

Few considerations on the design of the electromagnetic calorimeter

- About the barrel-end cap overlap region
- About the total thickness
- About the sampling and the resolution
- About the FE dynamics

largely borrowed from a presentation at the last EUDET meeting by JCB

These studies are based on a MOKKA simulation
of few versions of the LDC detector

The pad size relevant for most of the study is $5 \times 5 \text{ mm}^2$

About the barrel-end cap overlap region

In the study described in the LDC DOD, a problem in the collection of the energy is seen at the overlap between barrel and end-caps.

This points to a poor design of that region and is investigated in the following slides.

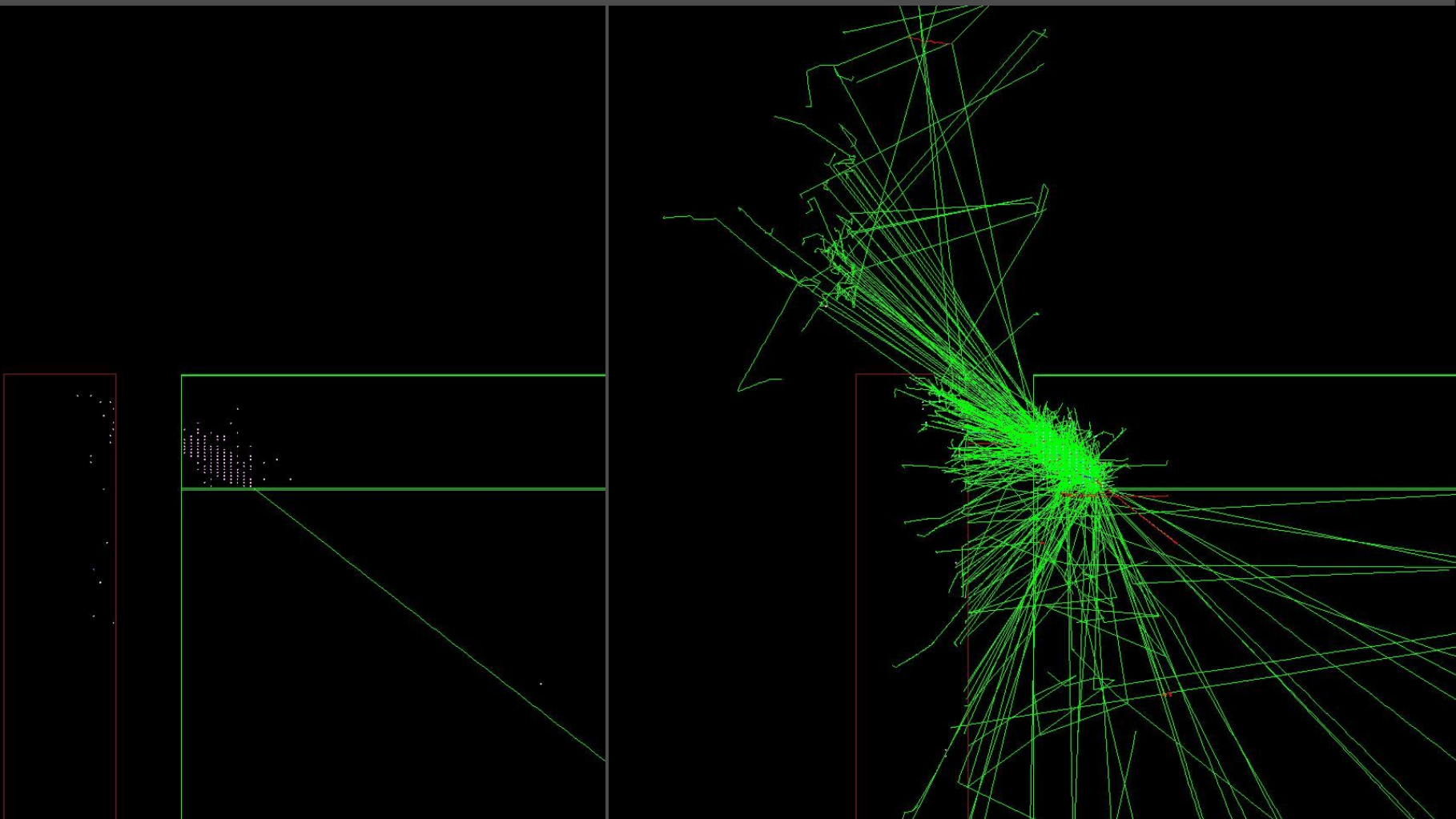
In the DOD description the distance between barrel and end-cap active regions is 10 cm and the end-cap outer radius is 3 cm larger than the barrel.

In the LDC01 model, if the distance is 10 cm, the end-cap outer radius is equal to that of the barrel.

For this study, an EC outer radius exceeding that of the barrel by 15cm has been used and 10 or 50 GeV photons have been simulated in the overlap region.

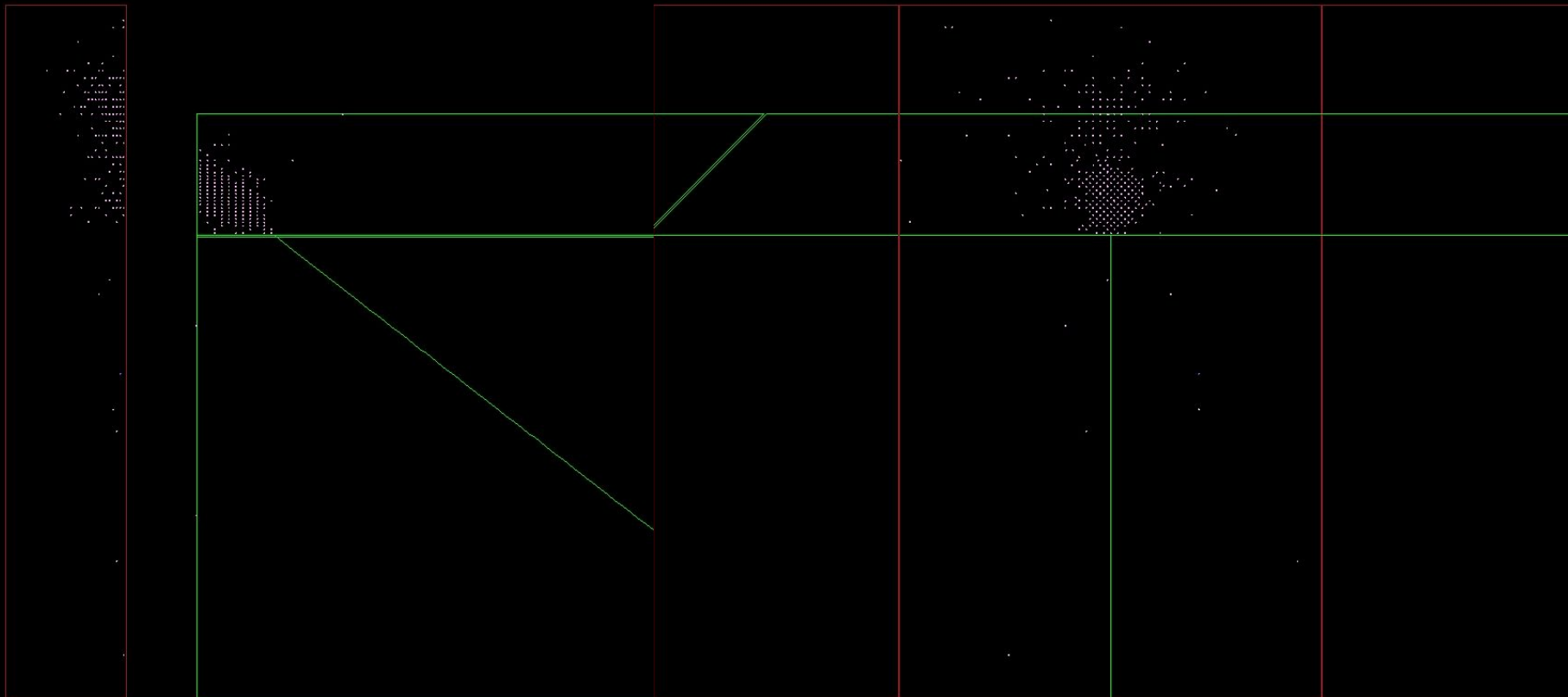
10 GeV gamma
in LDC01

Hits on the left,
tracks on the right, the photon trajectories
dominate the picture showing how energy escapes.



