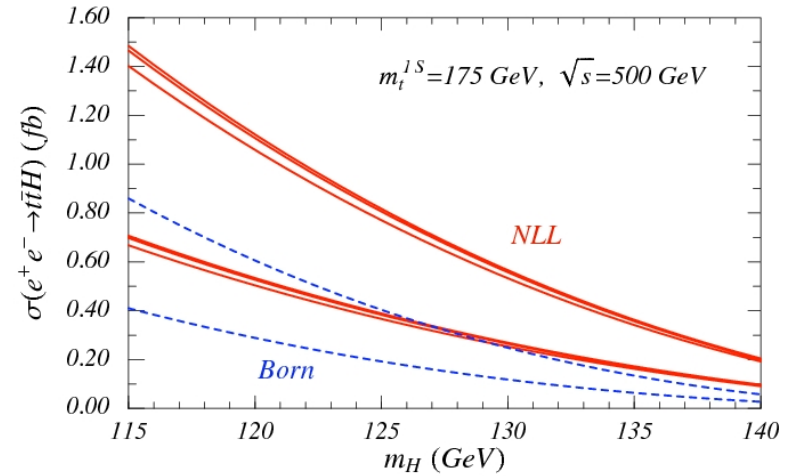
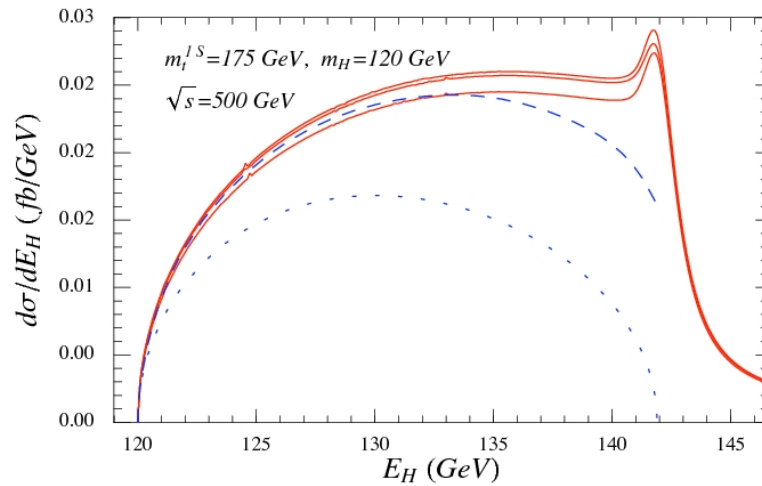
• But: QCD helps!

★ At $\sqrt{s} \sim 500$ GeV, $t\bar{t}H$ is non-relativistic and dominated by threshold dynamics

↪ large enhancement, calculable in NRQCD



Calculations by Farrell+Hoang for $t\bar{t}H$ at NLL in vNRQCD:

