

The origin of matter in the ν MSSM

or

Why do we need the ILC?

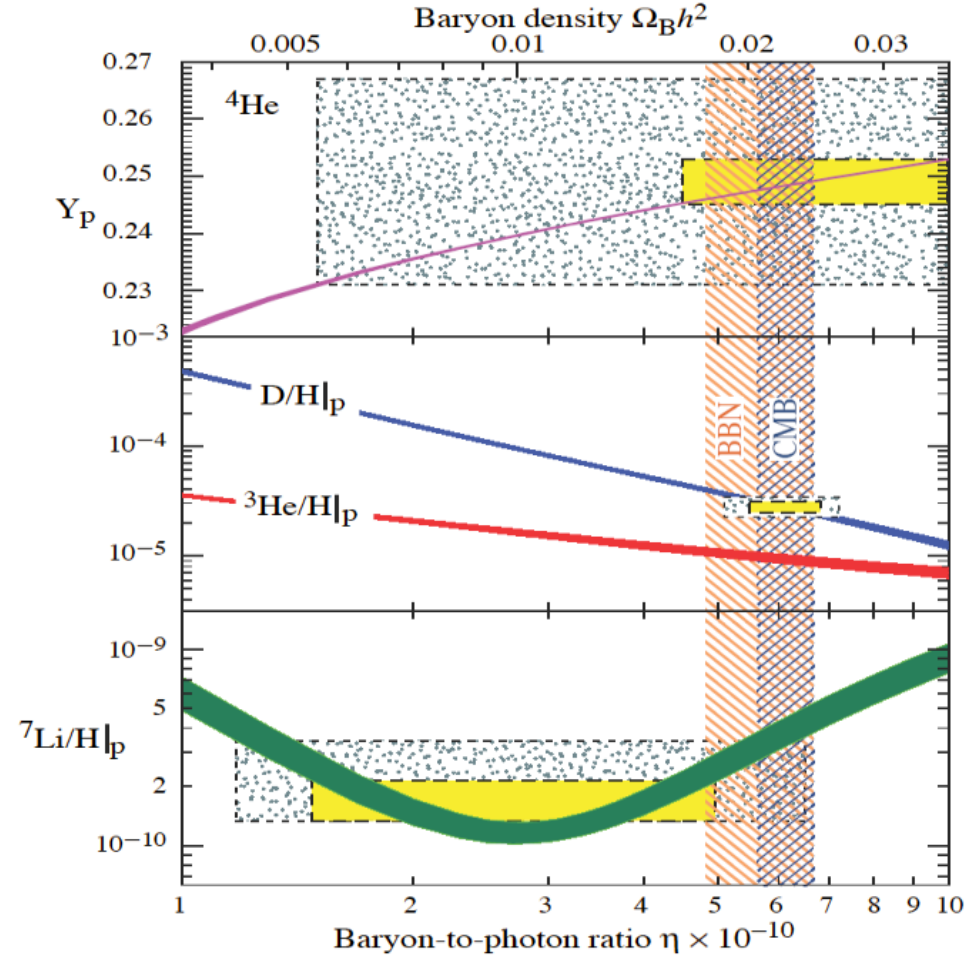
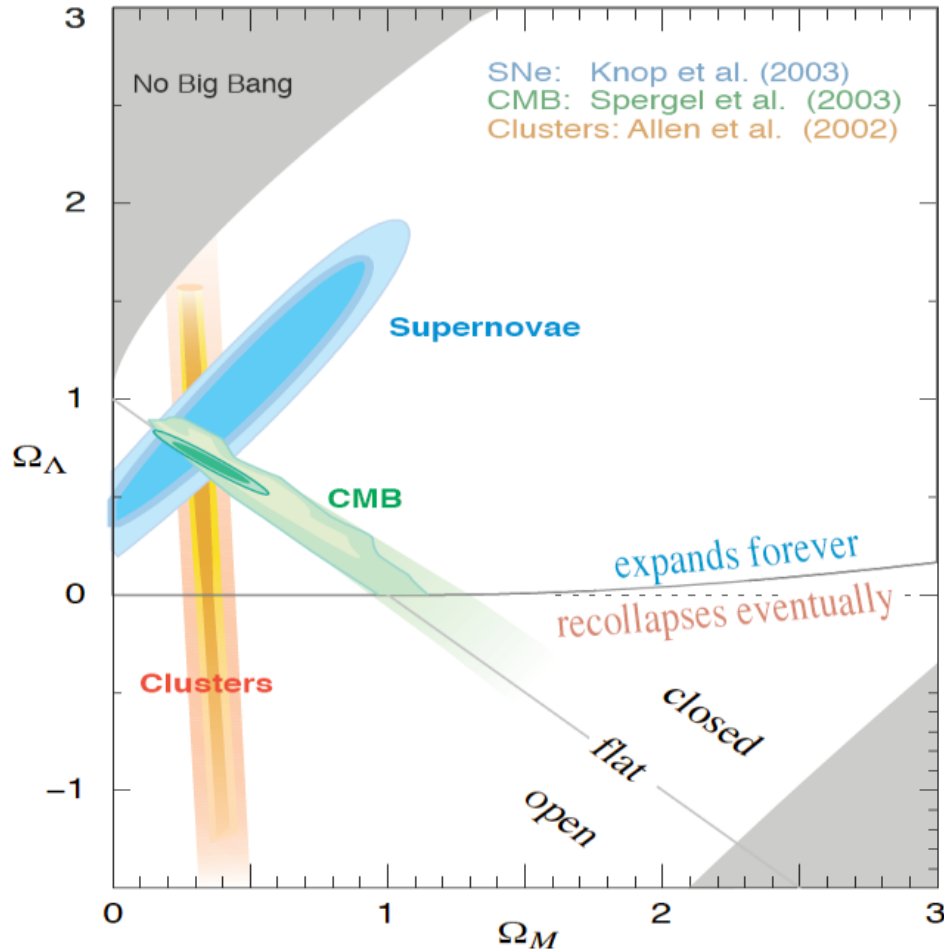
- Origin of matter in the MSSM
- Origin of matter in the ν MSSM
- Need for the ILC