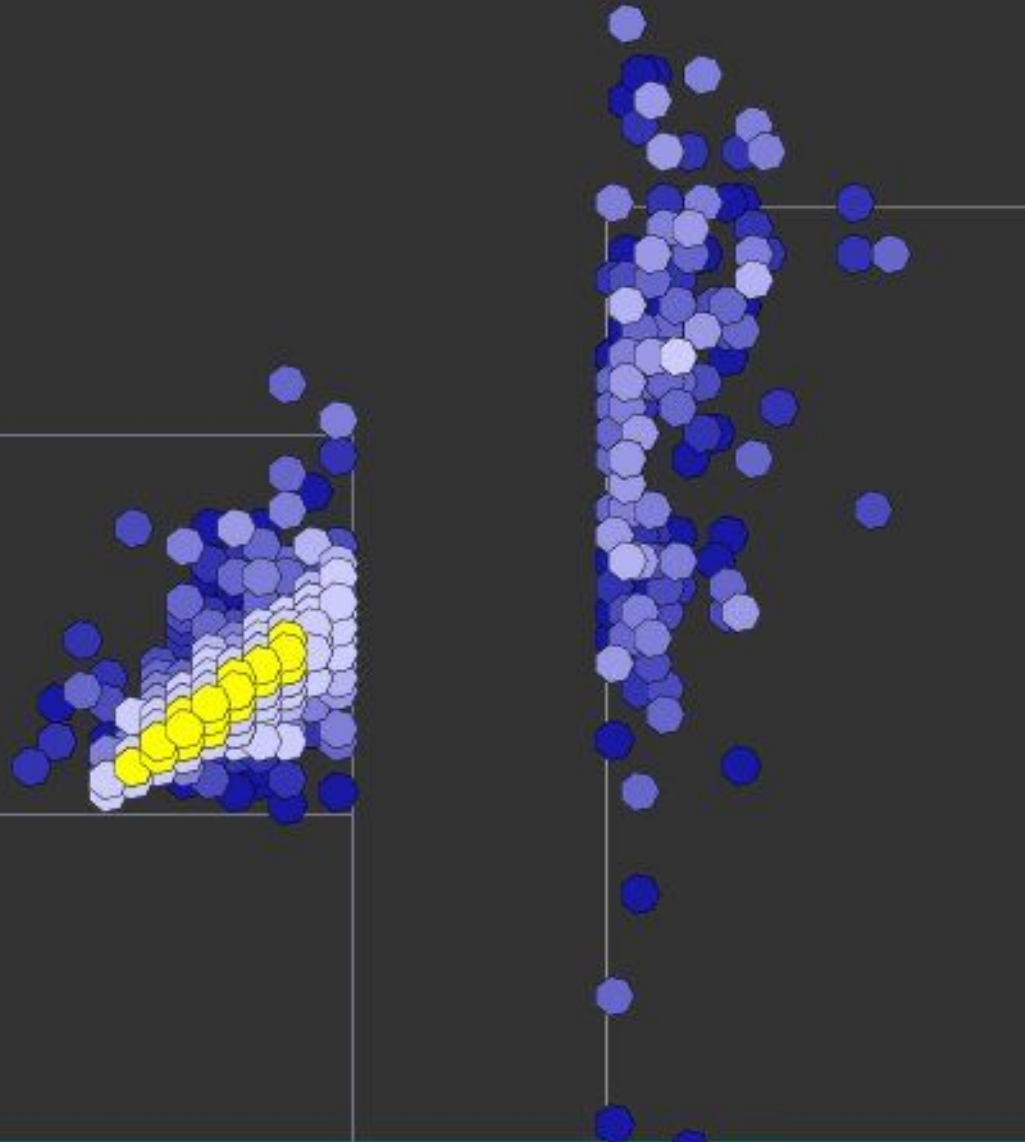
50 GeV 1685

Two components are clearly visible in the end cap



50 GeV photon

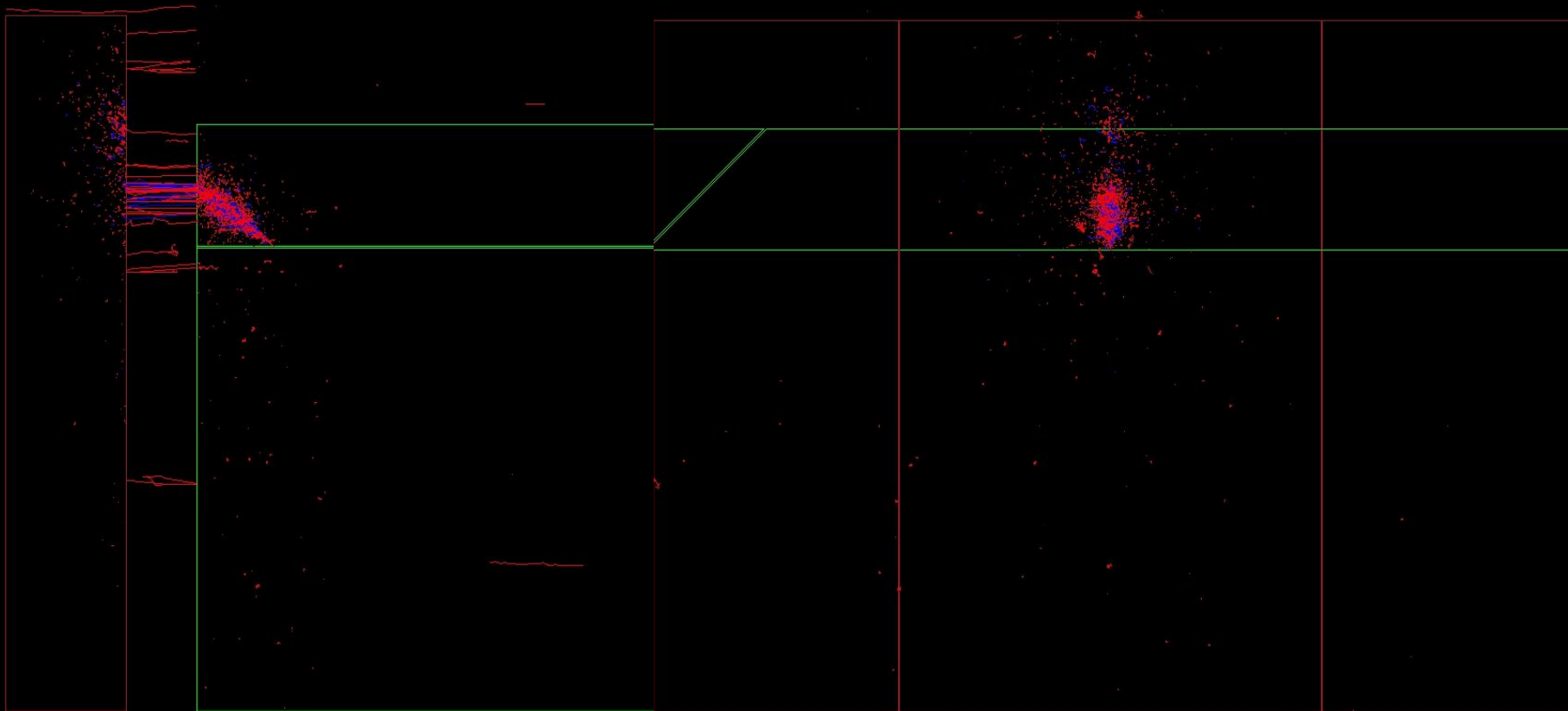
the end cap is drawn with a 184 cm radius



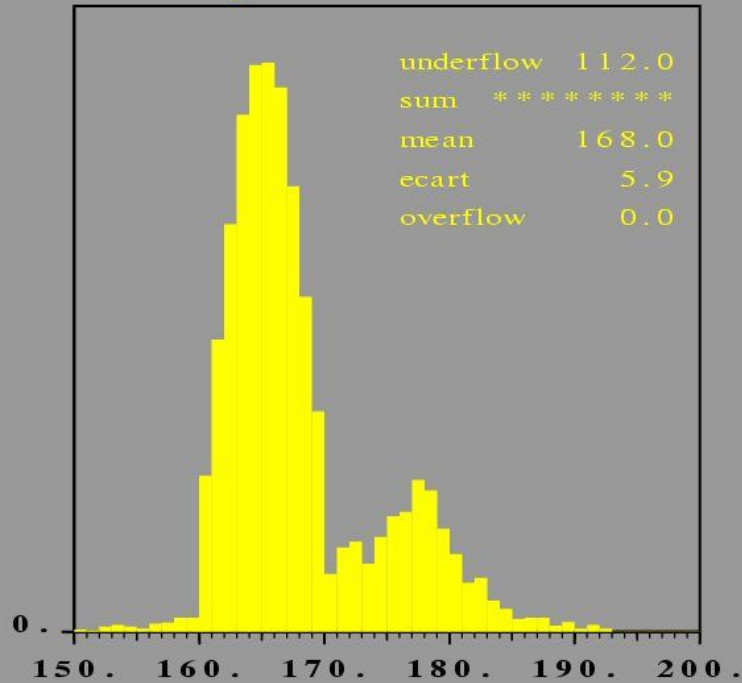
50 GeV 1685

To understand the origin of these two components
In red the electron trajectories, in blue positrons.

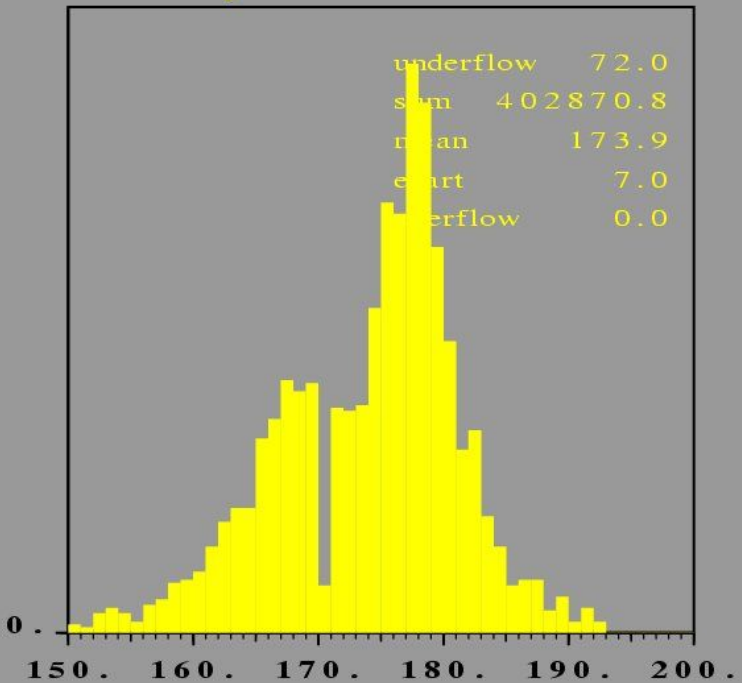
We see that one component is due to the shower photons
the other to the shower electrons captured by the magnetic field



