

Probing Dark Energy via ν & SN Observatories

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Joseph Baker, Haim Goldberg, G.P., & Ina Sarcevic, in preparation.

Outline

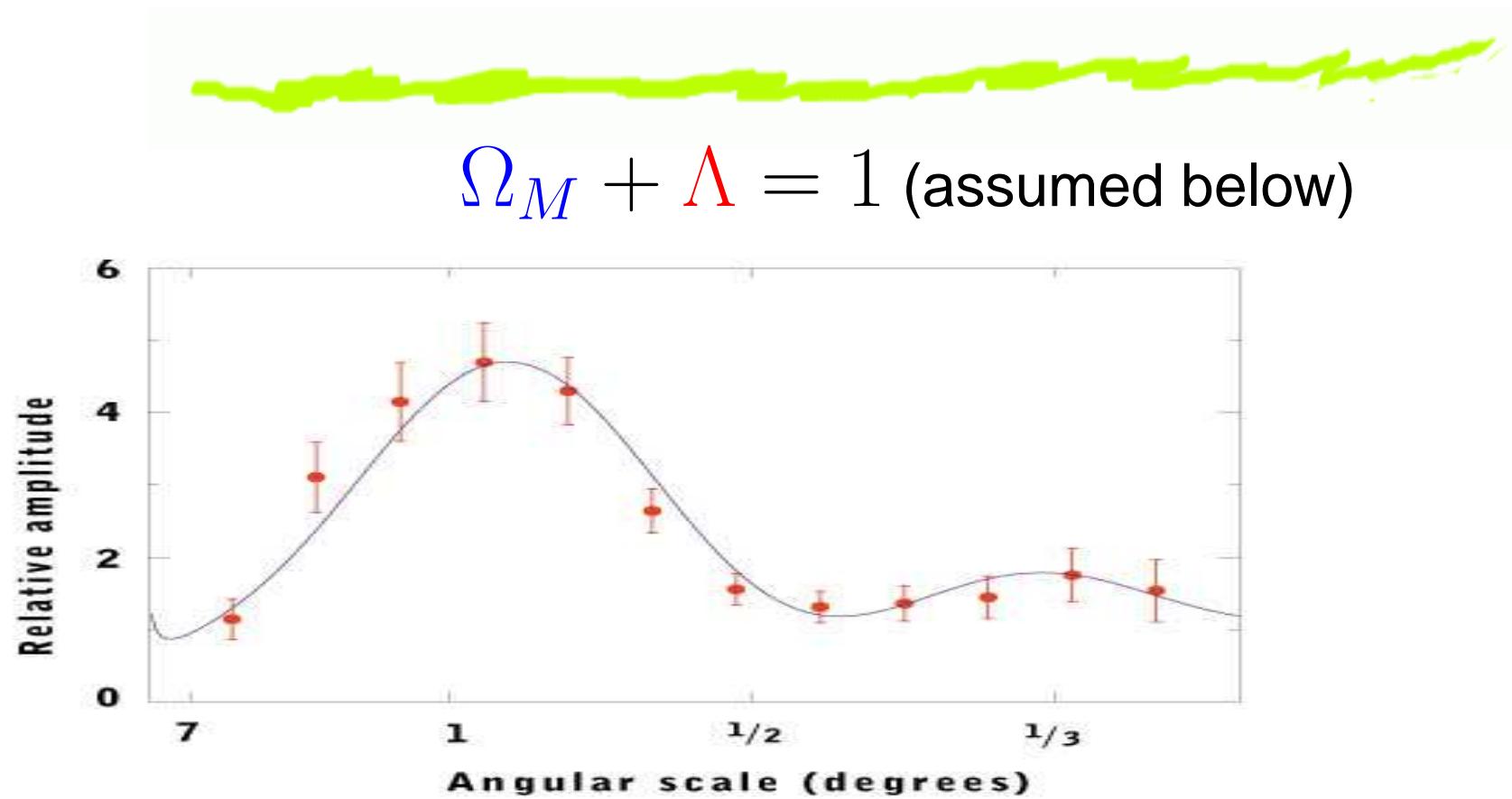
- ⌚ Introduction.
- ⌚ Main Idea.
- ⌚ SN core collapse rate & SNAP.
- ⌚ Observing the Relic SN ν .
- ⌚ SN & ν flux.
- ⌚ Discussion (ex. mini Z').

Introduction

98 - great year for ν (Atm') & Cosm' (SN,CMB).



CMBR: *Flat Universe*

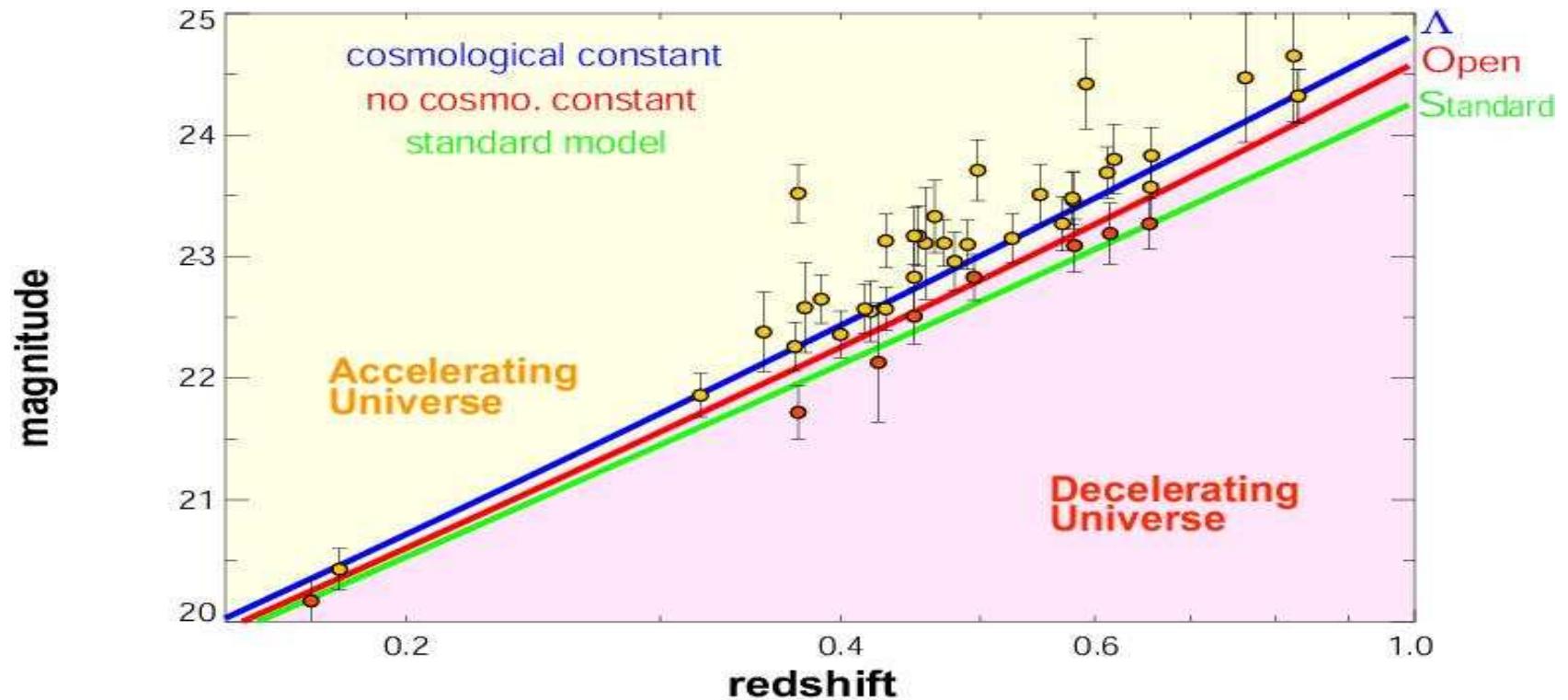


Deceleration was obvious (SCDM):