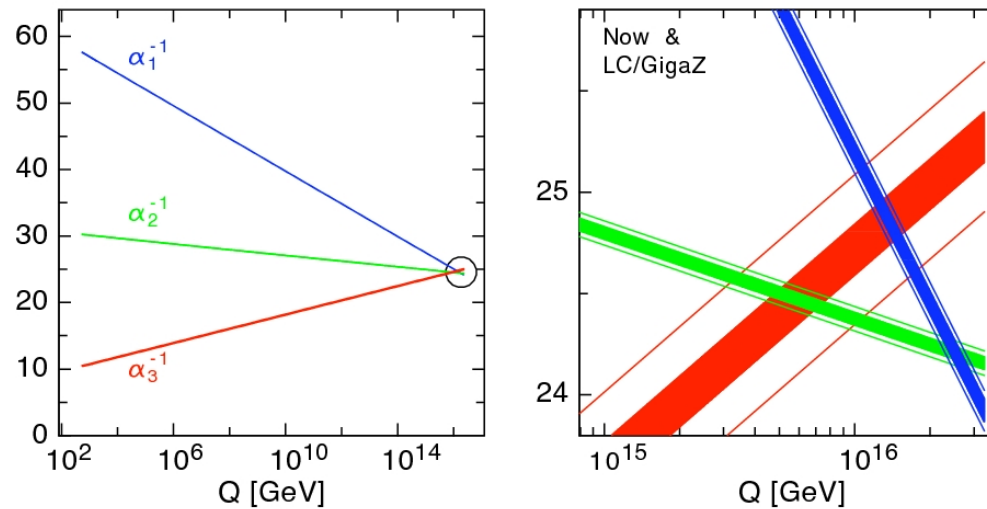


lower lines: $(P_+, P_-) = (0, 0)$, upper lines: $(P_+, P_-) = (+0.6, -0.8)$

- Choice of $(e^+$ and $e^-)$ polarization is crucial
- ▶ First estimates from Aurelio Juste:
 - Enhancement of $\sigma_{t\bar{t}h}$ from QCD for $m_H = 120$ GeV : $\times 2.4$
 - From use of beam polarization: $\times 2.1$
 - ↪ Anticipate $\Delta g_{t\bar{t}H}/g_{t\bar{t}H} \sim 10\%$ for baseline ILC, $m_H = 120$ GeV.

α_s at the percent level

- High precision α_s determination is crucial for accurate predictions of many signal and background processes, e.g. as input in the $t\bar{t}$ analysis.
- The current precision of α_s is not sufficient.
- α_s is the least precise input for coupling unification in SUSY, GUT's:



- With GigaZ α_s could be improved significantly:

- Vastly increased statistics + better detector performance than LEP1
 \rightsquigarrow Z line-shape observables with much better precision
- From $\sigma(e^+e^- \rightarrow \text{hadrons})$ and $\sigma(e^+e^- \rightarrow l^+l^-)$ on Z pole:
$$R = \sigma_{had}/\sigma_{lept}, \quad \Gamma_Z, \quad \sigma_{had}^0, \quad \sigma_{lept}^0 = 12\pi\Gamma_{lept}^2/M_Z^2\Gamma_Z^2$$
- depend on α_s , computable in perturbative QCD with very high precision and best systematic uncertainties:
 - fully inclusive process
 - three loop, partial 4-loop Chetyrkin+Kühn et al.
 - proper treatment of off-shell effects needed
- Combining the four variables (R is dominating), the estimated absolute accuracy for α_s at GigaZ is extremely high,

$$\Delta\alpha_s(M_Z) = 0.0005 - 0.0007$$

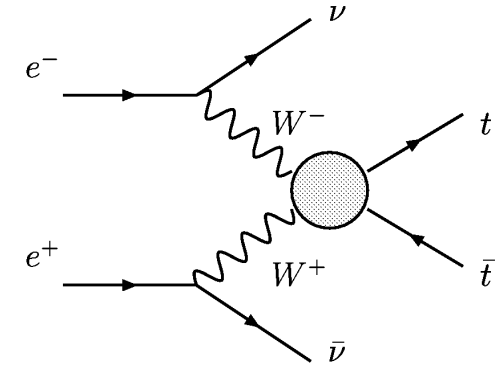
Dimension 6 top-Higgs coupling

Koji Tsumura

- We discuss the W-fusion with the non-SM Y_t which are characterized by dim.6 operators.

$$y_t^{\text{eff}}(-q^2, \Lambda) = y_t^{\text{SM}} - v^2 \frac{C_{t1}}{\Lambda^2} - q^2 \frac{C_{Dt}}{2\Lambda^2}$$

- They are constrained by experimental data and unitarity.
 - Our calculations have been checked by ET.
 - The W-fusion has been analyzed by EWA and CalcHEP.



Conclusion

- Dim.6 couplings can enhance $\sigma(e^-e^+ \rightarrow W^-W^+\nu\bar{\nu} \rightarrow t\bar{t}\nu\bar{\nu})$

At the ILC with $\sqrt{s} = 500\text{GeV}$, and $\int \mathcal{L} dt = 500\text{fb}^{-1}$, several hundred events are expected. Statistical error is less than 10 %. Therefore the effect of dim.6 couplings can be observed.

Future directions

- Experimental analyses for $t\bar{t}H$ at ≤ 500 GeV
 - MC for the $t\bar{t}$ threshold; optimized scan strategy
 - new physics effects for the $t\bar{t}$ threshold
 - Top in the continuum: mass reconstruction;
(anomalous) couplings, dedicated systematics studies
 - (heavy) jet analyses
 - ...
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