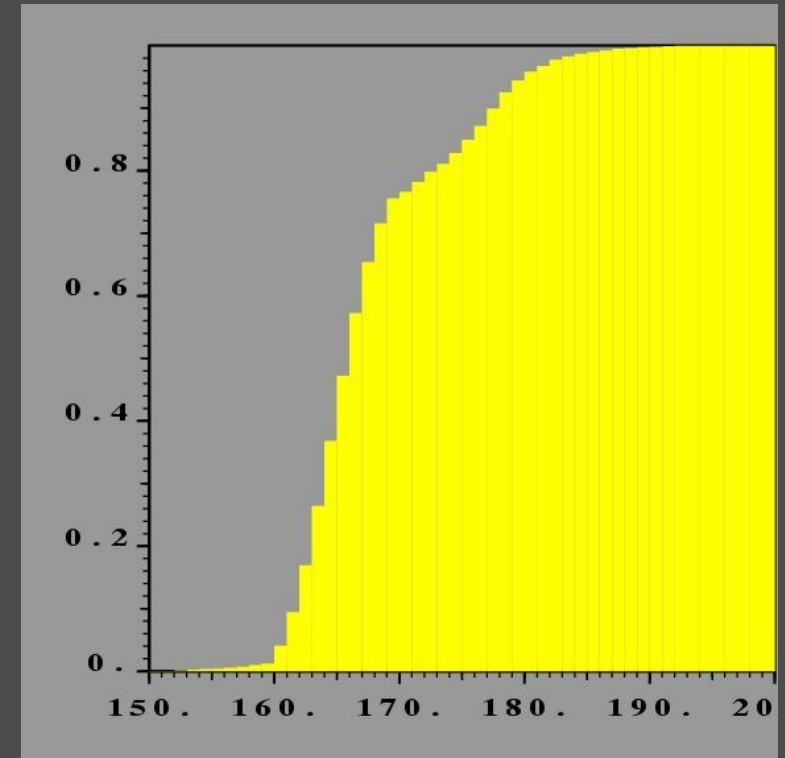
y distribution



y distribution



Distribution in y (radius) of the energy collected
On the top for barrel and end-cap together
On the bottom for the end cap only, one can see
the photon and the electron components



statistics on 50 GeV photons
leaving the barrel at mid-height
we collect 96% of the energy
with an end-cap at 180 cm,
99% at 185

Conclusions

When crossing from barrel to end-cap

the showers open exhibiting two components

- one corresponds to the photonic part of the shower,
it blows out in the incoming direction
- a second corresponds to the charged part of the shower
it follows the strong magnetic field

Actions:

- make the gap as small as possible (go to 5cm?)
- extend the end-cap to barrel + 7 or 8 cm i.e. 184 or 185
- care in the reconstruction of the induced shower position bias

About the total thickness

The tungsten thickness of the ECAL considered for LDC
is now $20 \times 2.1 \text{ mm} + 9 \times 4.2 \text{ mm} = 23 X^0$

Is it enough?

too much ?

What about the leakage at high energies
does it hamper the linearity
the resolution?

The leakage induces a non linearity at high energy

Trivial solution: define the law and rescale

but possibility of non additivity

limited by the excellent separation

we did not consider the Hcal help

induces also a constant term in the resolution

non trivial solution:

- use for parameter the depth of the shower event by event

it cures the linearity, the non additivity and the resolution!

after such a correction the constant term is at the level of few ‰

This is true for 24 X0

how much can we reduce it?

Defining the sampling a question of resolution

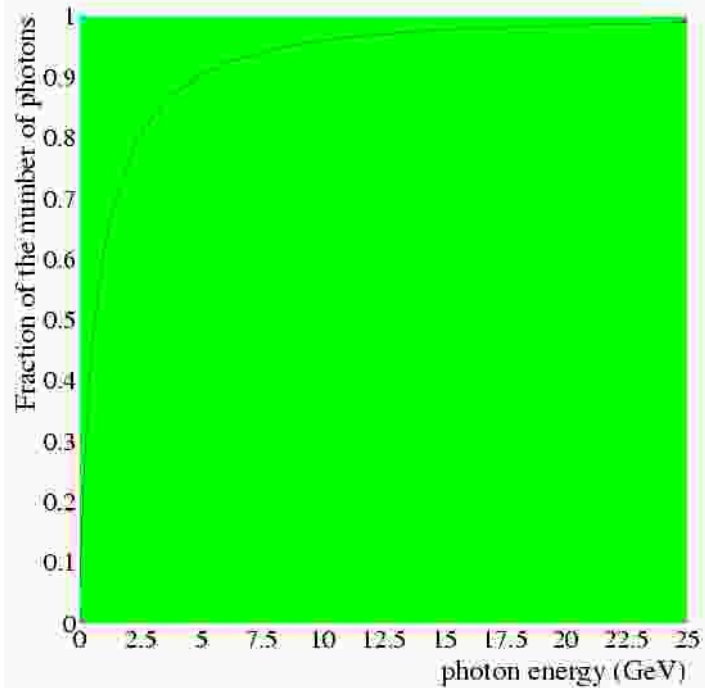
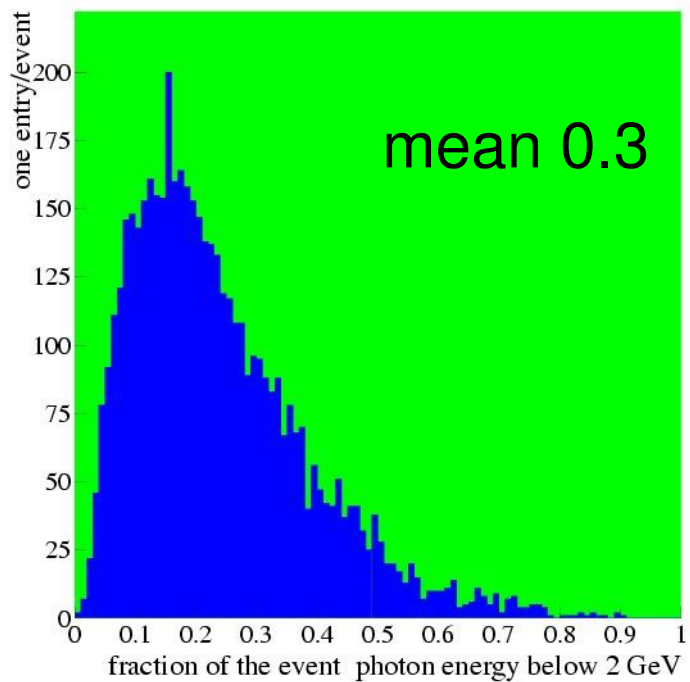
Nota bene: When using different samplings in depth
the resolution can not behave in α/\sqrt{E}

A large fraction of the photon energy comes
from low energy photons < 2 GeV

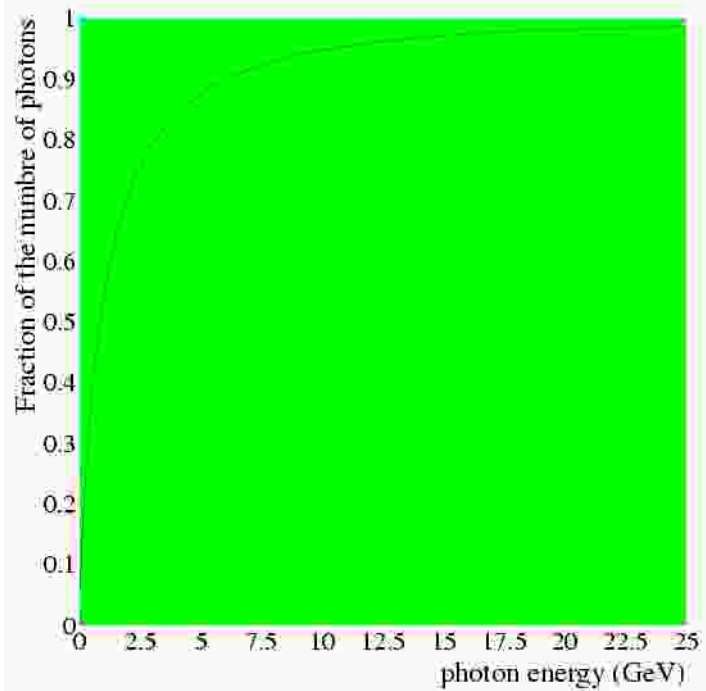
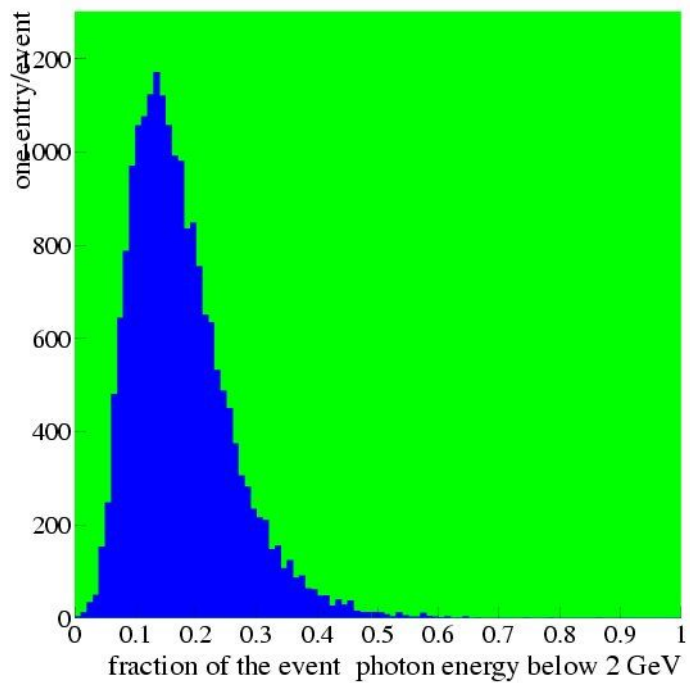
Improve the event resolution by

- using thinner sampling in the first part
- improving the algorithm

$\nu\nu WW$



ZH



- MOKKA LDC with 1, 2 or 3 different tungsten thicknesses
 - 30 x 2.8 mm,
 - 20 x 2.1 + 10 x 4.2mm,
 - 10 x 1.4 + 10 x 2.8 + 10 4.2 mm

- Simulate the low energy 0.2 , 0.5 , 2 , 5 , 10 GeV

- Shoot at about 40 degrees

- Use the deposited energy, but also the counting to estimate a best possible energy resolution