$$ds^2 = dt^2 + a^2 dx^2, \quad \ddot{a} \propto -\Omega_M (1+z)^3$$

SNe: Looks fainter

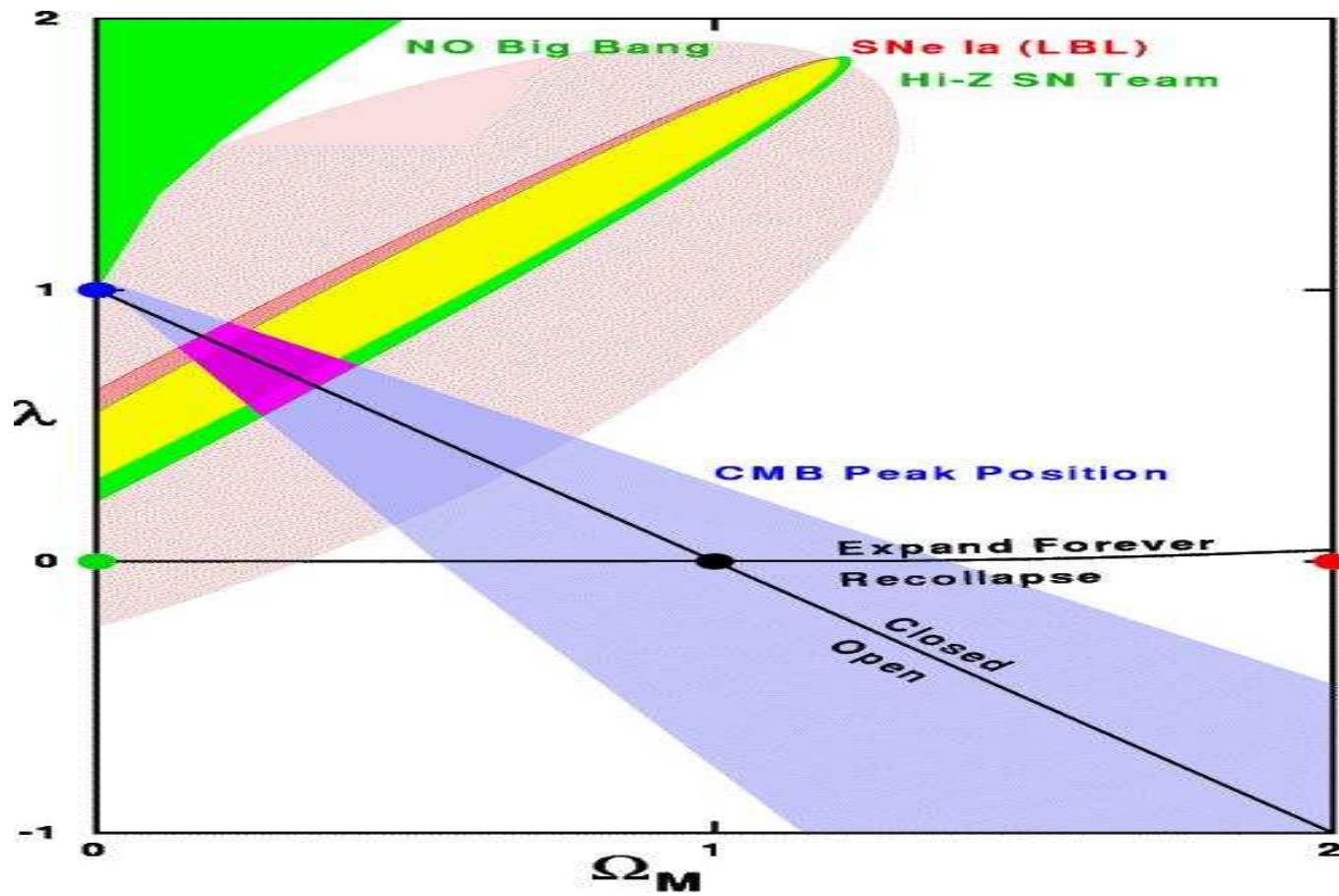
$$L = F^{Ia} / d_L^2(z, \Lambda)$$



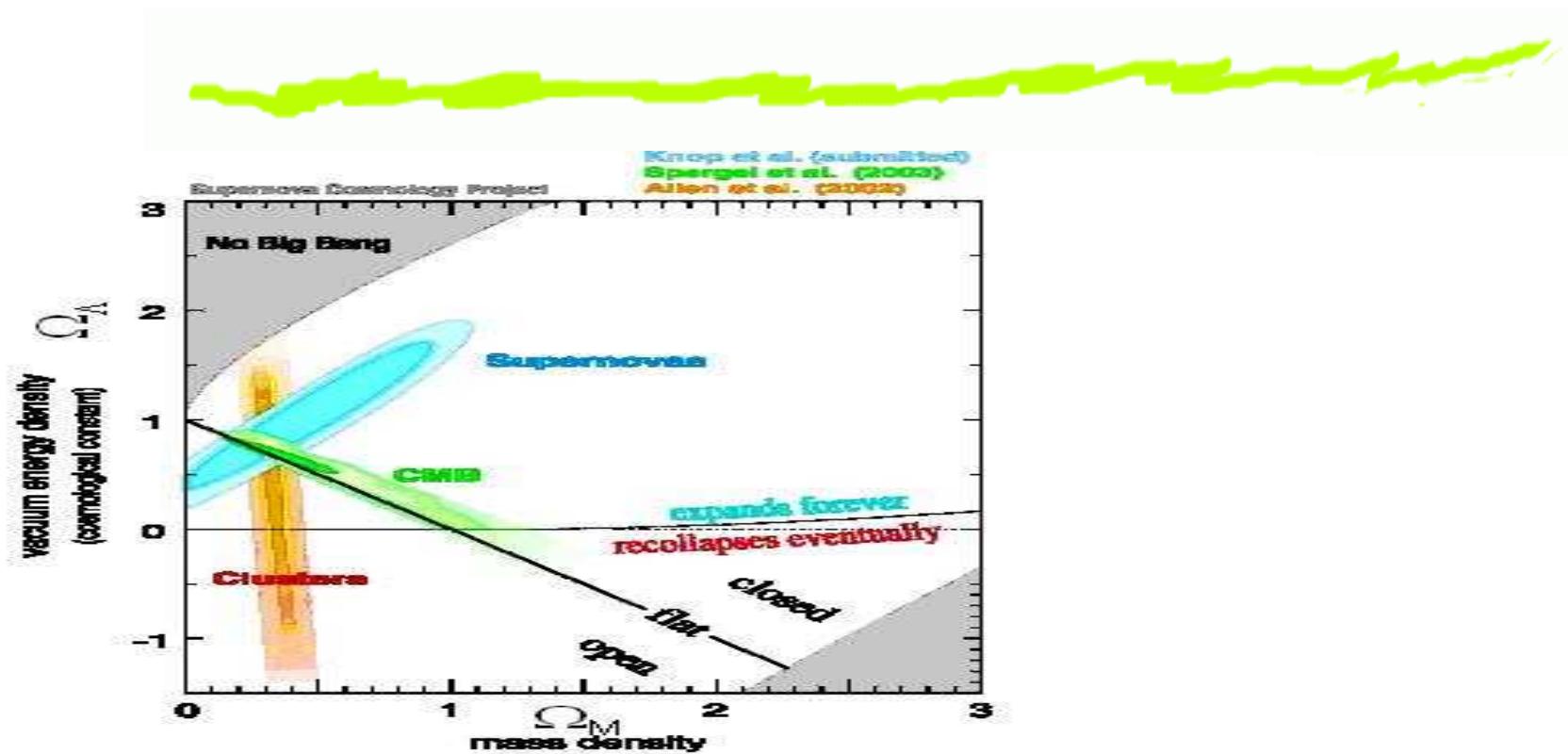
CMB → flat + SN → ??



Dark Energy, $\Lambda \sim 0.7 !$



More indirect evidences



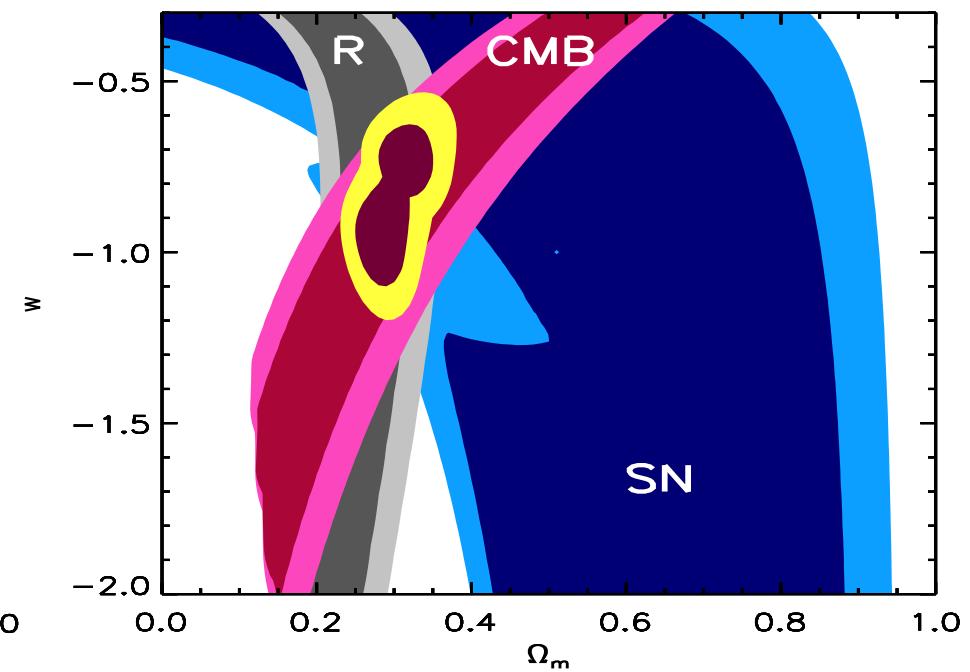
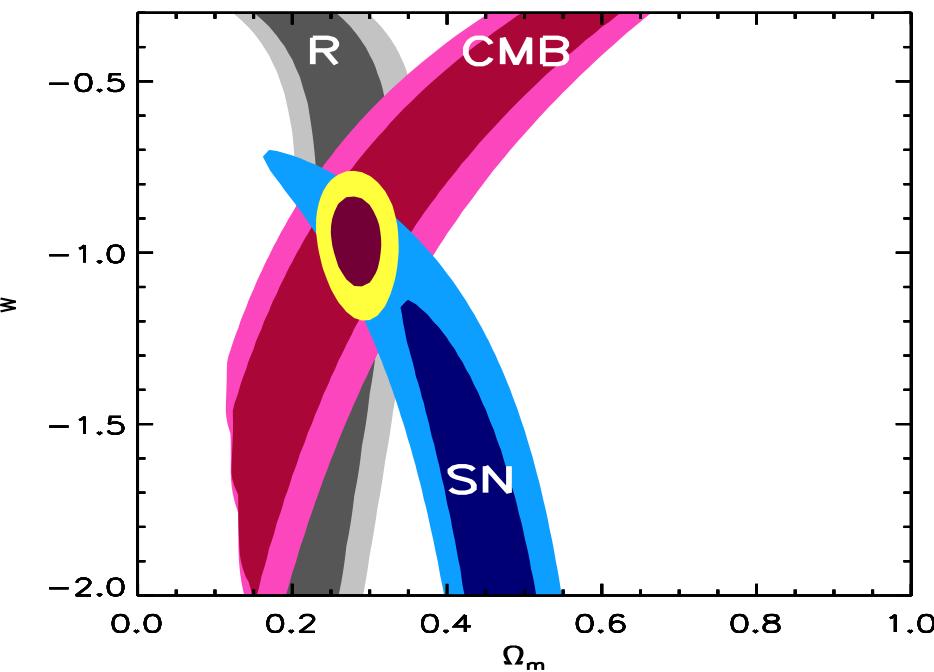
- ⑥ SNe - the strongest (direct) evidence.
- ⑥ Others mostly measu' $\Omega_{m,B}$ (however ISW,SZ ...).

