

Feedback Loop on a large scale quadrupole prototype

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Overview

-Brief summary of the last presentation in London

-Transfer of the former studies to a large scale prototype :

- Description of the prototype with appropriate actuators.
- Results of the active vibration reduction

-Robustness : Development of one frequency tracking in real time

-Technology and location of the instrumentation

-Conclusions





Brief summary



Strategy of the approach

The Spectrum of disturbances is not a white noise (ground motion, acoustic noise...) Filtering by the mechanical structure

The global effect of the disturbance contains :

- Some frequencies which are amplified

- All frequencies are independent

Strategy : to control independently every main frequency





Originalities of the method : the algorithm

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Usually, a classic algorithm (ex : PID), depends on the model of the process :





Brief summary Originalities of the method : the signal processing



A non linear problem :

$$f(t) = \alpha \sin(wt + \varphi)$$

(the force to be computed)

Decompose each resonance as a weighted combination of sine and cosine :

(measurement, disturbance, excitation)

$$f(t) = \alpha \sin(wt + \varphi) \Longrightarrow f(t) = f_s \sin(wt) + f_c \cos(wt)$$

where:

$$f_s = \alpha \cos(\varphi)$$
$$f_c = \alpha \sin(\varphi)$$





Test the algorithm with a small prototype

Brief summary

Description of the prototype :







Why a new prototype?

-To validate the algorithm on a large scale prototype, whose size, boundary conditions and eigen frequencies are similar to the final focus.

-To validate the micro-computing which :

- manages noisy low signal with very high resolution
- computes the appropriate control of the feed-back in a limited time.

-To validate sensors and actuators which are performant, compatible and adapted to the final focus.

-To validate the developed simulation for the prediction.



Movement of a linear mechanical structure < ground motion







The actuator : description

Force = 19.3 N

Maximal displacement = 27,8 μm

Resolution = 0,28 nm



The deformation of the PZT patches is amplified by the mechanical structure





The actuator applies a force in flexion





A large scale prototype **The actuator applies a force in "proof-mass"**







A large scale prototype **Results : rejection of 3 fixed frequencies of disturbances**

Spectral amplitude of measured signals





Efficient vibration rejection



Limitations :

<u>Current configuration :</u> Fast prototyping with XPC Target in a dedicated PC



Configuration in test : DSP ("Digital signal processing") of ProDAQ



-24 bits resolution

-Programmable gain...

-Adapted electronic for vibrations

possibility to reduce to nanometer scale



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Signal processing

Frequency tracking in real time

- As each frequency is rejected independently, the robustness depends on the estimation of the real value of the disturbance frequency :





Frequency tracking in real time **Recursive least squares method**

Initial Method of "signal processing" :







Frequency tracking in real time **Recursive least squares method**

Considering the measurement has the following form:

$$y(t_i) = y_s . \sin(wt_i) + y_c . \cos(wt_i)$$

The criterion to be minimized :

$$J(y_s, y_c) = \frac{1}{N} \sum_{i=1}^{N} (y_i - y(t_i))^2$$
 (N: number of samples)

Matrix form:

The matrix M which minimizes the criterion :

$$\hat{M} = (H^T . H)^{-1} . H^T . Y$$





Which gives :

Frequency tracking in real time **Recursive least squares method**

Minimizing the criterion *J* corresponds to minimizing its derivative by the variables to be estimated :



$$\hat{w}_{j+1} = \hat{w}_j - \lambda \frac{\partial J}{\partial \hat{w}}$$

(where λ is the dynamics of the recursivity)

The ending criterion of the recursivity :

$$\frac{J(\hat{w}_{(j+1)}) - J(\hat{w}_{(j)})}{J(\hat{w}_{(j)})} < \varepsilon$$





Test (one example)

Frequency tracking in real time

- External disturbance simulation with a step frequency function (response of a 1st order process) :



The loudspeaker generates a step of frequency which simulates, for example, a change of speed of a pump near the final focus.











Small mock-up



Experimental results :

Actuator	Sensor	PZT0	PZTM	Optical
PZT0	PZTM		VG	G
PZT0	Optical		G	VG
PZTM	PZT0	VG	VB	G
PZTM	PZTM	N	VG	N
PZTM	Optical	G	VB	VG
	Very bad	No effect	Good Very	good

The rejection always works at the measurement point of the feed-back.

The behaviour of the beam changes with the configuration.



- "Structural Dynamic Toolbox" is used to process the characteristics of the model under Matlab / Simulink environment :





Location and technology of the instrumentation Numerical simulation of the small mock-up

Example of the simulation :



Configuration of the test :

-Rejection of one disturbance frequency (1st mode of flexion)

-"PZTM top" in actuator / "PZTM bottom" in sensor

-Monitoring simultaneously of :

- each node of the beam
- the voltage of each PZT patch



Location and technology of the instrumentation Large prototype

The prototype :

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Location and technology of the instrumentation

Simulation of the large prototype

- Finite elements with SAMCEF :

- Simulation of the entire system :





Conclusions

• Active feedback loop on a large scale prototype



- Validation of the frequency tracking
- \rightarrow
 - Requirement of an efficient hardware (data acquisition) to get results at nanometer scale
- Choice of the location and the technology of the instrumentation



- First approach with experimental tests
- \rightarrow
 - Requirement of simulation for validation (with accurate updating models)
 - Multivariable problem with many sensors and actuators using different technologies