Method

Once the showers clustered

- Measure the dependence of the hit multiplicity with energy
- Fit a smooth function $Emul(E_{true})$
- Estimate energy from hit multiplicity via the function $Emul(\text{deposited energy})$
- For each simulated energy, do a fit to establish the best measurement as a linear combination of $Emul(E_{depot})$ and E_{depot} imposing linearity (F)
- Fit F as a function of the true energy $F(E_{true})$
- Use E_{depot} to have $F(E_{depot})$, and use it in E_{best}

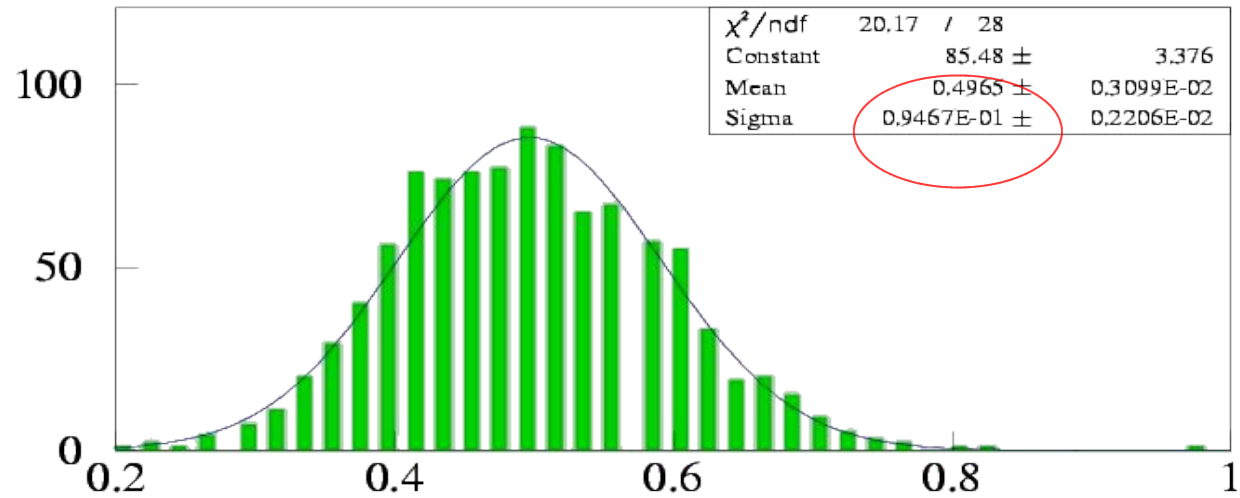
$$E_{best} = F(E_{depot}) \times Emul(E_{depot}) + (1 - F(E_{depot})) \times E_{depot}$$

A fit procedure has been used to estimate the relative weight of the stacks.

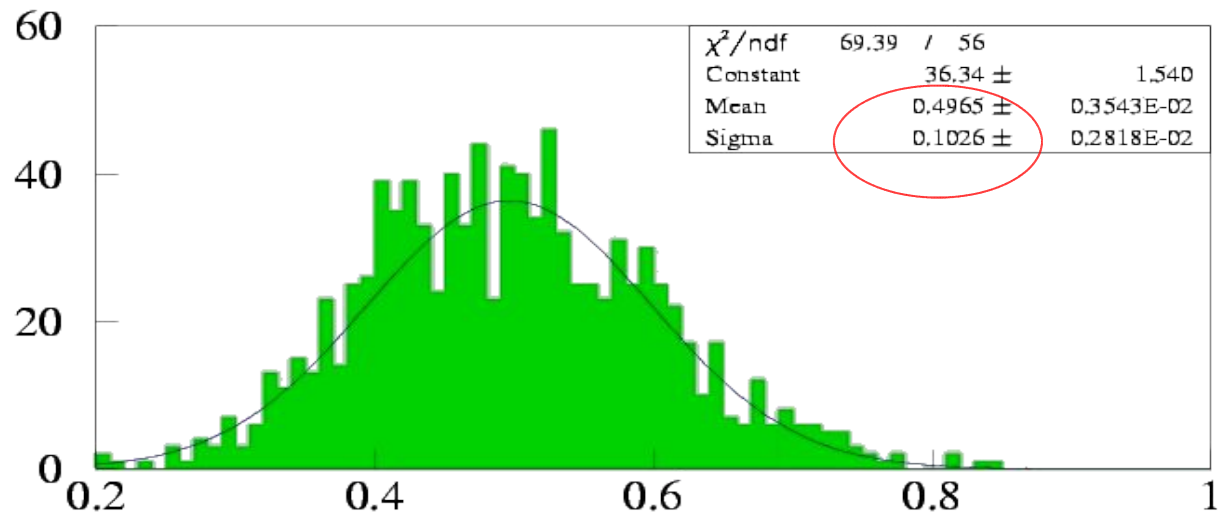
It provides the expected result, proportional to the tungsten thickness

