# Head On Interaction Region -Final Focus Optimization- 

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Small Angle Workshop<br>2006 October 19 ${ }^{\text {th }}-20^{\text {th }}$

## Outline

- Final Focus System
- Final Focus Optimization
- Final Focus Matching
- Luminosity Optimization
- BDS luminosity(ILC parameter set) vs. Final Focus geometry
- Conclusions


## Final Focus System

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- FFS length is about 734 m.
- Combine the Final Focalization and the Chromatic Correction functions
- Have to provide an easy spent beam extraction


## Final Focus Matching (1)

- The Final Focus Matching is performed during 6 stages :
- From the IP to the FFS entry
- Matching of the Twiss functions, $\alpha_{x}, \alpha_{y}$, at the FD entry
- If needed, we change the FD quadripole length, in order to have the desired gradient, and we repeat the matching
- Phase advances between paired sextupoles and double waist at QF7
- Virtual waist near the FFS entry
- Dispersion and BDS deviation matching
- We check the B1 field, and if needed, we change $\alpha_{x}$ and we restart at the $1^{\text {st }}$ step until the B1 field is in the correct range
- FFS entry Twiss functions matching
- From the BDS entry to the IP
- $2^{\text {nd }}$ order terms minimization with the sextupoles
- If needed, we change the FD sextupole length, in order to have the desired strength, and we repeat the matching
- At the end we have a first FFS tuning and we have to perform a Luminosity Optimization


## Final Focus Matching (2) : in pictures

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## Luminosity Optimization (1)

- We use two tools to perform the luminosity optimization :


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- Quick optimization with LUMOPT code (S. Auclair)
- minimize the beam sizes or maximize the luminosity, at IP
- the variables are the magnetic elements
- launch external codes to compute :
» the beam sizes : TRANSPORT, MADX-PTC
» or the luminosity : DIMAD, LUMTRAK (O.Napoly)
- different optimization algorithms are available ("classic", simplex, least square)
- Final optimization (if needed) with TRACEWIN code (D. Uriot)
- transport a particle cloud through the beam line and maximize the luminosity at IP by varying the magnetic elements.


## Luminosity Optimization (2) : LUMOPT

- We want to minimize at IP : $\overline{\left(x_{1}-\overline{x_{1}}\right)^{2}} \overline{\left(x_{3}-\bar{x}_{3}\right)^{2}}$
- We start with the particle coordinates:

$$
x_{i}=\sum_{j} R_{i j} x_{j}^{(0)}+\sum_{j k} T_{i j k} x_{j}^{(0)} x_{k}^{(0)}+\sum_{j k l} U_{i j k} x_{j}^{(0)} x_{k}^{(0)} x_{l}^{(0)}+\sum_{j k k m} V_{j k \mid m} x_{j}^{(0)} x_{k}^{(0)} x_{l}^{(0)} x_{m}^{(0)}+. .
$$

- For the initial beam, we assume that :
- the odd moments are null : $\overline{x_{j}^{(0)}}=0, \overline{x_{j}^{(0)} x_{k}^{(0)} x_{l}^{(0)}}=0, .$.
- we can express the high even moments with the $2^{\text {nd }}$ order moments :

$$
\overline{x_{j}^{(0)} x_{k}^{(0)} x_{j}^{(0)} x_{k}^{(0)}}=\overline{x_{j}^{(0)} x_{k}^{(0)}} \overline{x_{j}^{(0)} x_{k}^{(0)}}+\overline{x_{j}^{(0)} x_{j}^{(0)}} \overline{x_{k}^{(0)} x_{k^{\prime}}^{(0)}}+\overline{x_{j}^{(0)} x_{k^{\prime}}^{(0)}} \bar{x}_{k}^{(0)} x_{j}^{(0)}
$$

- Then the mean values are :

$$
\overline{x_{i}}=\sum_{j k} T_{i j k} \overline{x_{j}^{(0)} x_{k}^{(0)}}+\sum_{j k k m} V_{i k l m} \overline{x_{j}^{(0)} x_{k}^{(0)} x_{l}^{(0)} x_{m}^{(0)}}+. .
$$