Next: $w = p/\rho$?

- ⑥ Must control intensity loss:
- ⑥ Dust extinction.
- ⑥ NP (e.g. axions Csaki, Kaloper& Terning).

$SN \Rightarrow$ particular phys. + syst

w VS. Ω_M (CMB+baryon osc' & SNe /w & /wo axions)

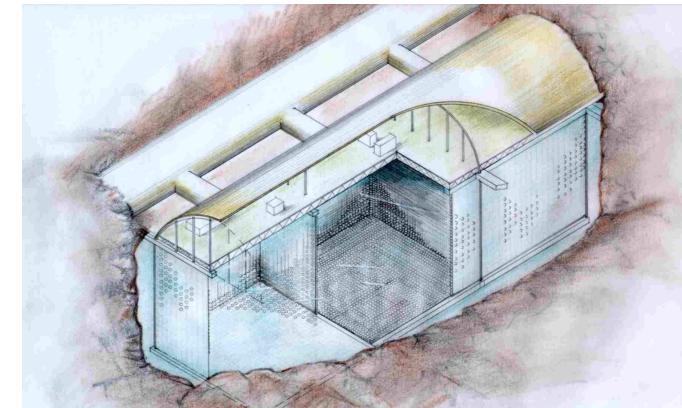
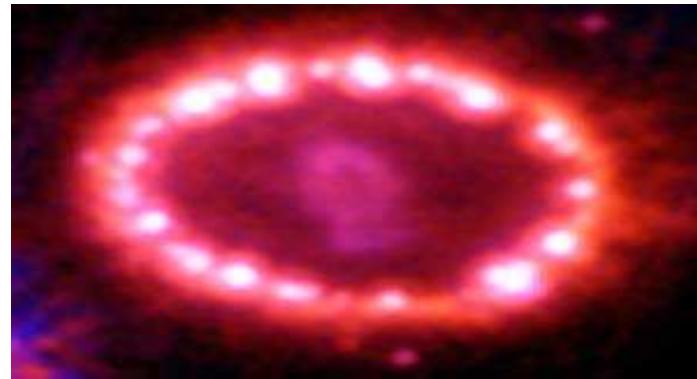
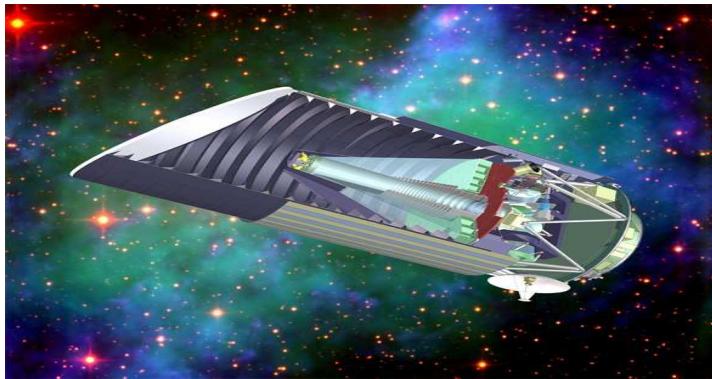


⑥ SNe like $w < -1$?

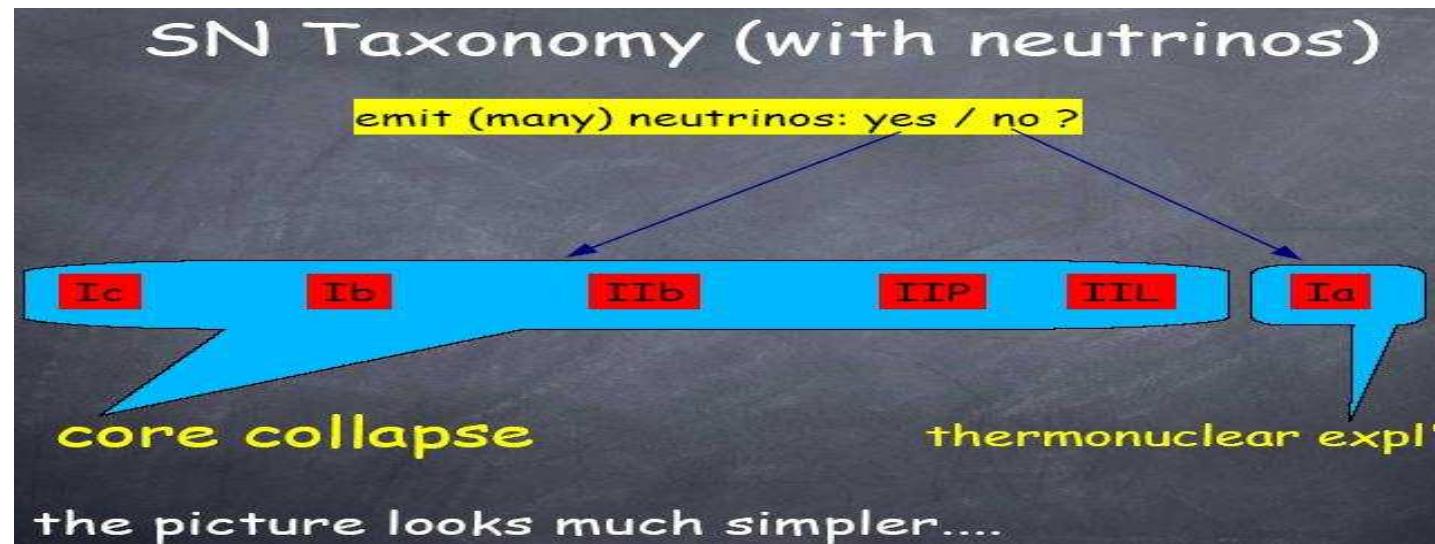
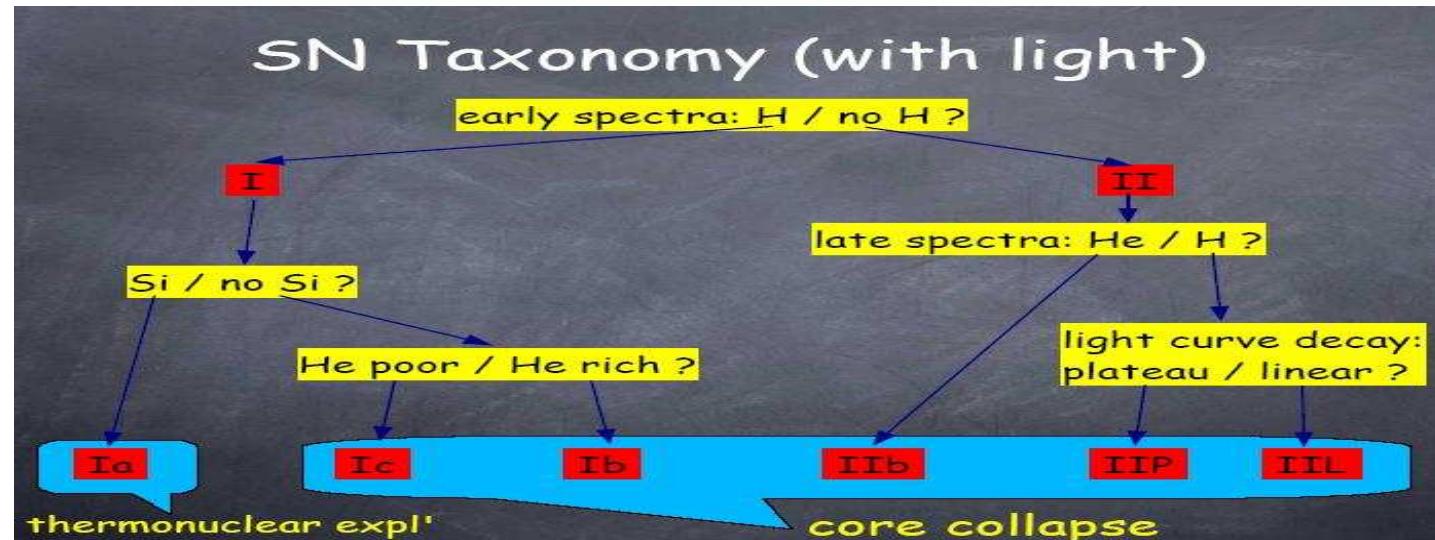
Song & Hu (05)

Different probe (ν , gravity waves) ?