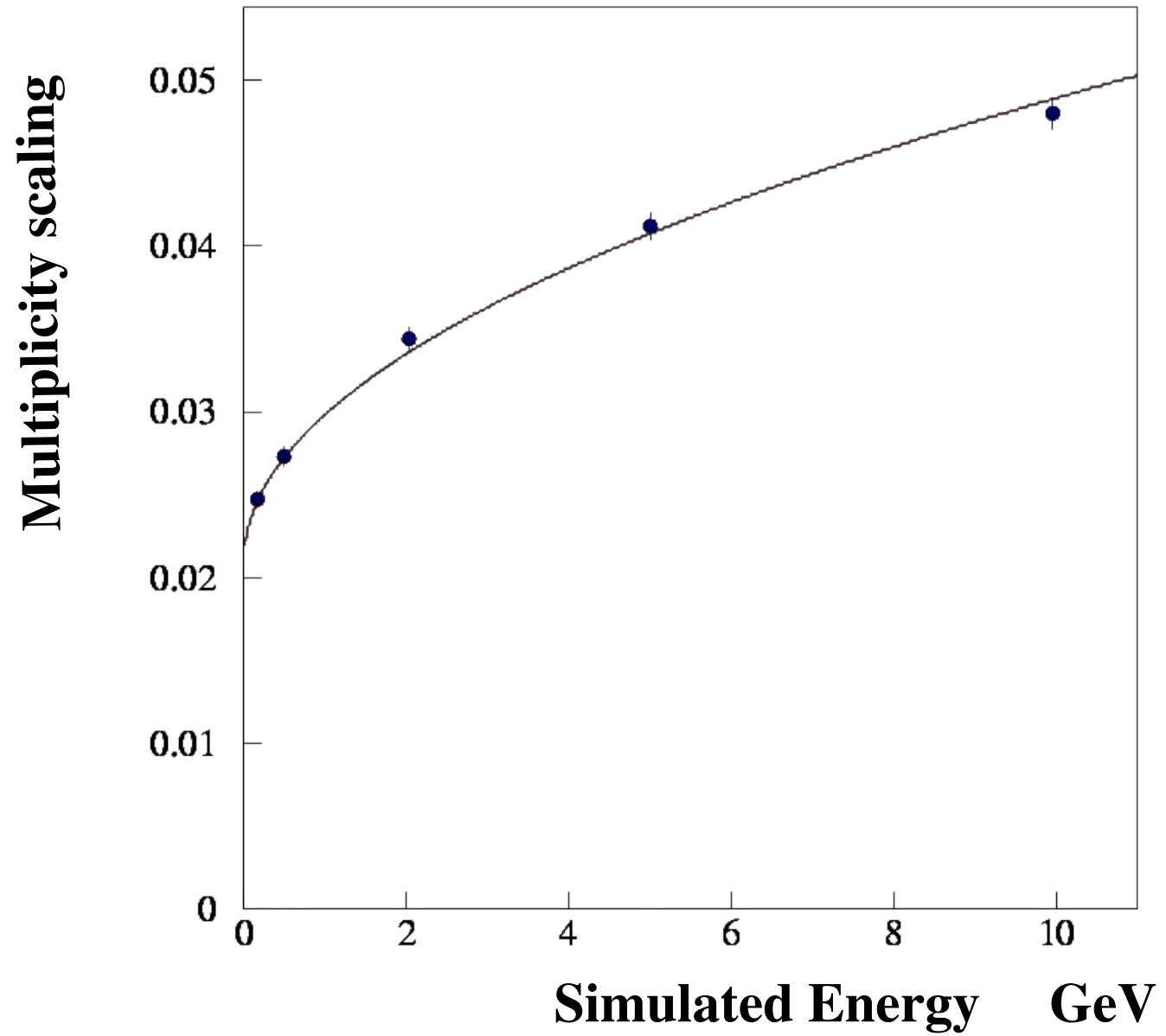
2w , 500 MeV

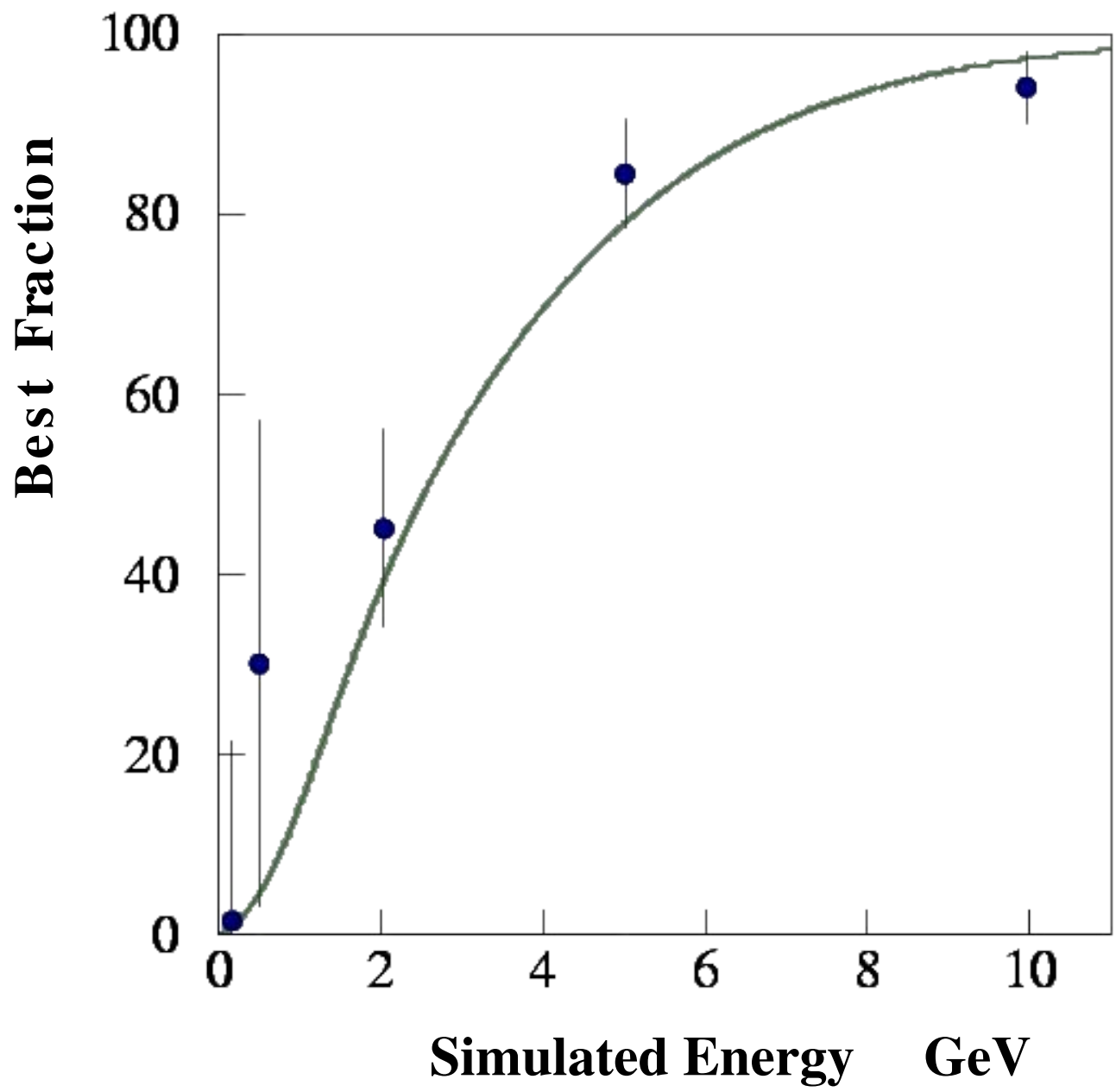
Knowing
the true energy

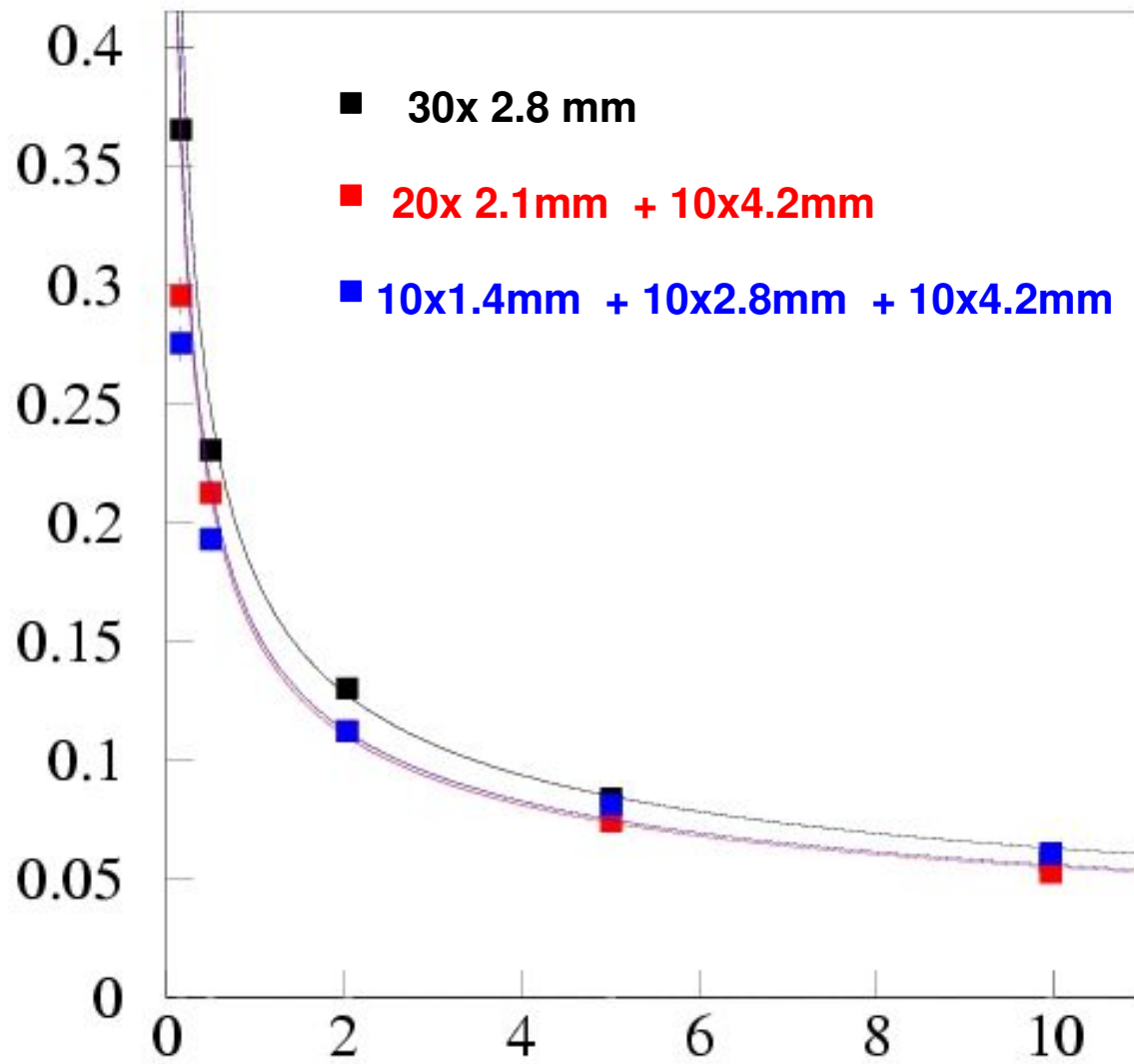


With parametrisation
and using the deposited
energy









	30 x 2.8 mm	20x 2.1mm ⊕ 10x 4.2mm	10x 1.4mm ⊕ 10x 2.8mm ⊕ 10x 4.2mm
Fit 2-10 GeV standard	$\frac{17.6}{\sqrt{E}} + 0.4\%$	$\frac{14.3}{\sqrt{E}} + 0.9\%$	$\frac{12.2}{\sqrt{E}} + 2.5\%$
Fit 2-10 GeV fixed cst term	$\frac{16.7}{\sqrt{E}} + 1.0\%$	$\frac{14.2}{\sqrt{E}} + 1.0\%$	$\frac{14.5}{\sqrt{E}} + 1.0\%$
Fit 0.2-0.5 GeV	$\frac{16.4}{\sqrt{E}} + 0.0\%$	$\frac{10.1}{\sqrt{E}} + 6.6\%$	$\frac{10.2}{\sqrt{E}} + 4.9\%$
Fit 0.2-0.5 GeV cst term at 0.05	Very BAD ²	$\frac{11.1}{\sqrt{E}} + 5.0\%$	$\frac{10.1}{\sqrt{E}} + 5.0\%$

Local conclusion

- Using the counting provides at low energy a large (20%) improvement
- 2 thicknesses of tungsten seems a good choice
it induces also a rather flat dependence of resolution with angle
- The repartition: it could be different but not much from $20 + 10$
- For the EUDET module go to $20 \times 2.1 + 9 \times 4.2$

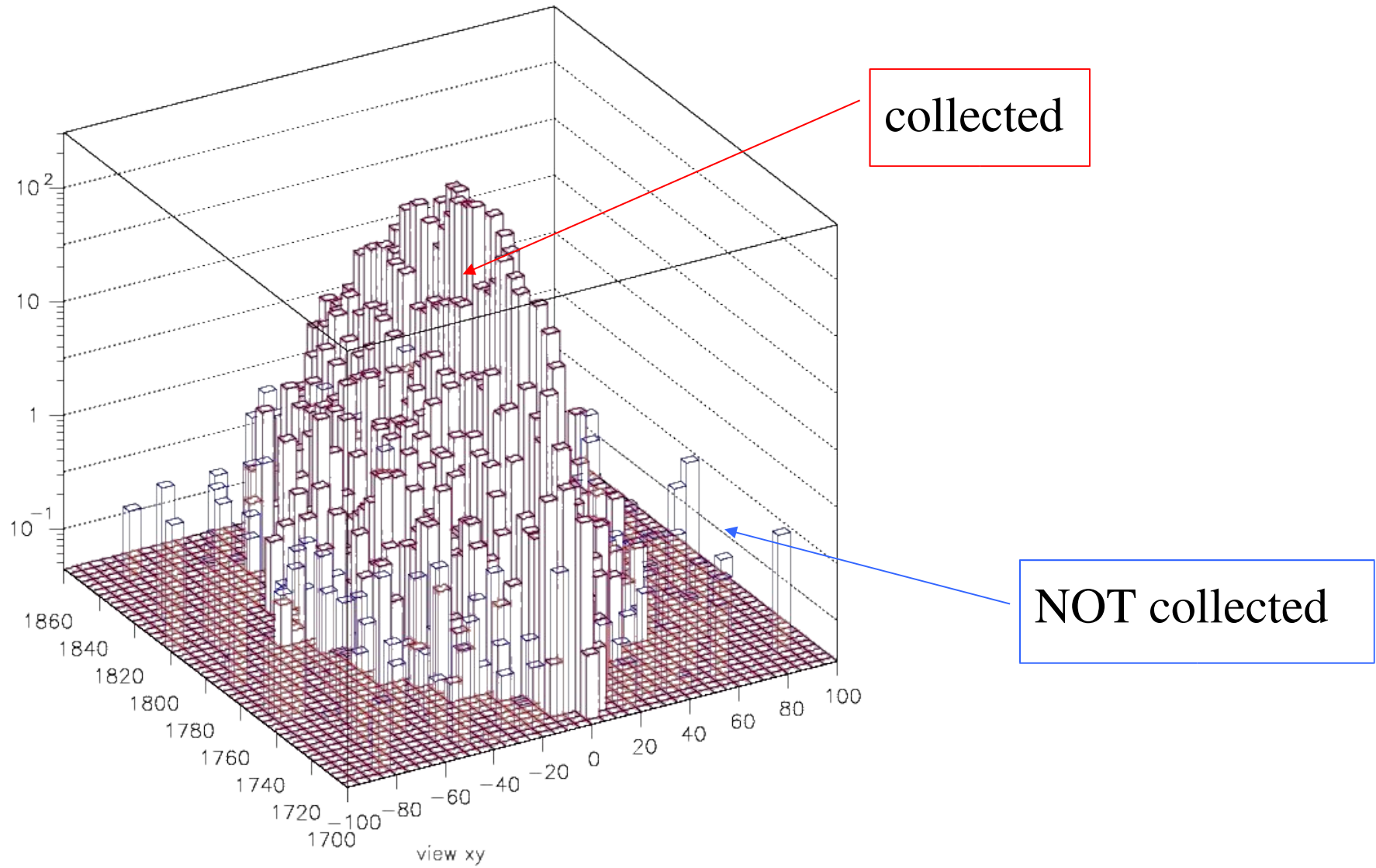
NB: using the shower start or mean depth does not
really improve resolution