- And the rms values are :

$$
\begin{aligned}
& \left.\overline{\left(x_{i}-\overline{x_{i}}\right)^{2}}=\sum_{j j^{\prime}} R_{i j} R_{i j} \overline{x_{j}^{(0)} x_{j^{\prime}}^{(0)}}+\sum_{j k^{\prime} k^{\prime}} T_{i j k} T_{i j^{\prime} k^{\prime}} \overline{x_{j}^{(0)} x_{k}^{(0)} x_{j^{\prime}}^{(0)} x_{k^{\prime}}^{(0)}}-\overline{x_{j}^{(0)} x_{k}^{(0)}} \overline{x_{j^{\prime}}^{(0)} x_{k^{\prime}}^{(0)}}\right) \\
& +2 \sum_{j k j^{\prime}} U_{i j k l} R_{i j j^{\prime}} \overline{x_{j}^{(0)} x_{k}^{(0)} x_{l}^{(0)} x_{j^{\prime}}^{(0)}}+\sum_{j k j j^{\prime} l^{\prime}} U_{i j k l} U_{i j} \overline{j^{\prime} k^{\prime}} \overline{x_{j}^{(0)} x_{k}^{(0)} x_{l}^{(0)} x_{j^{\prime}}^{(0)} x_{k^{\prime}}^{(0)} x_{l^{\prime}}^{(0)}} \\
& \left.+2 \sum_{j k k m j^{\prime} k^{\prime} k l m} V_{i j l} T_{i j^{\prime}} \overline{\left(x_{j^{\prime}}^{(0)} x_{k^{\prime}}^{(0)} x_{j}^{(0)} x_{k}^{(0)} x_{l}^{(0)} x_{m}^{(0)}\right.}-\overline{x_{j^{\prime}}^{(0)}(0)} \overline{x_{k^{\prime}}^{(0)}} \overline{x_{j}^{(0)} x_{k}^{(0)} x_{l}^{(0)} x_{m}^{(0)}}\right)+.
\end{aligned}
$$

## Luminosity Optimization (3) : Luminosity result

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## BDS Normalized Luminosity v.s Momentum Spread




- LUMOPT gives a good starting point, and some time it is sufficient.
- The TRACEWIN optimization time is decreased ( $\sim 3 \mathrm{~h}$ compare to 1 night)
$\Rightarrow$ To perform a full optimization we need about 1/2-1 day


## BDS Luminosity vs. Final Focus geometry

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The goal is to compare the obtained luminosity curves for various parameter sets when we vary $l_{\text {QD-QF }}$ and $I^{*}$

Constraints and variables:
$>$ Varying l*
$>$ Varying $\mathrm{I}_{\mathrm{QD}-\mathrm{QF}}$ between FD quadripoles
>FD quadripoles with maximum gradient ( $\sim 250 \mathrm{~T} / \mathrm{m}$ ).
> FD sextupoles with maximum strength ( $\sim 3 \mathrm{~T}$ at $\phi 56 \mathrm{~mm}$ ).
$\Rightarrow$ The element lengths are minimum
$>2 \mathrm{~m}$ long drift between the last sextupole and the separator.
$>$ B1 deviation is about $2.610^{-5}$ rad.
> The distance $\mathrm{IP} \rightarrow \mathrm{B} 1$ is kept identical.