Main Idea

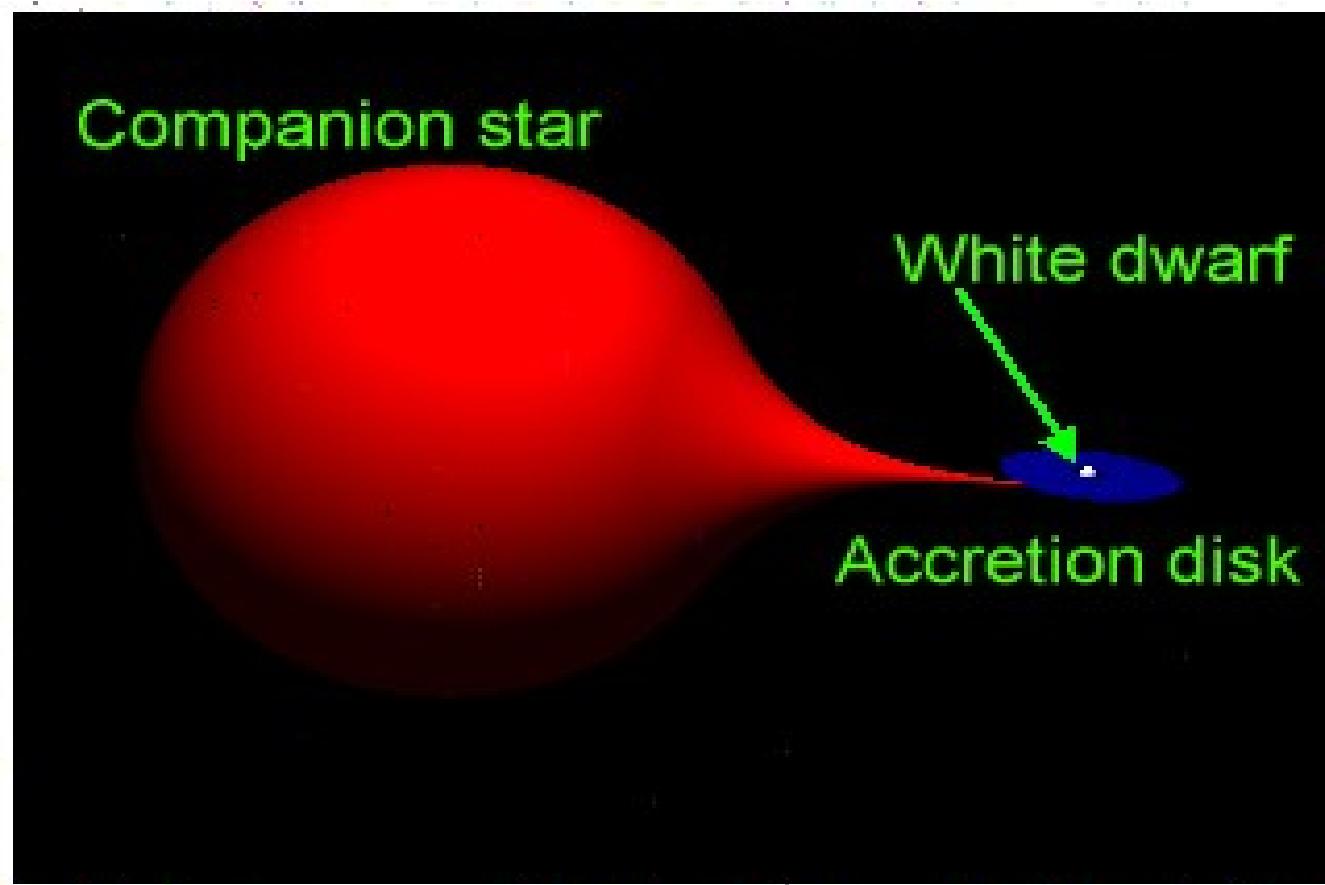


Type Ia vs. Core Collapse (CC)



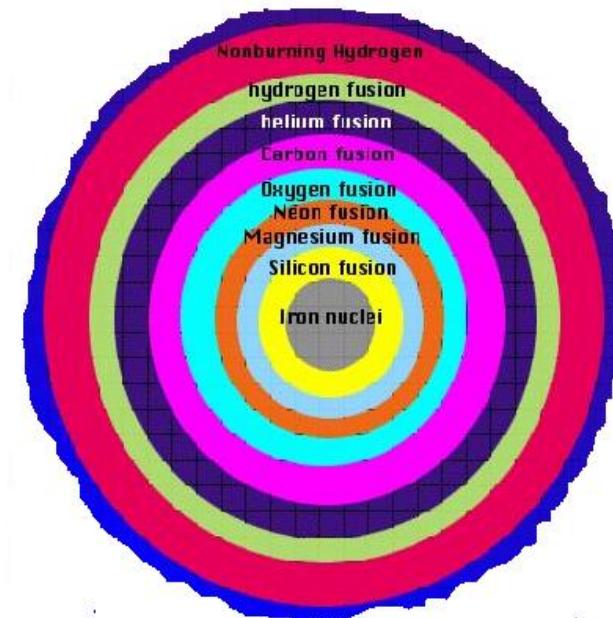
Type Ia vs. Core Collapse (CC)

Ia: small, old progenitor, binary



CC SN Ib,Ic, IIx

CC: big, young prog'



Main Idea

- ➊ Replace SN- γ s with SN- ν s.
- ➋ Combine info' from ν & SN obs'.
- ➌ HyperK/UNO - $\frac{10^2}{\text{year}}$ relic SN $\nu \Rightarrow \Phi^\nu(\epsilon)$.
- ➍ SNAP - $\frac{10^3}{\text{year}}$ CC SN $\Rightarrow R_{\text{SN}}(z)$.
- ➎ $\Phi^\nu(\epsilon)$ & $R_{\text{SN}}(z) \Leftrightarrow$ Cosm' dependent!
- ➏ $\Phi^\nu(\epsilon), R_{\text{SN}}(z)$ - uncertain due to $R_{\text{SN}}^{\text{co}}$.

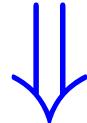
$R_{\text{SN}} + \Phi^{\nu}$ **Cosm' sensitive**

- Φ^ν is a function of R_{SN} (& $\frac{dN^{\nu}}{d\epsilon}$ see later):

$$\Phi^{\nu} \propto \int dz R_{\text{SN}} \frac{dN^{\nu}}{d\epsilon} \frac{1}{d_L^2(\Omega_M, \Lambda)},$$