About the front-end dynamics

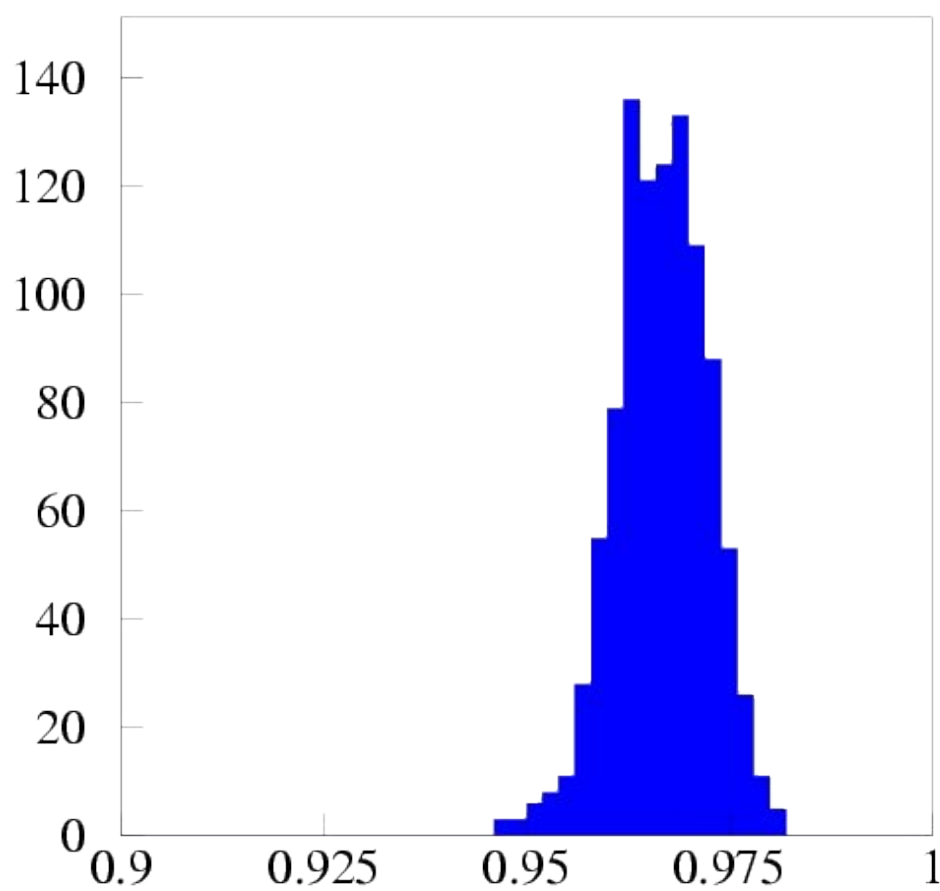
- MOKKA LDC
- Simulate high energy electrons 50,100,200,500 GeV
- Shoot at about 45 and 90 degrees at the centre of a pad

- Clustering
- Resolution
- Saturation of the signal

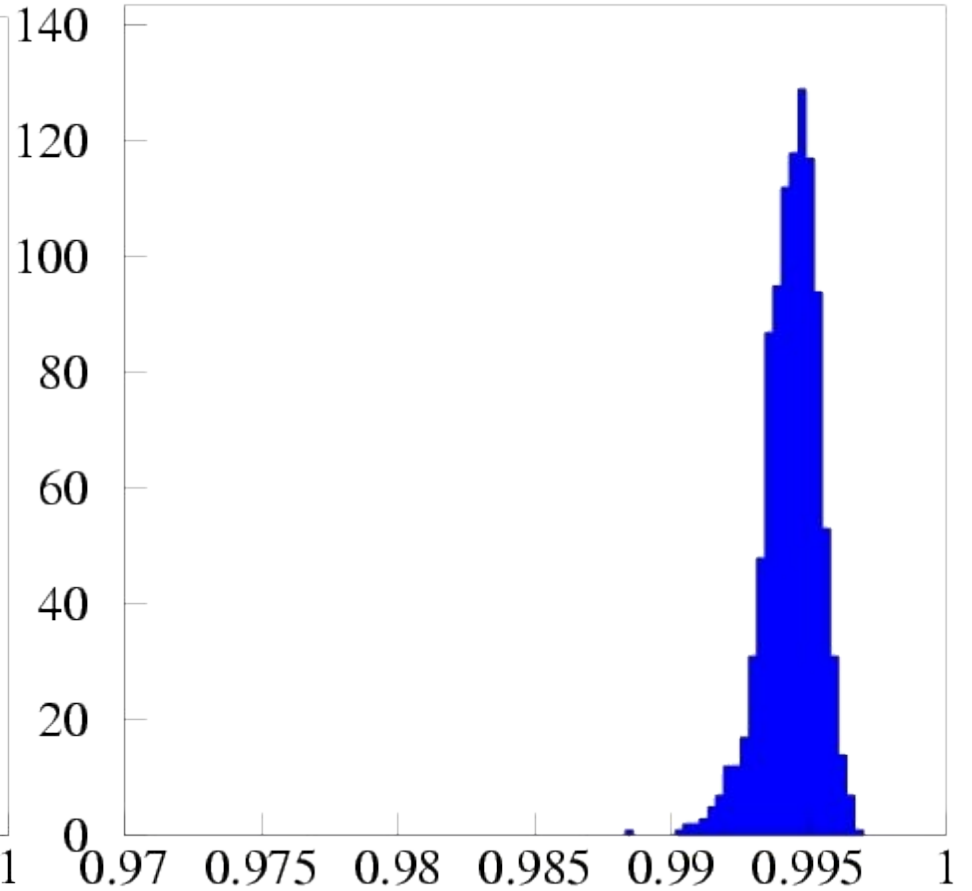
Clustering at 500 GeV



Clustering at 500 GeV

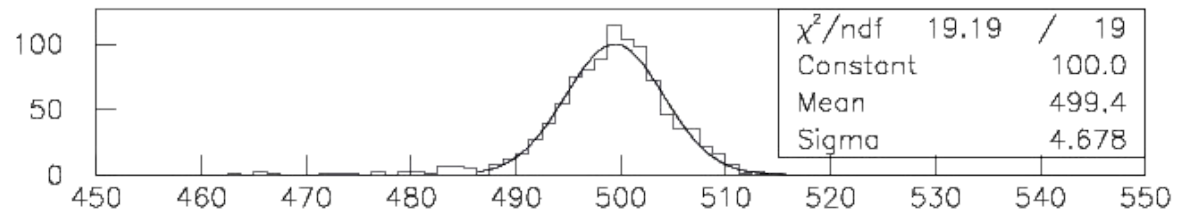
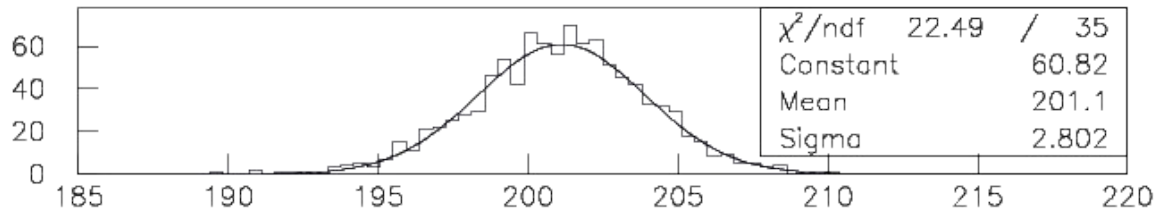
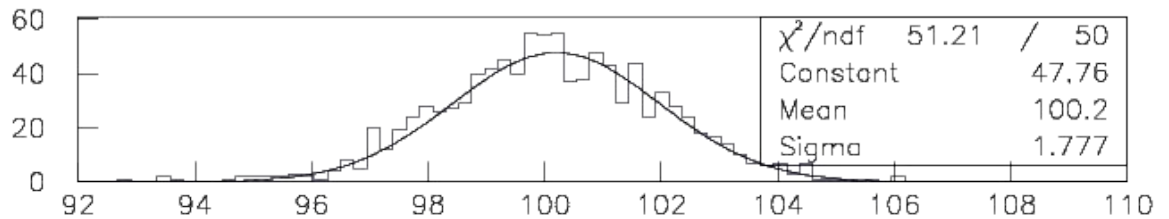
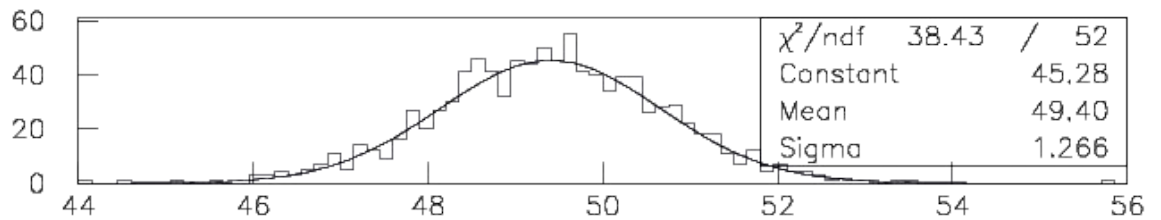