C.Balázs, M.Carena, A. Freitas, C.Wagner hep-ph/0606111

C.Balázs, M.Carena, A. Menon, D.Morrissey, C.Wagner PRD71 075002 ('05)

C.Balázs, M.Carena, C.E.M.Wagner PRD70 015007 ('04)

The matter content of the universe



$$\Omega_{\text{CDM}} = 0.27 \pm 0.04$$

$$\Omega_B = 0.044 \pm 0.001$$

unexplained by the standard models

Baryons in the MSSM

— Electroweak baryogenesis

- explains Ω_B
- constrains MSSM parameter space

— EW phase transition
strongly 1st order \rightarrow
a light stop & higgs

$$m_{\tilde{t}_1} < m_t, \quad m_{\tilde{t}_2} \gtrsim 1 \text{ TeV},$$

$$0.3 < |X_t| / m_{\tilde{a}_3} < 0.5,$$

$$m_h \lesssim 120 \text{ GeV}$$

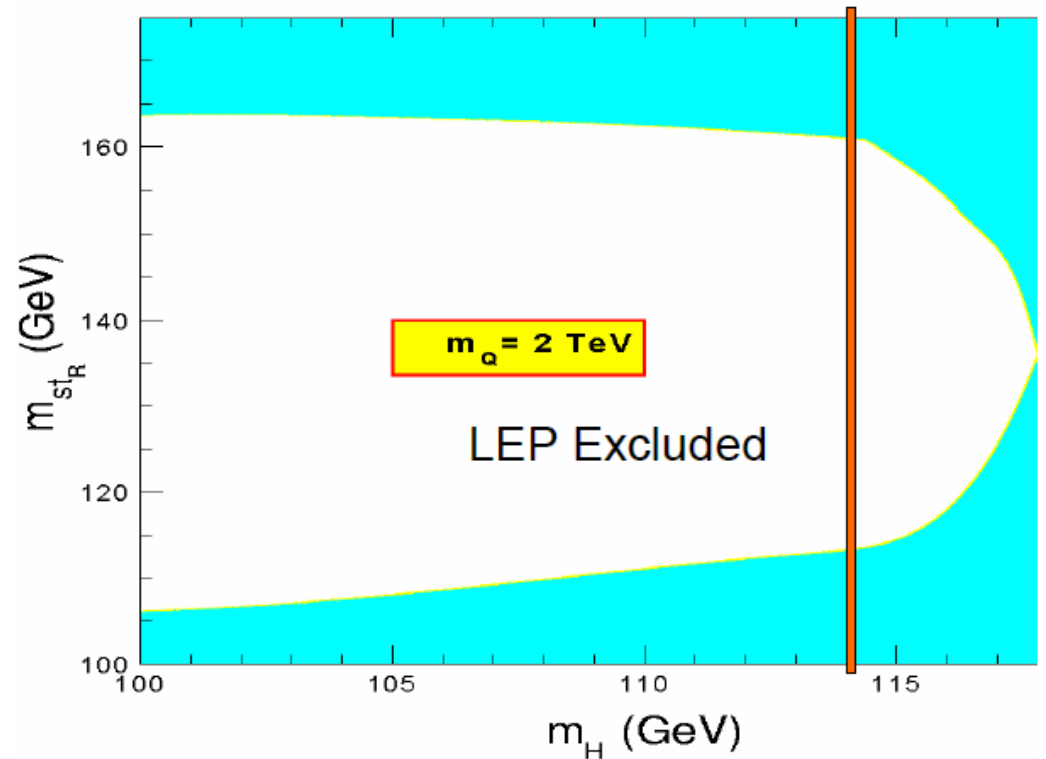
— Enough CP \rightarrow

light charginos & μ

$$M_2, \mu \lesssim 500 \text{ GeV},$$

$$\text{Arg}(M_2 \mu) \gtrsim 0.1$$

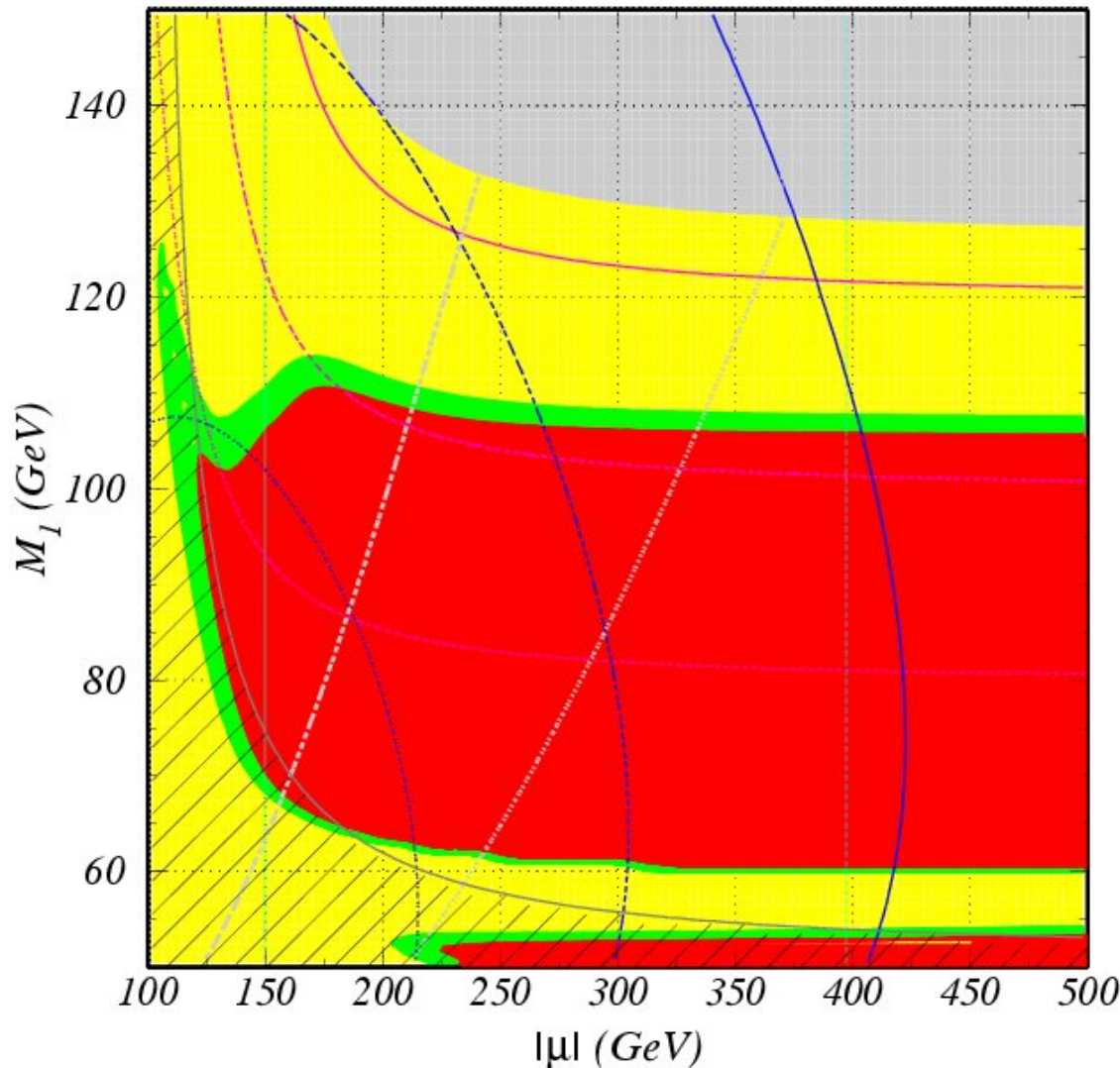
— EDM limits \rightarrow heavy 1st & 2nd generation scalars



Carena, Seco, Quiros, Wagner 2002

All matter in the MSSM

— Ω_B & Ω_{CDM} simultaneously predicted in MSSM



Input parameters:

$$\tan\beta = 7, m_A = 1000 \text{ GeV}, \text{Arg}(\mu) = 1.571$$

$$M_2 = M_1 g_2^2 / g_1^2, \text{Arg}(M_1) = \text{Arg}(M_2) = 0, M_3 = 1 \text{ TeV}$$

$$m_{U3} = 0 \text{ GeV}, m_{Q3} = 1.5 \text{ TeV}, X_t = 0.7 \text{ TeV}$$

$$m_{L3}, m_{E3}, m_{D3} = 1 \text{ TeV}$$

$$m_{L1,2}, m_{E1,2} = 10 \text{ TeV}$$

$$m_{Q1,2}, m_{U1,2}, m_{D1,2} = 10 \text{ TeV}$$