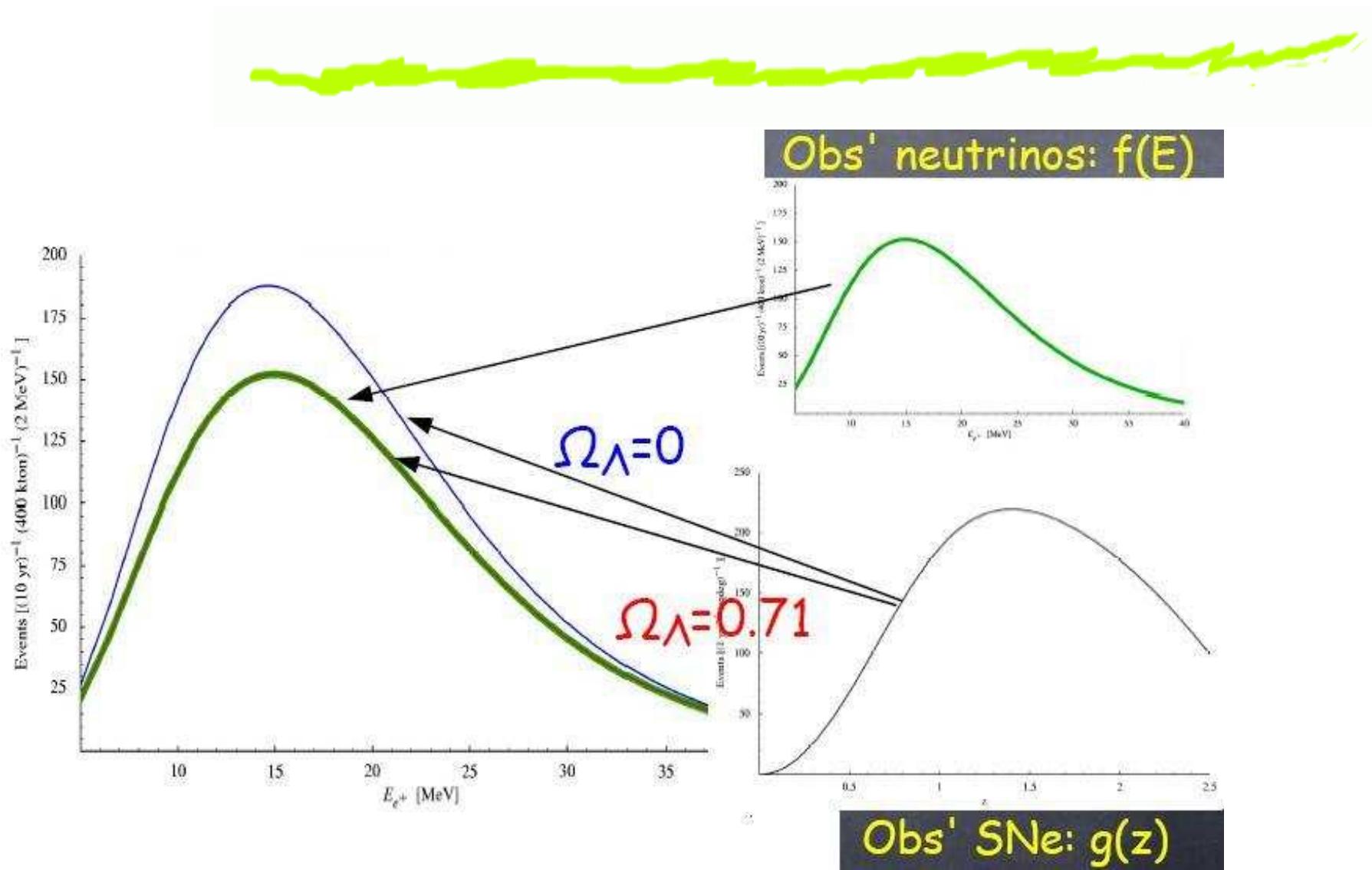


- The dependence on $R_{\text{SN}}^{\text{co}}$ cancel.



Still cosm' dep' (SN -“standard” ν candle)!

Λ CDM vs. SCDM - naive picture



Main idea - summary

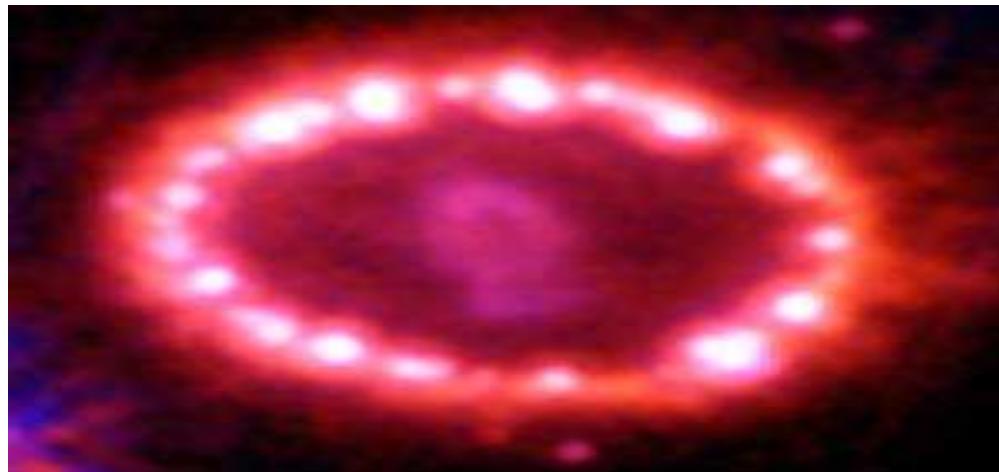
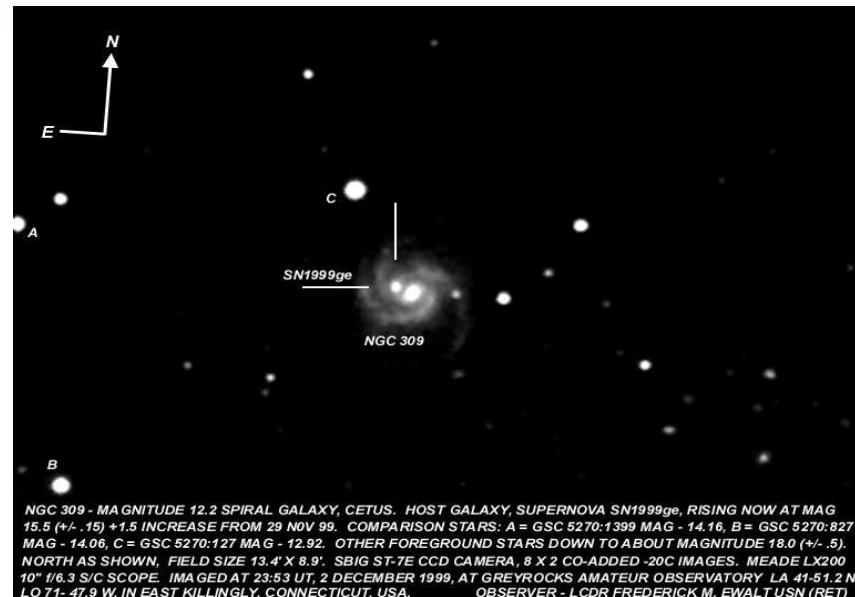
$$\Phi^\nu \propto \int dz R_{\text{SN}} \frac{dN^\nu}{d\epsilon} \frac{1}{d_L^2(\Omega_M, \Lambda)}$$

- ➊ Measure Φ^ν . (MT detectors+Gd ~ 1000)
- ➋ Measure R_{SN} . (SNAP ~ 3000)
- ➌ Theo' + exp' speculation to fight $\frac{dN^\nu}{d\epsilon}$.

Go after cos' anomalies $\Rightarrow d_L^2(\Omega_M, \Lambda/w)$.

OR use the above + cos' $\Rightarrow \frac{dN^\nu}{d\epsilon}$.

R_{SN} & SN observatories



Measurement of R_{SN}

- ⌚ $R_{\text{SN}}(z)$ from light **bad**²:

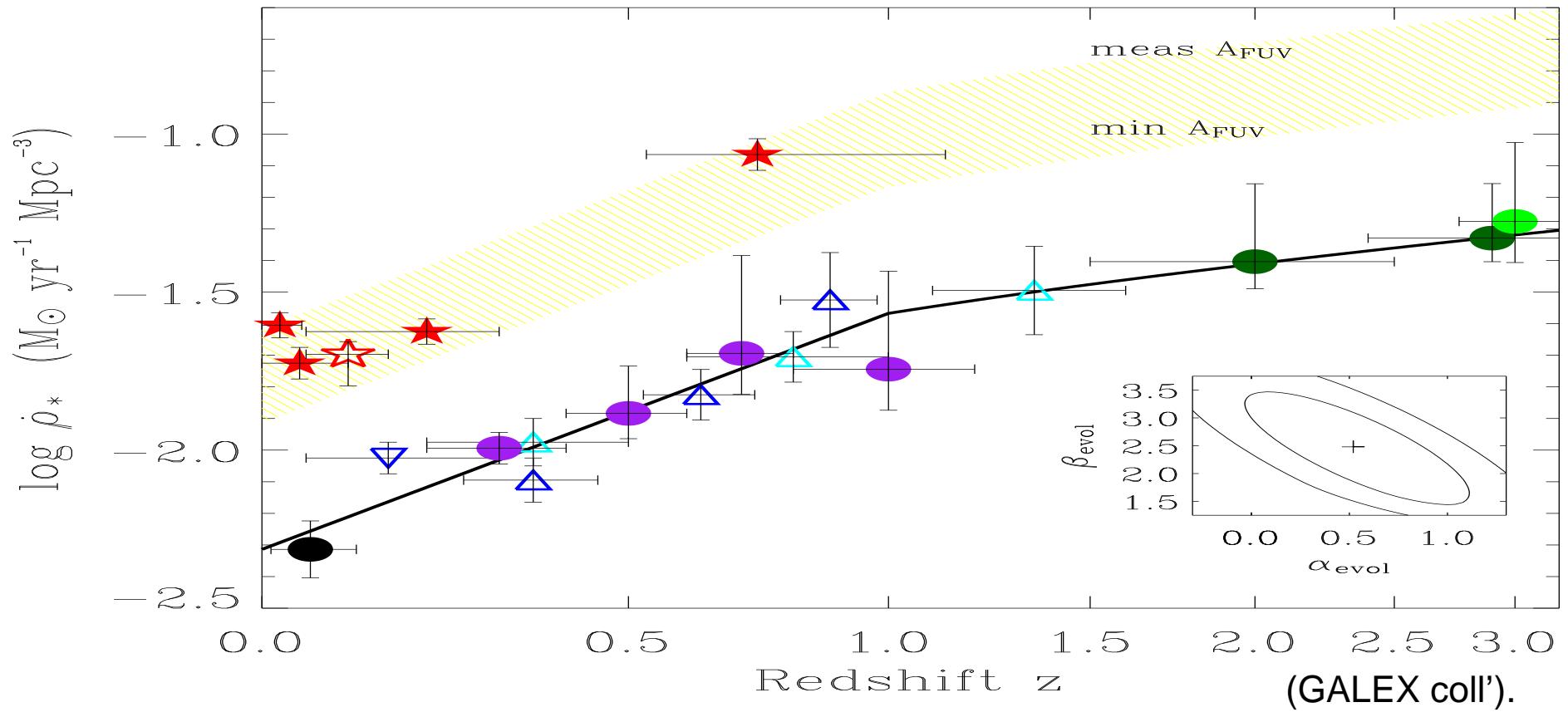
(i) flux^γ → flux^ν translation ⇒ Cosm' cancel. (Ando & Sato)