Fraction of pads collected



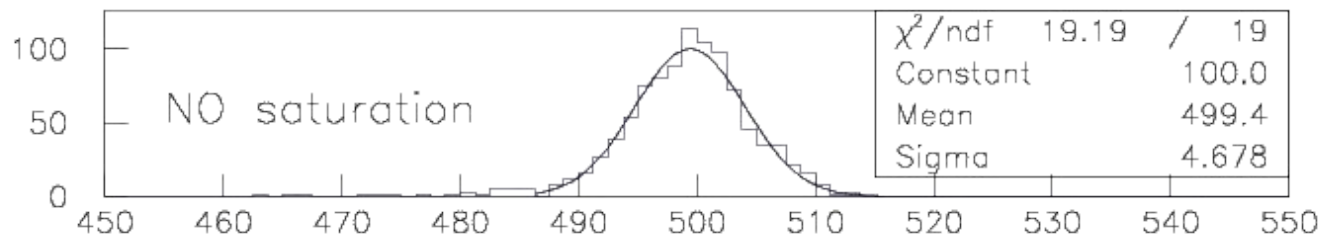
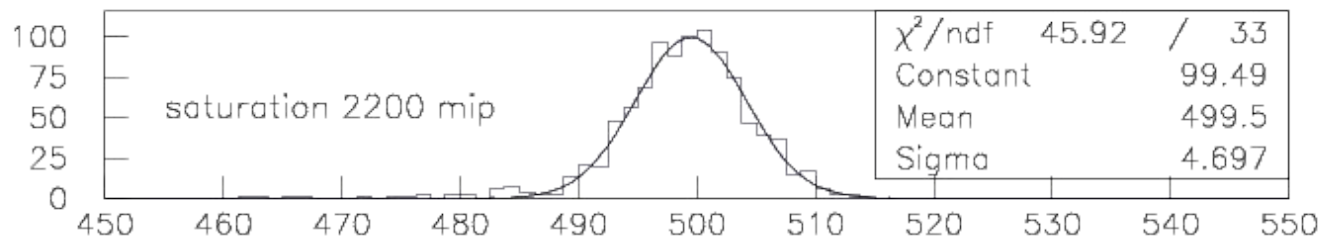
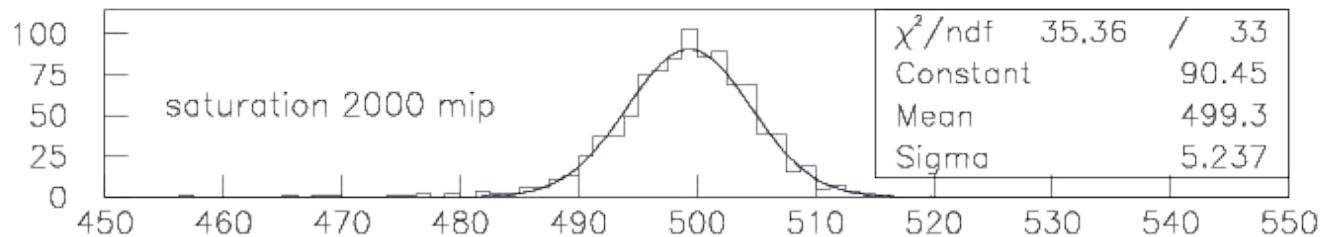
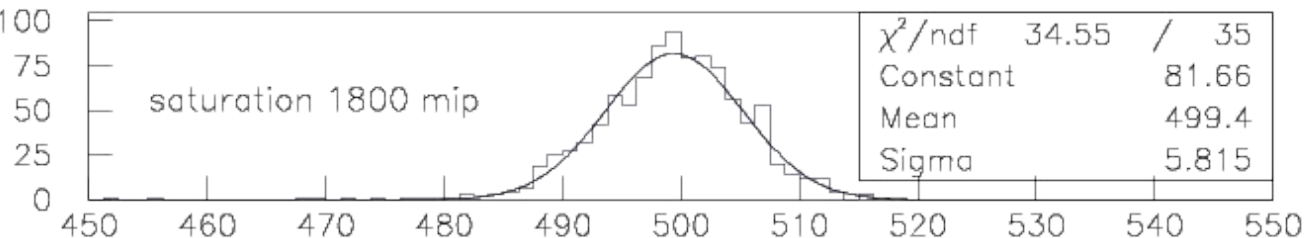
Fraction of energy collected

- Use deposited energy
- Correct for leakage using the average depth calculated shower per shower



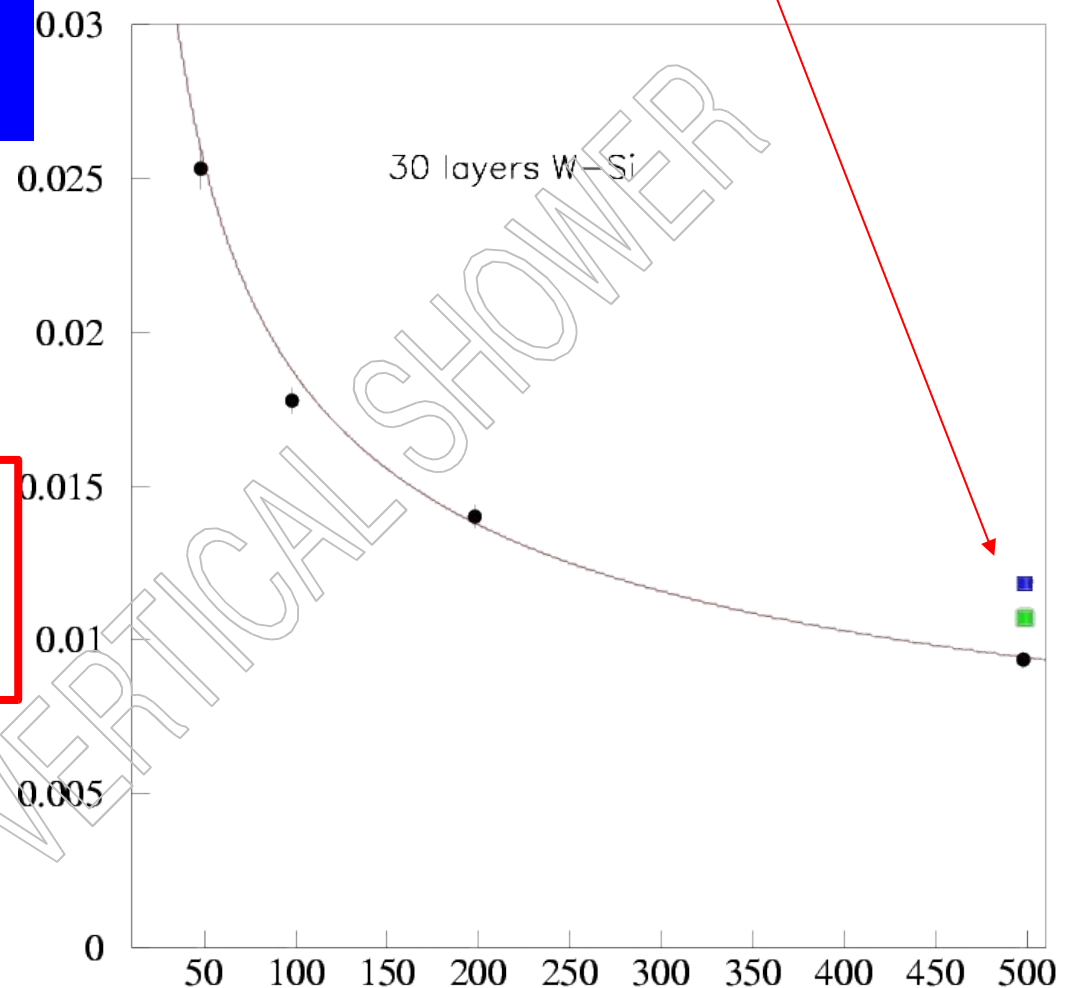
Saturate the signal

**Only electrons at
500 GeV are
concerned**



- Stochastics term about 16.6% at 90 degrees
- the constant term related to leakage is very small
- the effect of the saturation could be very important !!!