Legend:

$$\text{Grey box: } m_{t1} > m_{Z1} \quad \text{Hatched box: } m_{W1} < 103.5 \text{ GeV}$$

$$\text{Red box: } \Omega h^2 > 0.129 \quad \text{Yellow box: } \Omega h^2 < 0.095$$

$$\text{Green box: } 0.095 < \Omega h^2 < 0.129$$

$$\sigma_{si} = \underline{3E-08} \quad \underline{3E-09} \quad \underline{3E-10} \text{ pb}$$

$$m_{Z1} = \underline{120} \quad \underline{100} \quad \underline{80} \text{ GeV}$$

$$d_e = \underline{1E-27} \quad \underline{1.2E-27} \quad \underline{1.4E-27} \text{ e cm}$$

Balázs, Carena, Menon, Morrissey, Wagner 2005

uMSSM

— Discrete symmetries of super- \mathcal{E} Kahler potential

$$Z_5^R, Z_7^R \subset U(1)_{R'} \quad \text{where} \quad R' = 3R + PQ$$

to prevent domain walls and large tadpoles

- Superpotential

$$W = W_{\text{MSSM}} + \lambda \hat{S} H_1 \cdot H_2 + \frac{m_{12}^2}{\lambda} \hat{S}$$

- Scalar potential

$$V = V_{\text{MSSM}} + m_S^2 |S|^2 + t_S (S + \text{h.c.}) + a_\lambda (S H_1 \cdot H_2 + \text{h.c.})$$

- New parameters

$$V_S, \lambda, a_\lambda, m_S, m_{12}, t_S$$

uMSSM

— Solves μ problem naturally

$$W = W_{\text{MSSM}} + \lambda \hat{S} H_1 \cdot H_2 + \frac{m_{12}^2}{\lambda} \hat{S}$$

• $\mu = \lambda \langle S \rangle = \lambda v_S$ set by EW scale

— Alleviates fine tuning in Higgs/stop sector

$$m_h^2 \leq m_Z^2 \left(\cos^2 2\beta + \frac{2\lambda^2}{g^2} \sin^2 2\beta \right)$$