$$R_{\text{SN}}^{\text{co}} \propto L^{\text{obs}} \frac{d_L^2(\Omega_M, \Lambda)}{dV/dz(\Omega_M, \Lambda)} ,$$

$$\Phi^\nu \propto \int dz R_{\text{SN}}^{\text{co}} \frac{dV/dz(\Omega_M, \Lambda)}{d_L^2(\Omega_M, \Lambda)} \frac{dN^\nu}{d\epsilon} .$$

R_{SN} from light bad²

(ii) Rough $R_{\text{SN}}^{\text{co}} \propto \left[\left(\frac{1+z_p}{1+z} \right)^{5\alpha} + \left(\frac{1+z_p}{1+z} \right)^{5\beta} \right]^{-\frac{1}{5}}$ ($\alpha, \beta = .5 \pm .4, 2.5 \pm .7$)



SNAP precise SN counts



SNAP \Rightarrow dramatic improvement!

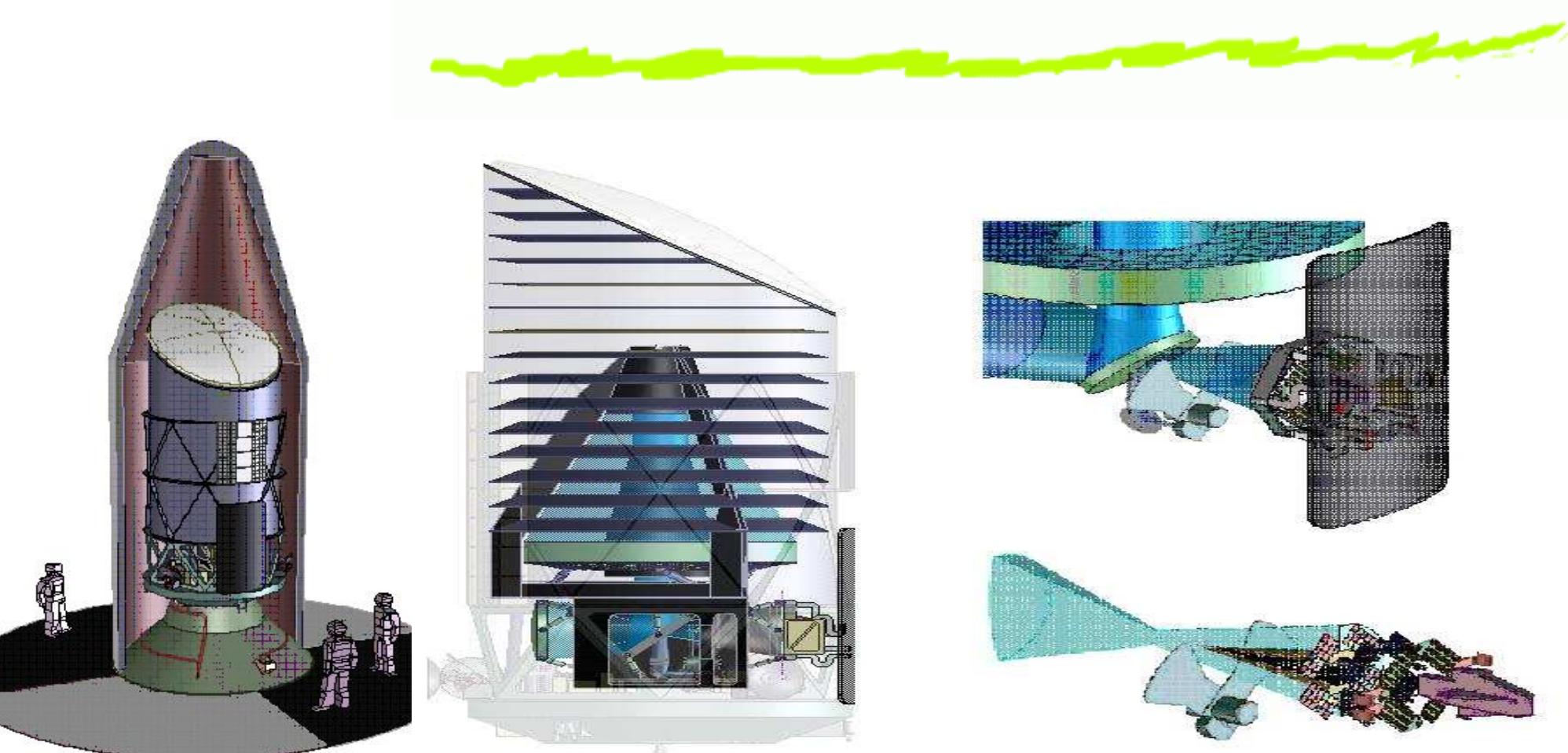
Will collect both CC and 1a SNe.



Precision R_{SN} .

(Dif' dep' $R_{\text{SN}} \propto R_{\text{SN}}^{\text{co}} \frac{dV}{dz}(\Omega_M, \Lambda, z)$; vol' \rightarrow flux)

SNAP



- ➊ 2 years on $L2$, 4 days scan, 1deg^2 .

SNAP Olympics & R_{SN}

- ➊ In practice

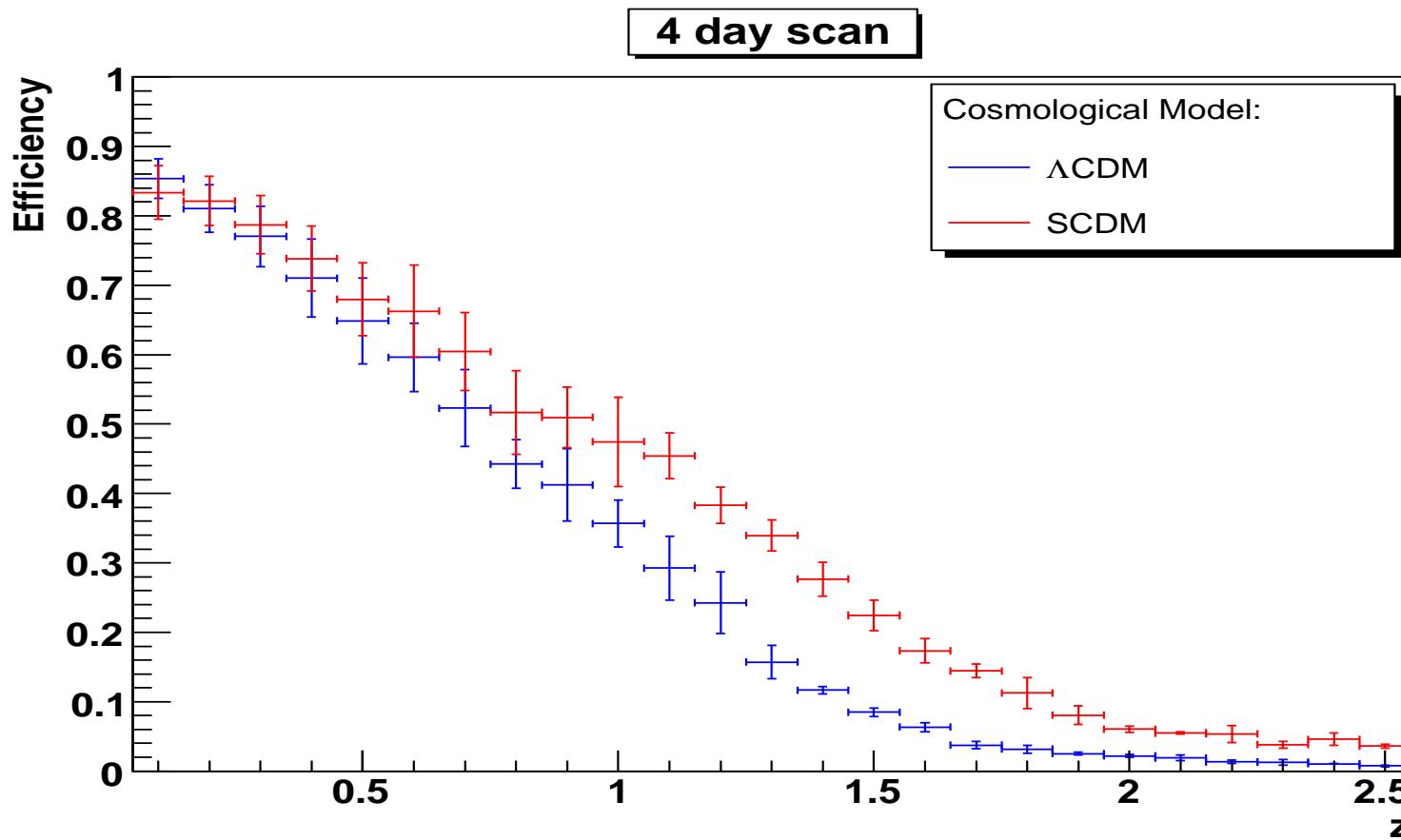
$$R_{\text{SN}} \propto R_{\text{SN}}^{\text{co}} \frac{dV}{dz}(\Omega_M, \Lambda, z) \times \epsilon(z, d_L; \text{dust}, \dots)$$