Max at 2500,
 saturate @ 2000,
 saturate @ 1800



$$\frac{E}{E} = \frac{0.166}{\sqrt{E}} + 0.002$$

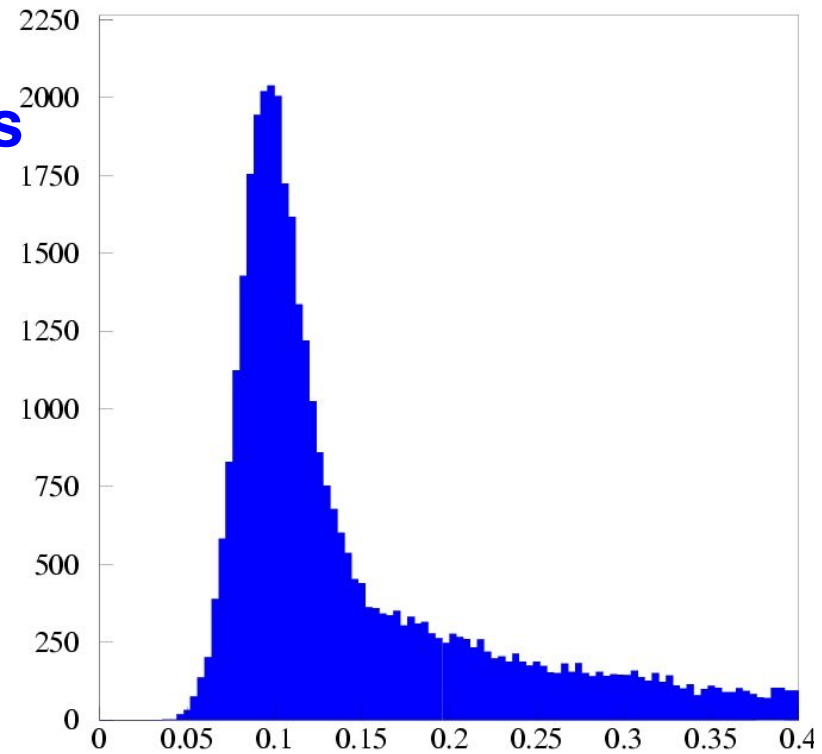
WARNING VERTICAL shoot

Only the part related to the leakage

Which dynamics

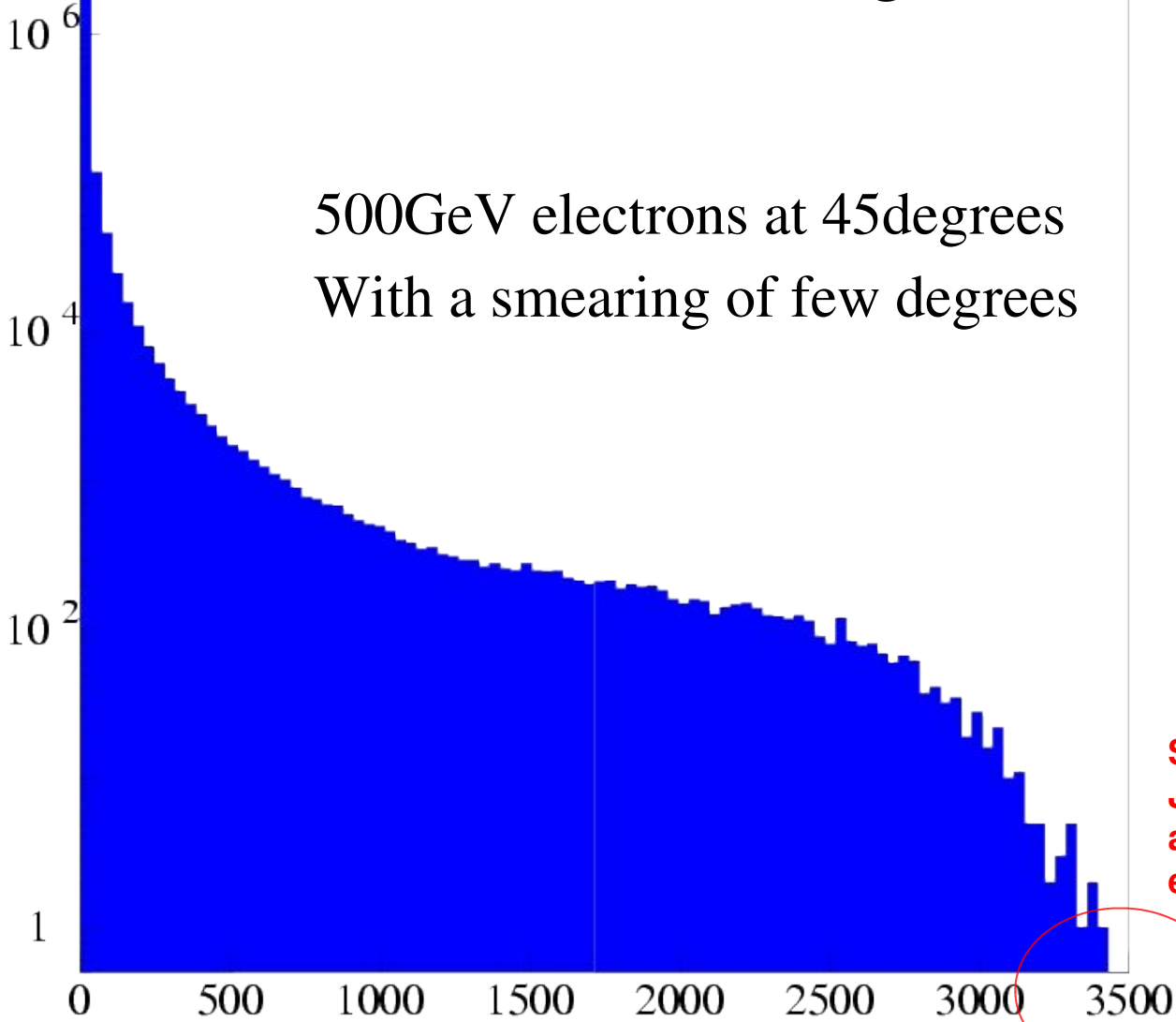
Vertical muons define the “mip”

Start from vertical muons



Deposited energy/pad KeV

500 GeV electrons@45 degrees

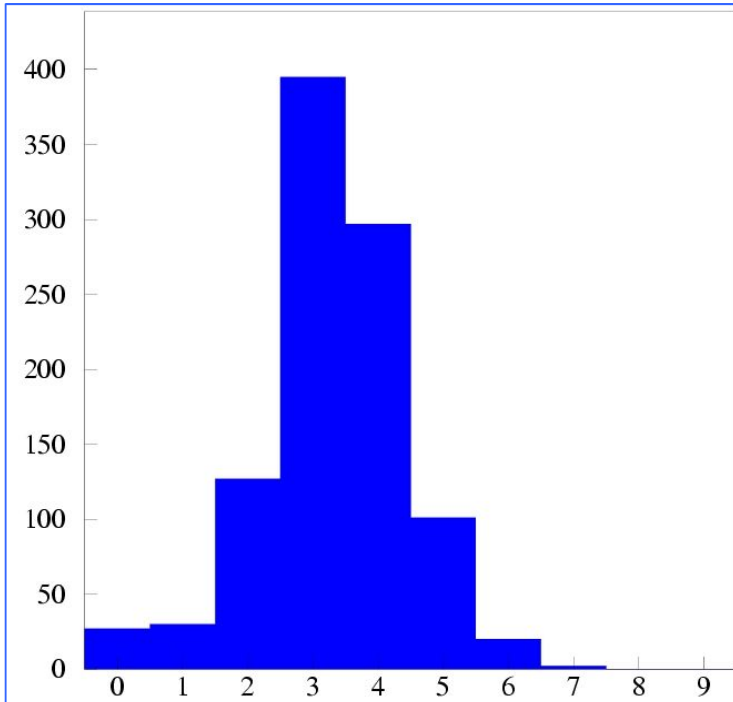


Sorry for
Julien and Christophe
and all electronics
engineers

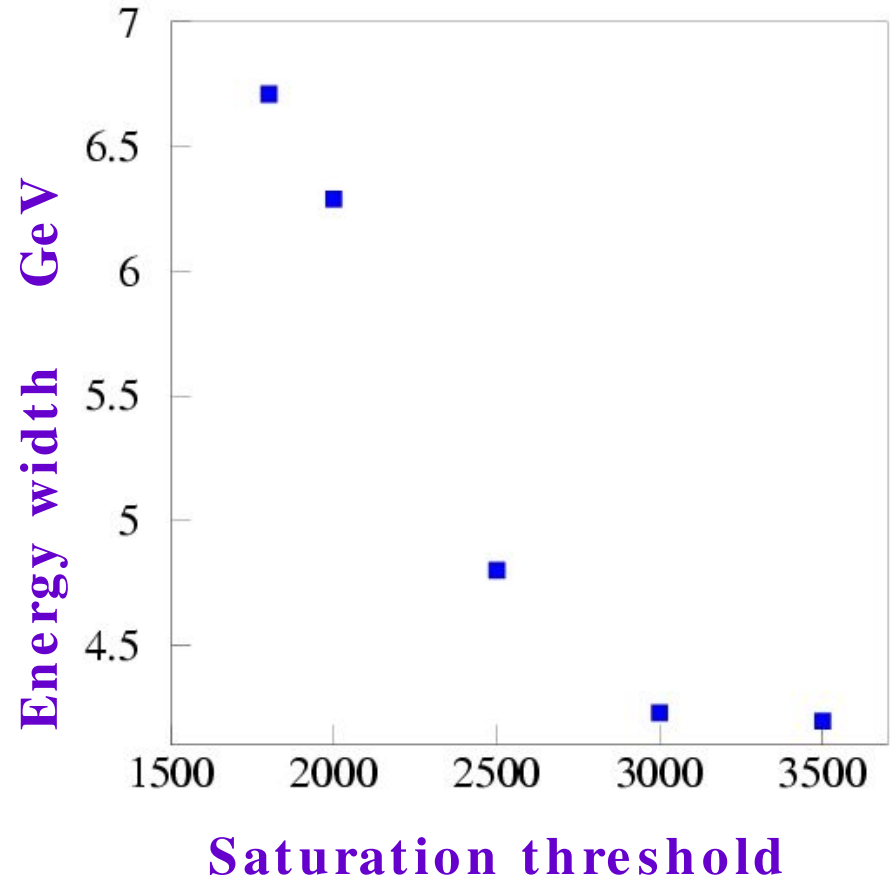
Deposited energy/pad **mip units**

500 GeV electrons@45 degrees

Saturation@2000 mips



Number of saturated pads/shower



- The energy resolution is STRONGLY dependent on the saturation, even if the number of saturated pads

is **small**

The dynamics is weakly dependent on the pad size
by going from 5x5 to 3x3 gain about 1.5
by going from 5x5 to 1x1 mm² gain less than 3

We begin to know what we want to build and how
but still a lot to understand on the information provided
by these very granular calorimeters.

Henri Videau