• tree level lightest Higgs mass limit relaxed

— Tree level cubic term of scalar potential

$$V = V_{\text{MSSM}} + m_S^2 |S|^2 + t_S (S + h.c.) + a_\lambda (S H_1 \cdot H_2 + h.c.)$$

assists a strongly 1st order EW phase transition

Baryons in the nMSSM

— Measured $\eta_B \leftrightarrow$ strongly 1st order EWPT \leftrightarrow large OP

$$\phi_c/T_c \gtrsim 1$$

• strength of EWPT \leftrightarrow minimum of finite T eff. potential

$$V_{\text{eff}}(\phi, T) = (-\mu^2 + \alpha T^2)\phi^2 - \gamma T \phi^3 + \frac{\lambda}{4} \phi^4 + \dots$$

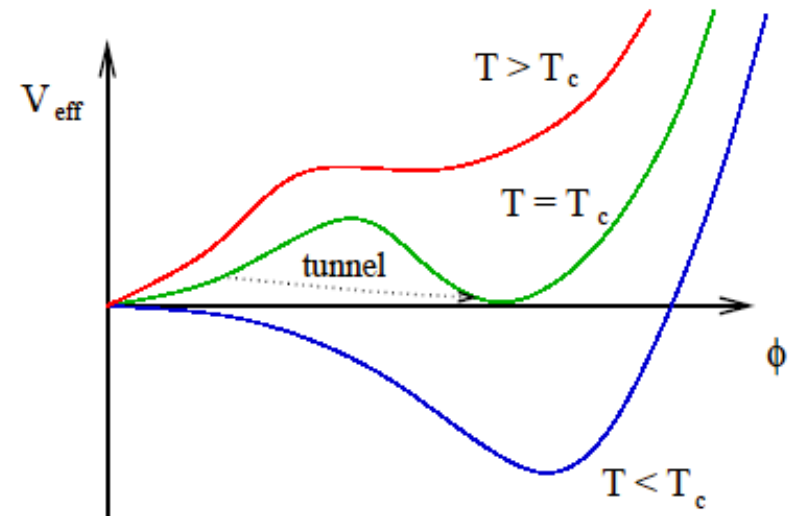
• V_{eff} minimal for $0 < \phi$ if $\frac{\phi_c}{T_c} \sim \frac{\gamma}{\lambda} \rightarrow \gamma$ determines OP

• γ generated by

SM: bosonic loops $\rightarrow \gamma \sim g^3$

MSSM: sc. loops $\rightarrow \gamma \sim y^3$

nMSSM: tree level $\rightarrow \gamma \sim a_\lambda$



• MSSM: light stop induces strongly 1st order EWPT

nMSSM: no need for light stop

Dark matter in nMSSM

— Neutralinos

$$M_{\tilde{Z}} = \begin{pmatrix} M_1 & \cdot & \cdot & \cdot & \cdot \\ 0 & M_2 & \cdot & \cdot & \cdot \\ -c_\beta s_w m_Z & c_\beta s_w m_Z & 0 & \cdot & \cdot \\ s_\beta c_w m_Z & -s_\beta c_w m_Z & \lambda v_S & 0 & \cdot \\ 0 & 0 & \lambda v_2 & \lambda v_1 & 0 \end{pmatrix}$$

- unification assumption: $M_2 = \alpha_2/\alpha_1 M_1$
- EWBG: low $\tan\beta$
- typical lightest neutralino: mostly singlino

$$m_{\tilde{Z}_1} \sim 2\lambda v_1 v_2 v_S / (v_1^2 + v_2^2 + v_S^2) \lesssim 60 \text{ GeV}$$

- complex phase: $\lambda = |\lambda| e^{i\phi_\lambda}$

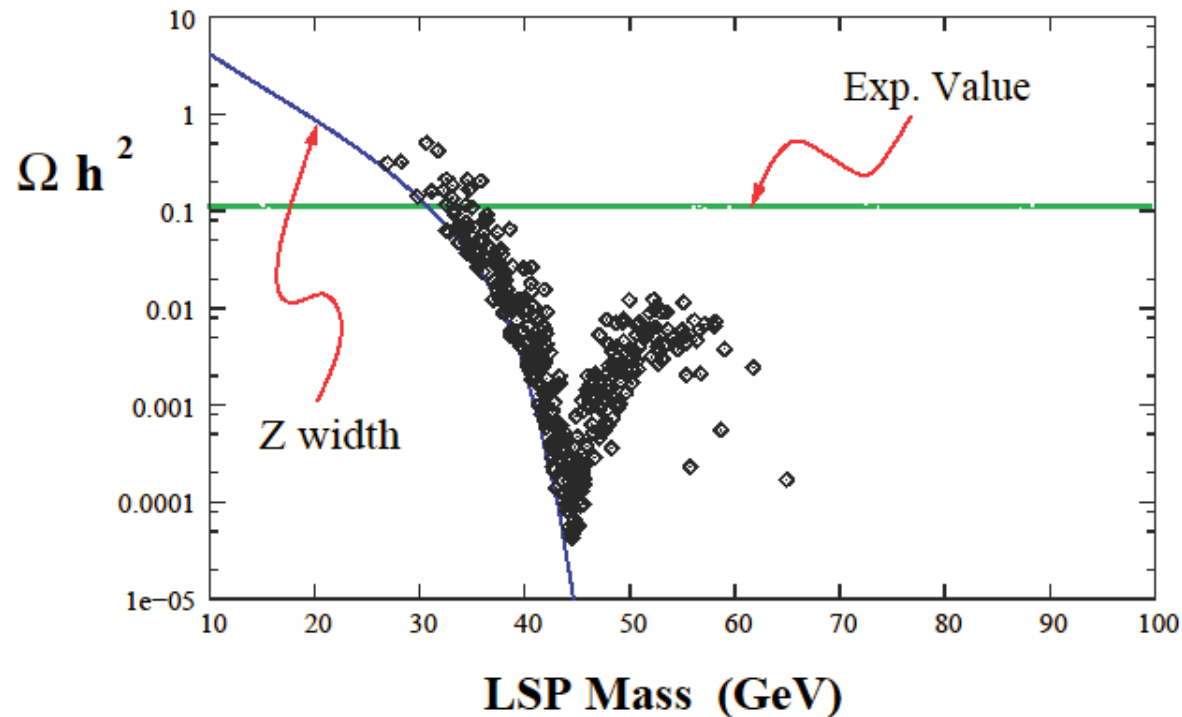
All matter in nMSSM

— Neutralino relic density

• \tilde{Z}_1 light \rightarrow

no coannihilations

dominant annihilation channel: $\tilde{Z}_1 \tilde{Z}_1 \rightarrow Z \rightarrow 2\chi$