$$\frac{dV}{dz} \propto \chi^2 \frac{d\chi}{dz}, \quad \chi \propto \int \frac{dz}{H(\Omega_M, \Lambda, z)} = \int \frac{dz}{\sqrt{\Omega_M(1+z)^3 + \Lambda}}.$$

- ➋ ϵ corrects finite detection efficiency.
- ➋ MC to estimate efficiency. (**SNOC**: Goobar et. al.)

Efficiency type IIx

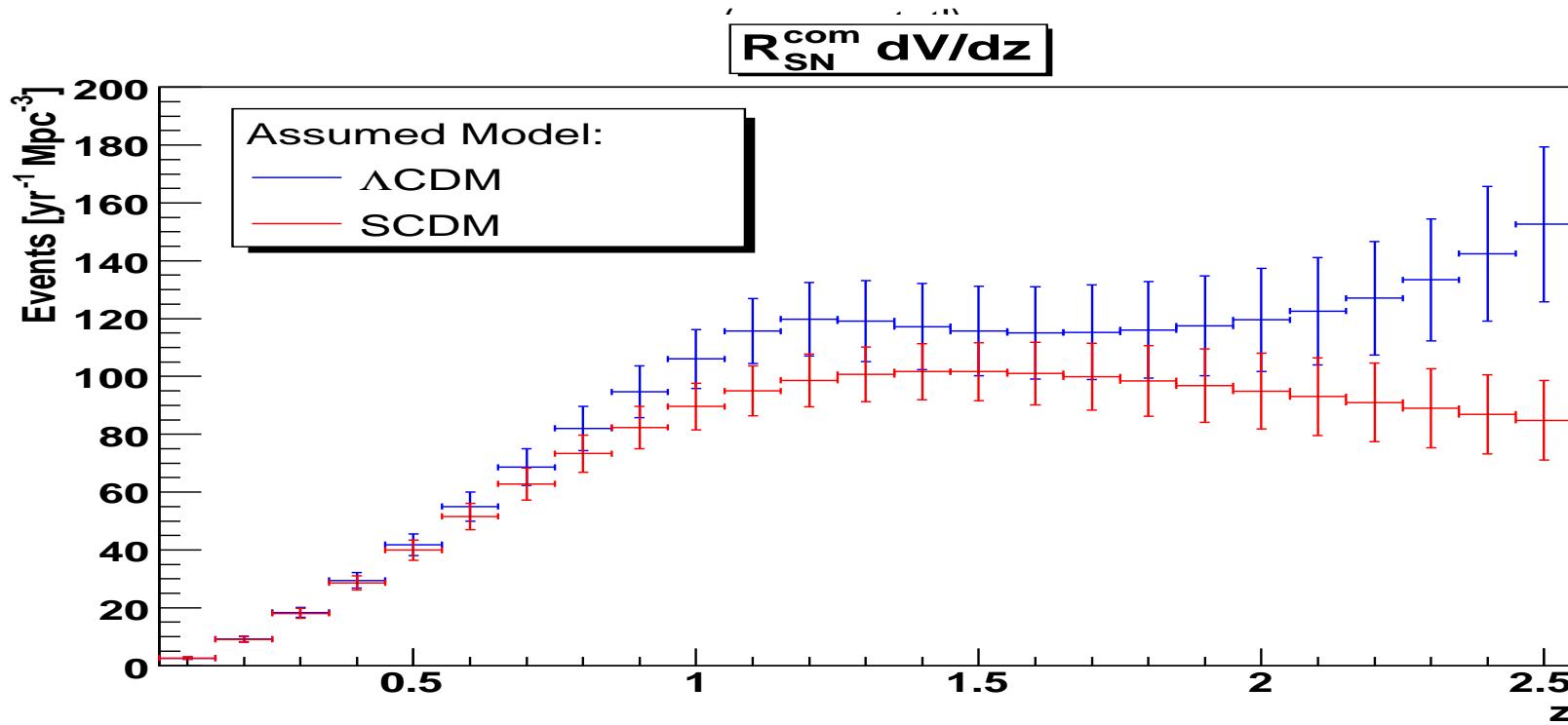
High dust, 4 days int' (mag. 27).



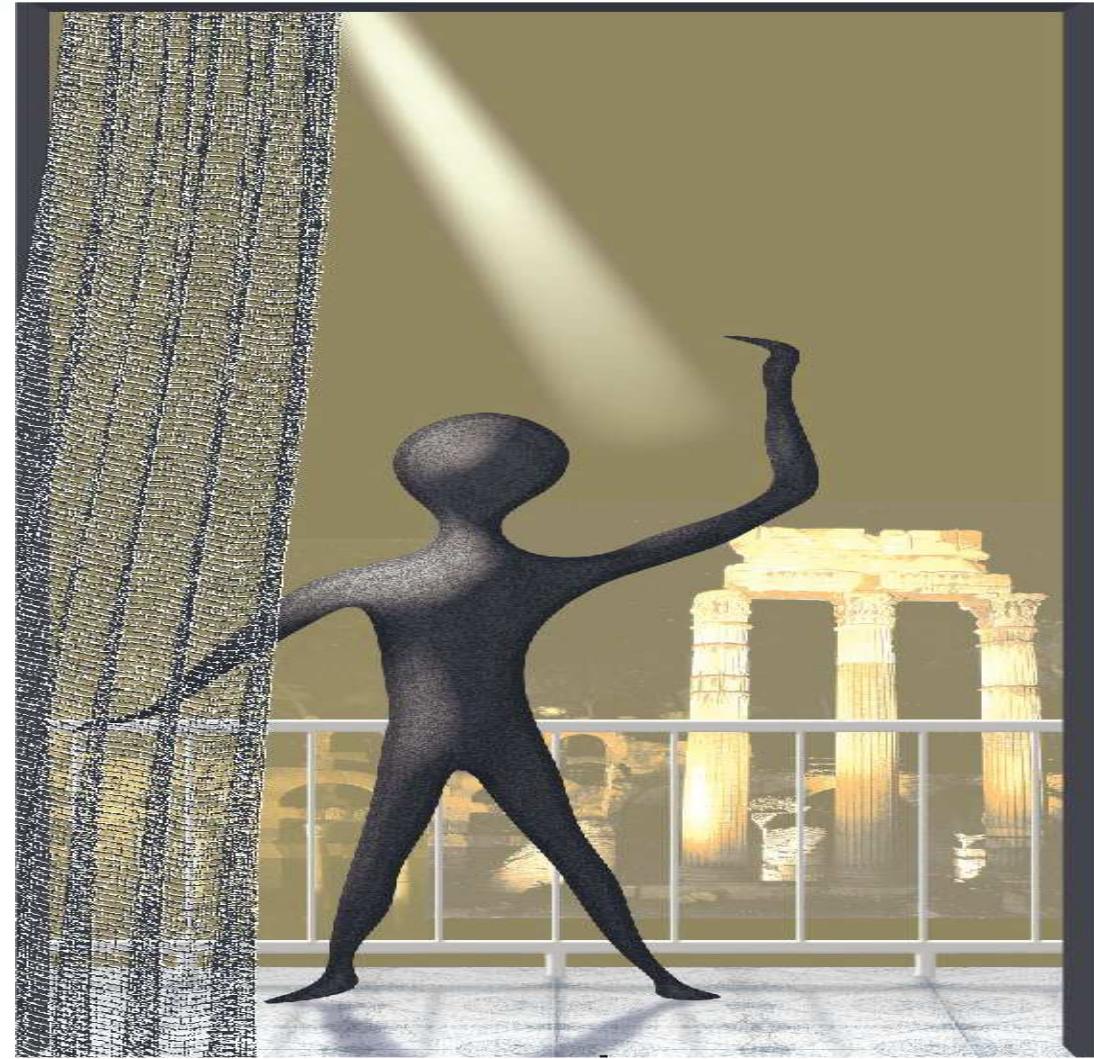
$R_{\text{SN}}^{\text{co}}$ from measured rate

$$\frac{R_{\text{SN}}}{\epsilon(z, d_L, \dots)} = R_{\text{SN}}^{\text{co}} \frac{dV(\Omega_M, \Lambda, z)}{dz} \sim \mathcal{O}(3000) \text{ SNe!}$$