## Parameter Space for $\mathrm{E}=250 \mathrm{GeV} \mathrm{L}=210^{34} \mathrm{~cm}^{-2} \mathrm{~s}^{-1}$

| dapnia |  |  | Nominal | Large Y | Low P | High L | TESLA | Med Q P |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | N | x $10^{10}$ | 2 | 2 | 2 | 2 | 2 | 1.3 |
|  | $\mathrm{n}_{\mathrm{b}}$ |  | 2820 | 2820 | 1330 | 2820 | 2820 | 2820 |
| saclay | $\varepsilon_{x, y}$ | $\mu \mathrm{m}, \mathrm{nm}$ | 9.6, 40 | 12, 80 | 10, 35 | 10,30 | 10, 30 | 9.6, 30 |
|  | $\beta_{x, y}$ | cm, mm | 2, 0.4 | 1, 0.4 | 1, 0.2 | 1,0.2 | $1.5,0.4$ | 1, 0.2 |
|  | $\sigma_{x, y}$ | nm | 626.5, 5.7 | 495.3, 8.1 | 452.1, 3.8 | 452.1, 3.5 | 553.7, 5 | 443, 3.5 |
|  | $\sigma_{z}$ | $\mu \mathrm{m}$ | 300 | 500 | 200 | 150 | 300 | 200 |
|  | Bunch space | ns | 308.5 | 308.5 | 462.4 | 308.5 | 308.5 | 308.5 |
|  | $\mathrm{D}_{\mathrm{y}}$ |  | 19.12 | 28.30 | 26.72 | 21.66 | 24.98 | 19.16 |
|  | $\delta_{B S}$ | \% | 2.2 | 2.2 | 5.1 | 6.2 | 2.7 | 2.5 |
|  | P | MW | 11.3 | 11.3 | 5.3 | 11.3 | 11.3 | 7.3 |

## BDS : Luminosity

Luminosity vs. Momentum spread

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-Full optimization for the TESLA case.
-Matching with QM15-QM11 and luminosity optimization for High Lum. case.
-The "best" luminosity curves are obtained for the largest free drift.
-The luminosity curves are very similar for ${ }^{*}=4 \mathrm{~m}$ and $\mathrm{I}^{*}=3.5 \mathrm{~m}$.

## Final Focus with ${ }^{*}=4.0 \mathrm{~m}$

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Spent beam at parasitic crossing


## Final Focus with ${ }^{*}=4.4 \mathrm{~m}$

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Spent beam at parasitic crossing


Spent beam at QD2A


- QD0 + $0.7 \mathrm{~m}, \mathrm{QF1}+0.5 \mathrm{~m}$
- SD0 + $0.5 \mathrm{~m}, \mathrm{SF} 1+0.5 \mathrm{~m}$
- B1 deviation 1.9 10-5 rad
- ES 25 m, 0.00057 rad
- IP->ES 12.3644 m


## Conclusions

- The tools for the BDS optimization allow quick optimizations.


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- For various Final Focus geometry we have obtained comparable BDS

Luminosity curves for two ILC parameter sets.
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- The extraction and the experimentation needs are strong guides for the Head On Final Focus geometry:
- enlarge l* in order to minimize the solenoid field in QD0.
- shorten the distance between the IP and the ES to improve the extraction
$\Rightarrow$ maximize the quadripole gradient ( $250 \mathrm{~T} / \mathrm{m}$ )
$\Rightarrow$ maximize the sextupole strength ( 3 T at $\phi 56 \mathrm{~mm}$ )
$\Rightarrow$ with a 25 m long 28.5 kV field ES, the beam separation at the parasitic crossing is sufficient to avoid mkink instabilities.
- decrease the B1 field to keep reasonable QD2A aperture.


## Length of Elements

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| $I^{*}(\mathrm{~m})$ | QD0 (m) | SD0 (m) | QF1 (m) | SF1 (m) | IP To ES <br> $(\mathrm{m})$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 4.4 | 1.142 | 0.628 | 0.682 | 0.410 | 12.3644 |
| 4 | 1.242 | 0.744 | 0.732 | 0.504 | 11.8834 |

## BDS Chromaticities for ${ }^{*}=4 \mathrm{~m}$

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When the distance decrease :
>The QP chromaticities increase
>The SF1 coupling increase and it counteracts the SDO contribution
>The SX correction increase
$\Rightarrow$ Are the luminosities similar ?



## Length of Elements for I*=4m

| Free Drift <br> $(\mathrm{m})$ | QD0 (m) | SD0 (m) | QF1 (m) | SF1 (m) | IP To ES <br> $(\mathrm{m})$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 2.2574 | 1.142 | 0.566 | 0.586 | 0.286 | 12.0374 |
| 1.2104 | 1.242 | 0.602 | 0.718 | 0.354 | 11.3264 |
| 0.3554 | 1.334 | 0.718 | 0.832 | 0.500 | 10.9294 |
| Relative change 14 \% |  |  |  |  |  |
| Relative change 30 \% |  |  |  |  |  |

Relative change 10 \%