Menon, Morrissey, Wagner 2004

Aside: Higgs sector

$$H_1 = \begin{pmatrix} v_1 + (\phi_1 + i a_1) / \sqrt{2} \\ \phi_1^- \end{pmatrix} \quad H_2 = \begin{pmatrix} \phi_2^+ \\ v_2 + (\phi_2 + i a_2) / \sqrt{2} \end{pmatrix}$$

$$S = v_S + (\phi_S + i a_S) / \sqrt{2}$$

- $6 - 1 = 5$ neutral physical Higgses

$$\begin{pmatrix} S_1 \\ S_2 \\ S_3 \end{pmatrix} = O^S \begin{pmatrix} \phi_1 \\ \phi_2 \\ \phi_S \end{pmatrix} \quad \begin{pmatrix} P_1 \\ P_2 \end{pmatrix} = O^P \begin{pmatrix} A^0 \\ a_S \end{pmatrix}$$

- lightest Higgs (~ 115 GeV) decay modes

$$\text{Br}(S_1 \rightarrow b\bar{b}) = 8\% \quad \text{Br}(S_1 \rightarrow \tilde{Z}_1 \tilde{Z}_1) = 91\%$$

- LHC: detection via WBF & Zh production

mass determination via ratio of WBF & Zh prod

Benchmark scans

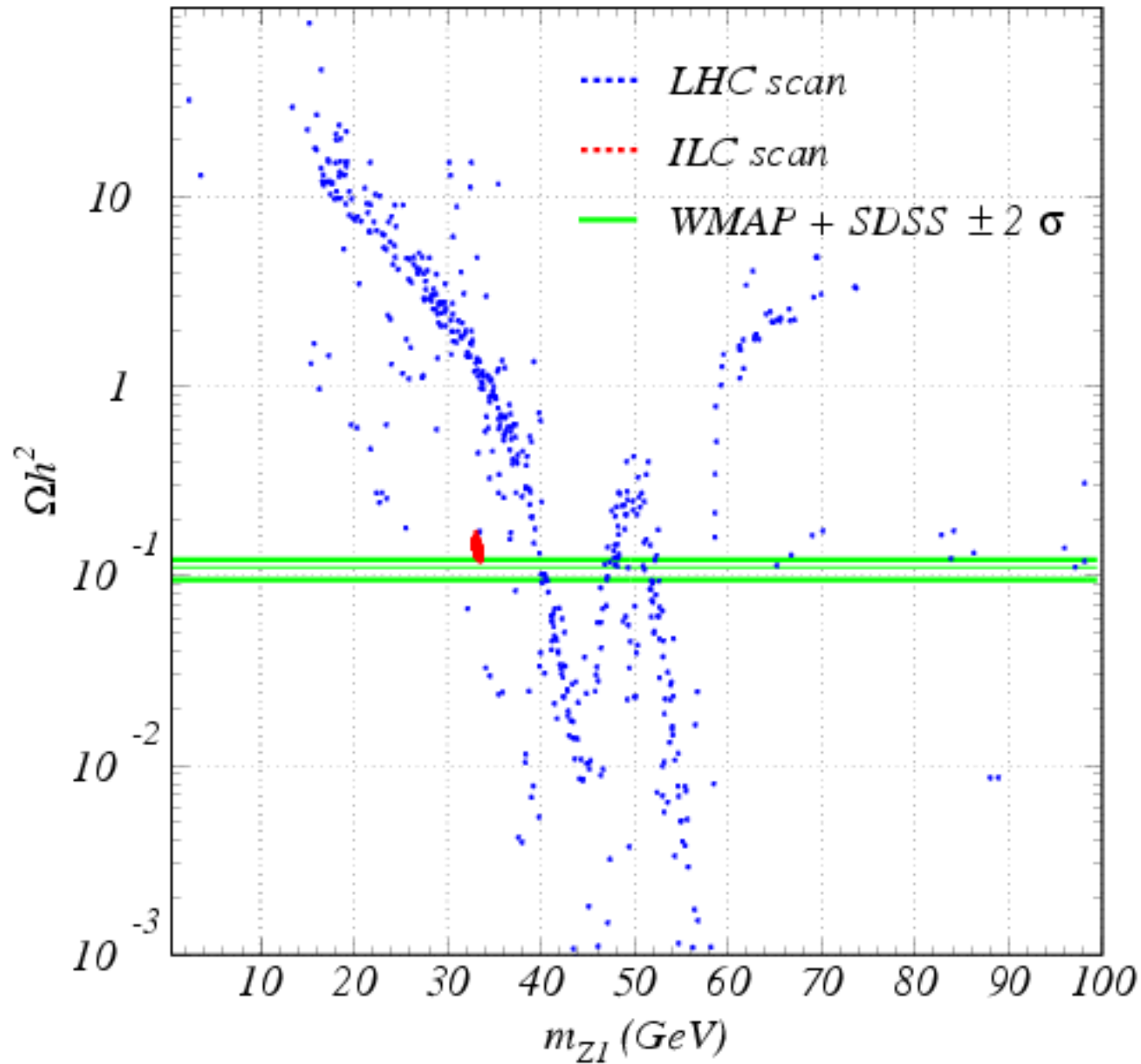
— Benchmarks

	$\tan\beta$	λ	v_s	a_λ	m_a	M_2	ϕ_λ
A	1.70	0.619	-384	373	923	245	0.14
B	1.99	0.676	-220	305	914	418	2.57
C	1.10	0.920	-276	386	514	462	2.38
			GeV	GeV	GeV	GeV	

— "Scan"

- generate LHC & ILC events (tree & parton level w/ BGs, jet broadening, ...)
- construct appropriate invariant mass distributions
- reconstruct masses (couplings) from distributions
- determine central values and precision

Need for the ILC



Need for the ILC

— Typical production/decay chain:

squarks/gluinos \rightarrow

charginos/neutralinos \rightarrow

leptons/jets

- typical invariant mass spectra (lumi 300 fb^{-1})

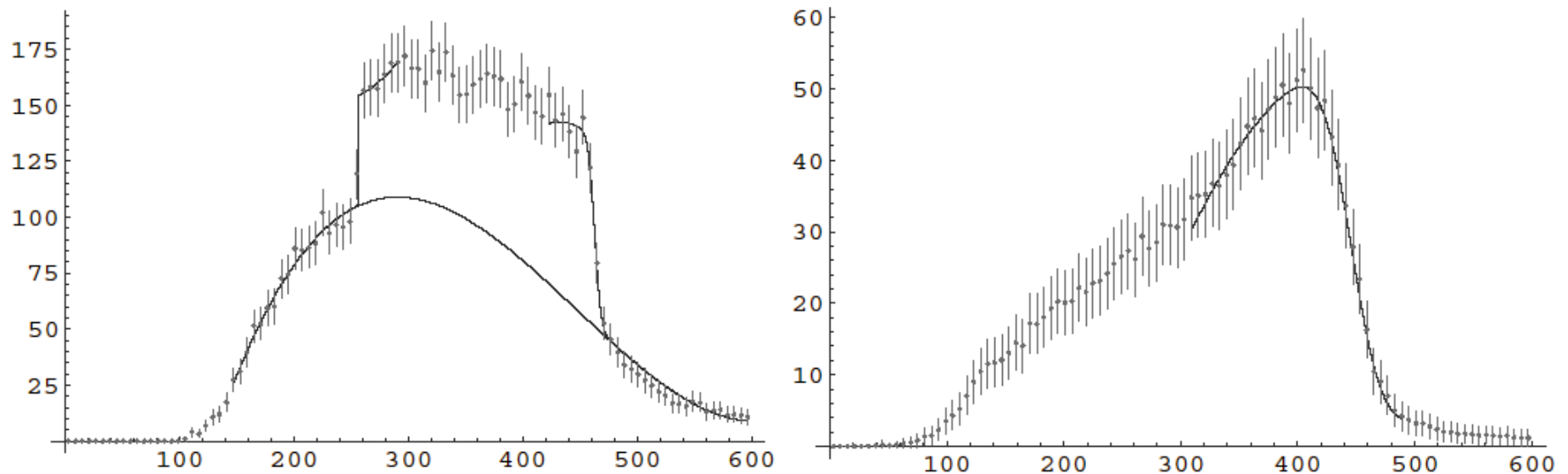


Figure 2: Fits to m_{jl} distribution for $\tilde{\chi}_3^0$ and $\tilde{\chi}_2^0$ production at LHC.

Need for the ILC

- four kinematic (mass) edges \rightarrow four mass parameters

$$m_{ll,max} = m_{\tilde{Z}_2} - m_{\tilde{Z}_1} = 73.5 \pm 0.6 \text{ GeV}$$

$$m_{jll,max,2}^2 = (m_{\tilde{Z}_2}^2 - m_{\tilde{Z}_1}^2)(m_{\tilde{b}_1}^2 - m_{\tilde{Z}_2}^2) / m_{\tilde{Z}_2}^2 = 447.0 \pm 20.0 \text{ GeV}$$

$$m_{jll,min,3}^2 = f(m_{\tilde{Z}_1}, m_{\tilde{Z}_3}, m_{\tilde{Z}_2}, m_{\tilde{b}_1}) = 256.2 \pm 7.0 \text{ GeV}$$

$$m_{jll,max,3}^2 = f(m_{\tilde{Z}_1}, m_{\tilde{Z}_3}, m_{\tilde{Z}_2}, m_{\tilde{b}_1}) = 463.5 \pm 9.0 \text{ GeV}$$

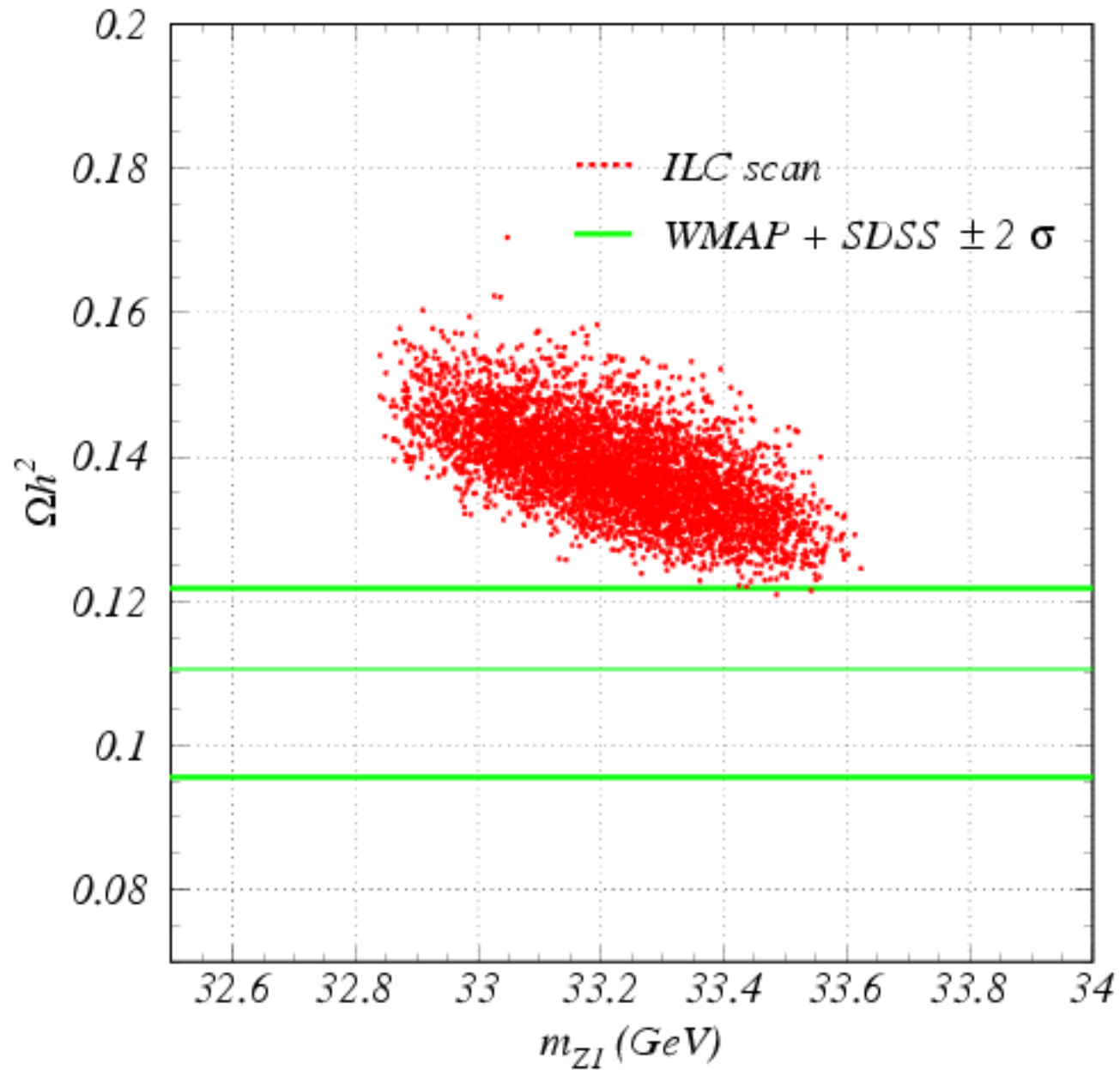
- individual masses

$$m_{\tilde{Z}_1} = 33_{-18}^{+32} \text{ GeV} \quad m_{\tilde{Z}_2} = 107_{-18}^{+33} \text{ GeV}$$

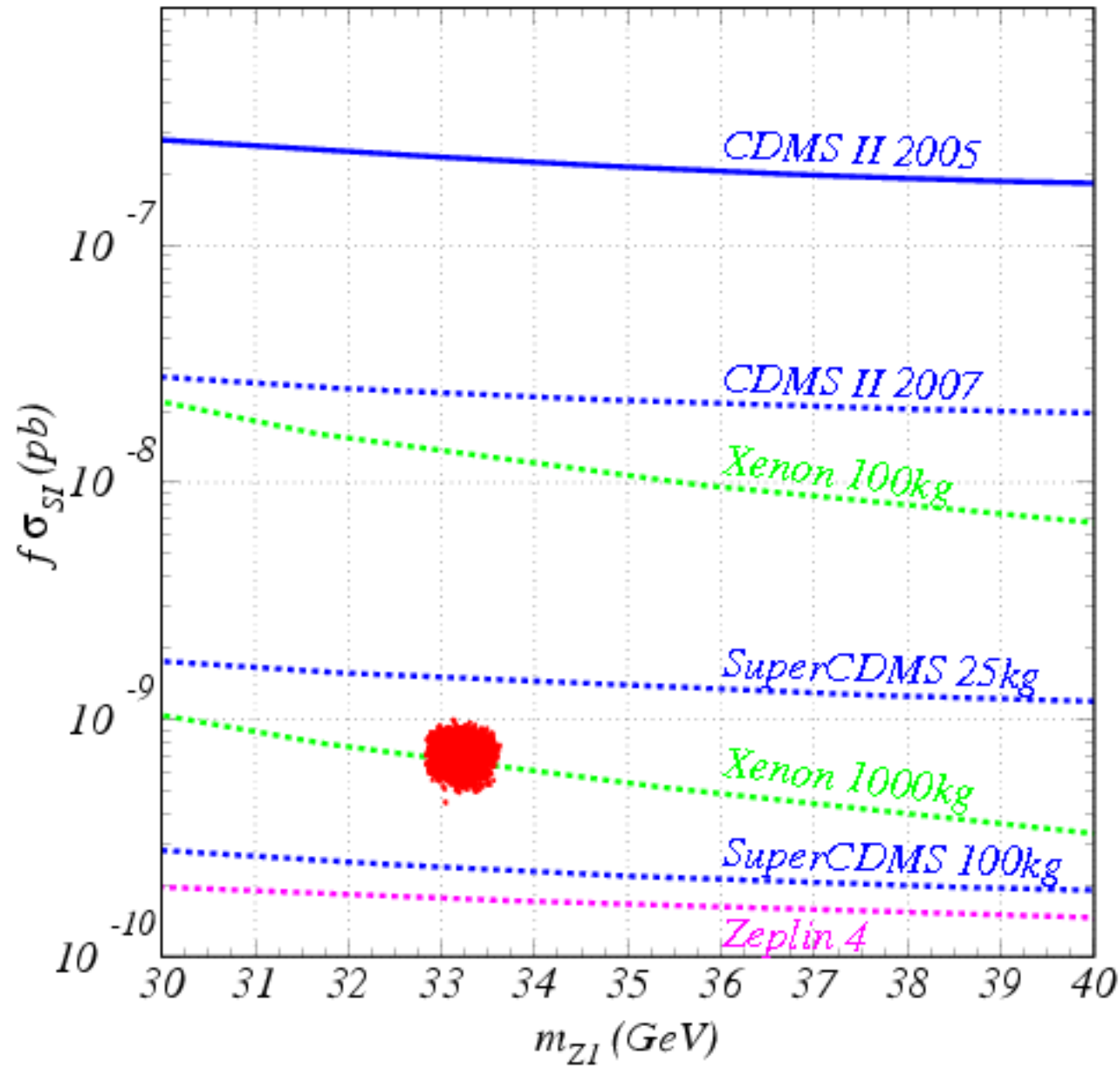
$$m_{\tilde{Z}_3} = 181_{-10}^{+20} \text{ GeV} \quad m_{\tilde{b}_1} = 499_{-17}^{+30} \text{ GeV}$$

- absolute precision is reasonable but \tilde{Z}_1 is very light!

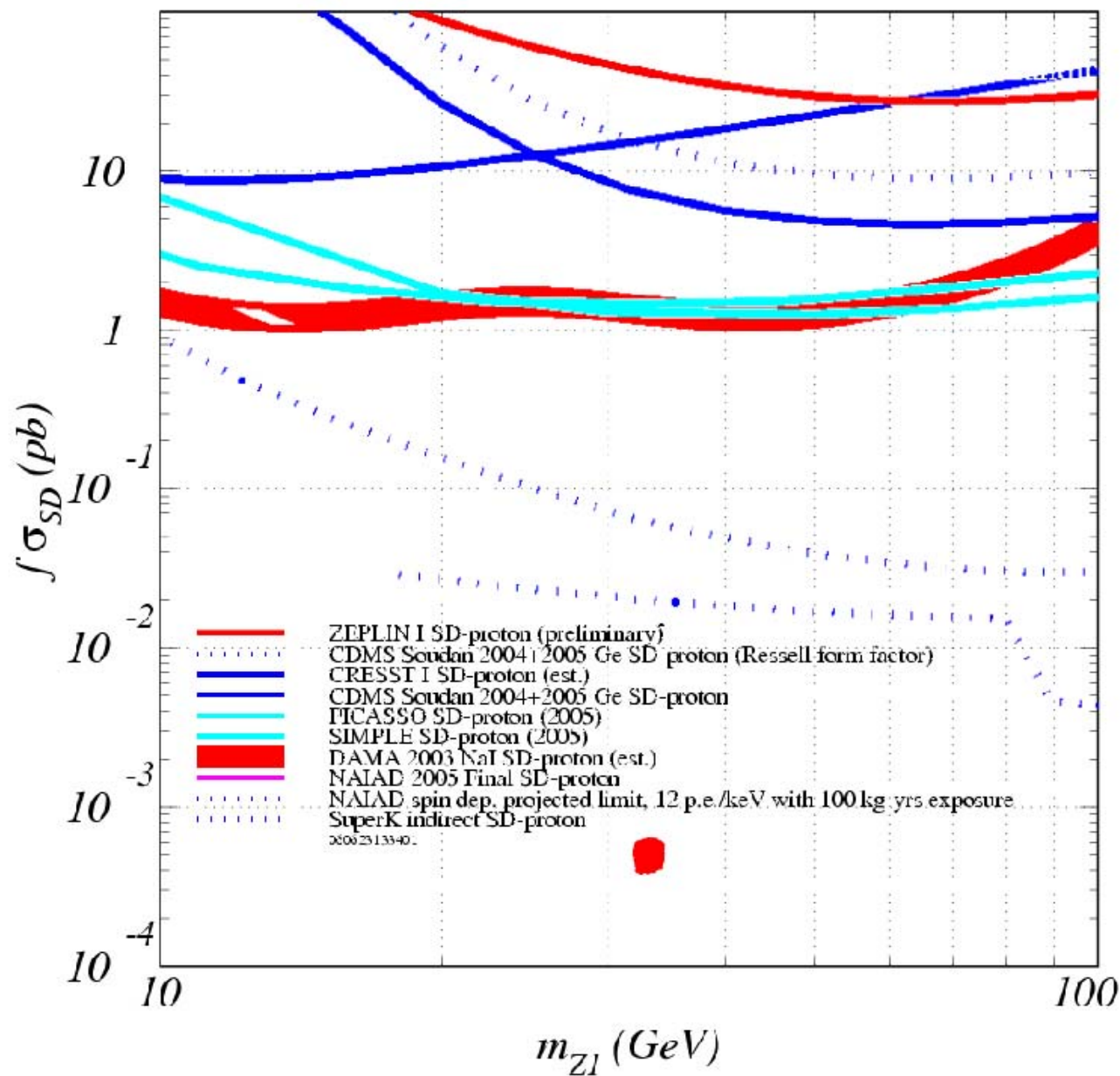
Need for the ILC



Direct detection



(in)Direct detection



Conclusions

ν MSSM improves on MSSM: no μ problem, no (less) fine-tuning, less constrained spectrum

Electroweak baryogenesis less constrained in ν MSSM due to tree level cubic contribution to scalar potential

All matter in the universe can be simultaneously generated in the ν MSSM

ILC precision is critical for determining astrophysical parameters: relic density, WIMP-nucleon scattering, ...