ΛCDM ($\Omega_M = 0.3, \Lambda = 0.7$), SCDM ($\Omega_M = 1, \Lambda = 0$), for median $R_{\text{SN}}^{\text{co}}$

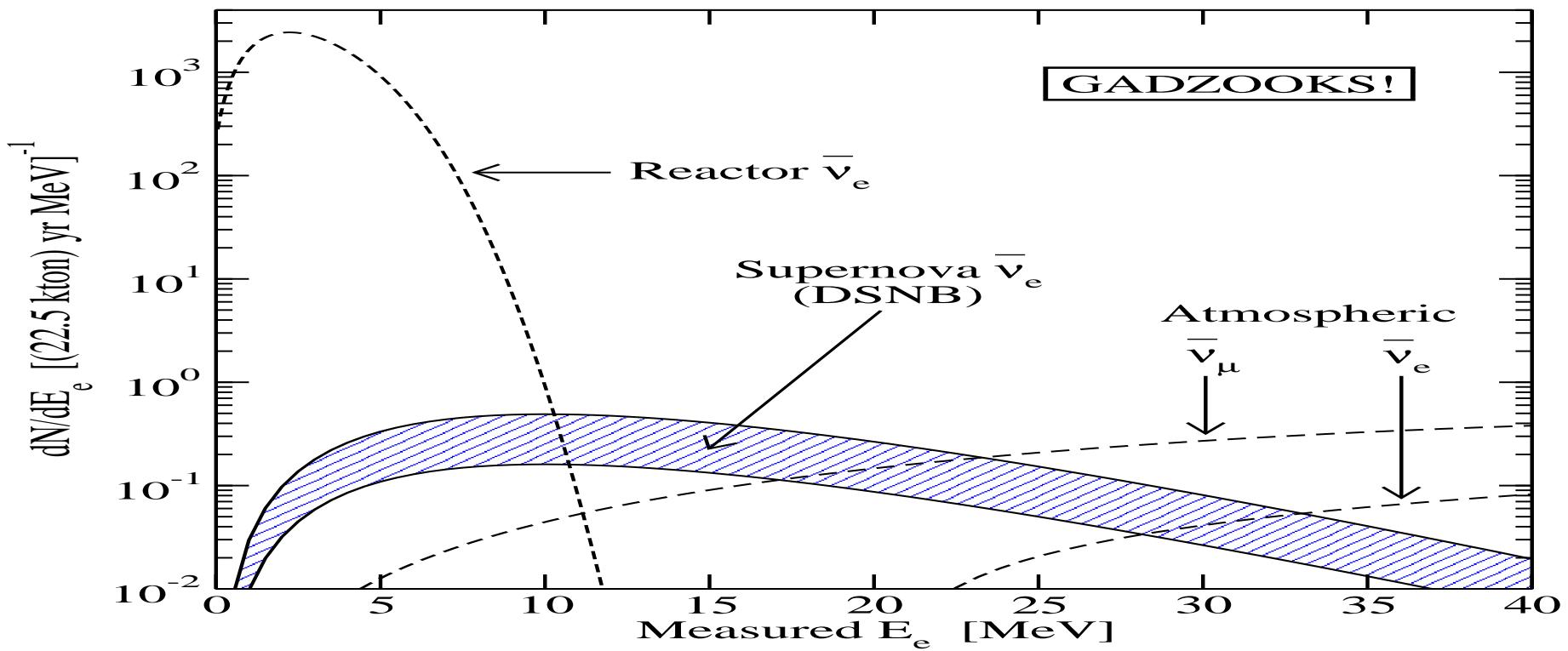


RSN & ν Observatories



Future exp': MT GADZOOKS

MT water + $\text{GdCl}_3 \Rightarrow \frac{100\bar{\nu}_e}{\text{year}}, E \gtrsim 10\text{MeV}.$
 $\bar{\nu}_e + p \rightarrow e^+ + n$ (GADZOOKS Beacom & Vagins)

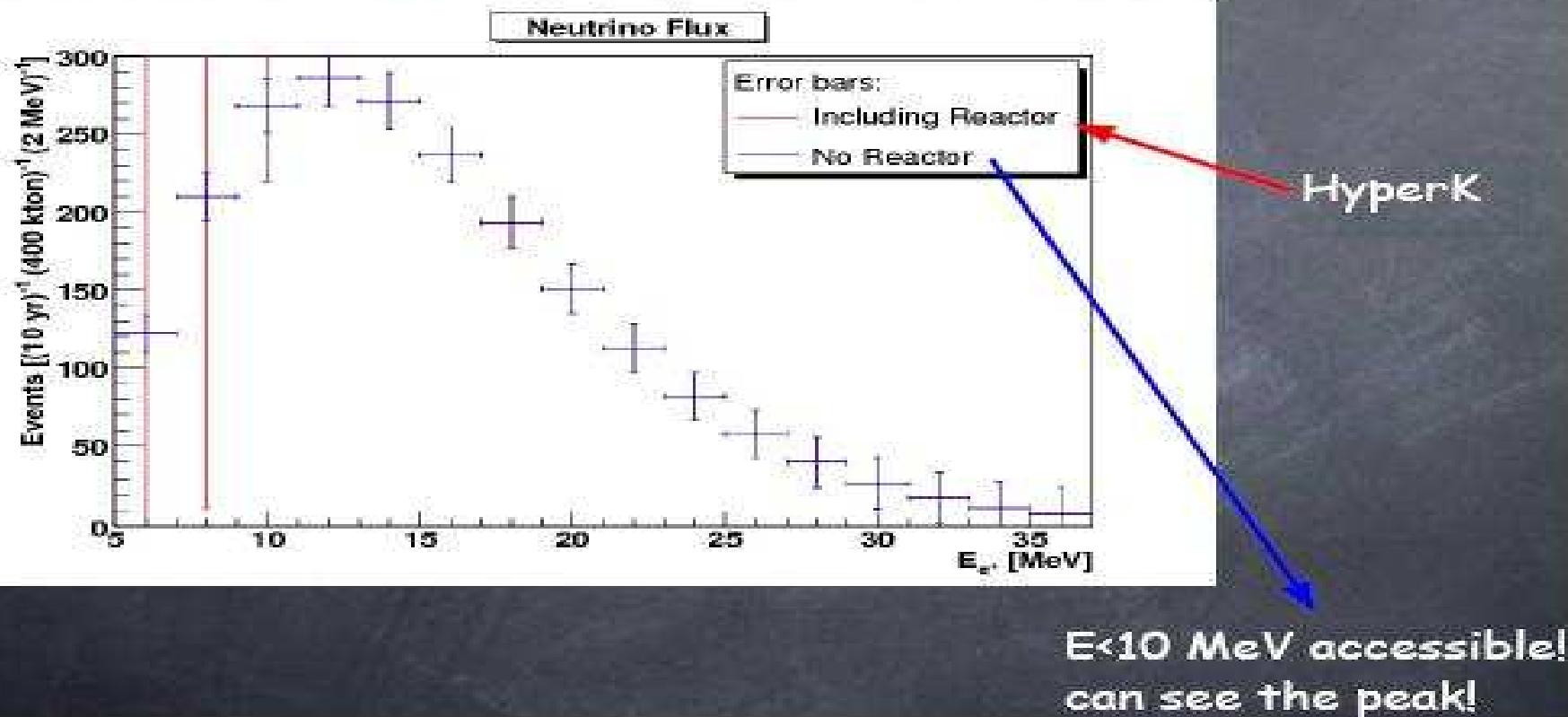


Uncer': ν diff' event rate

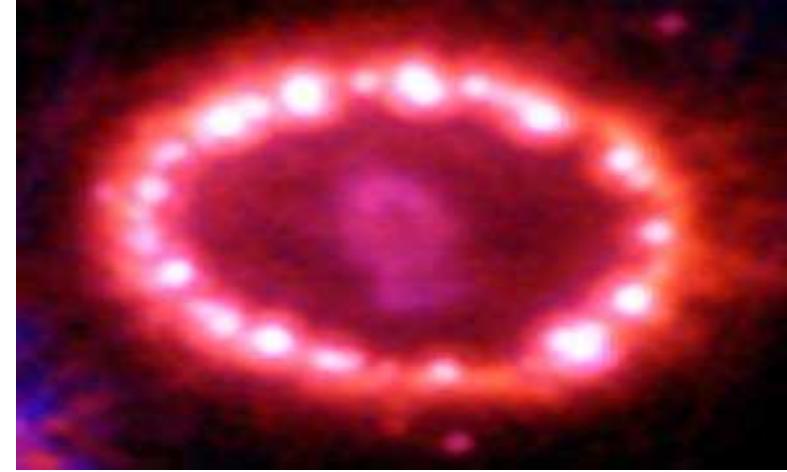


MT Cerenkov + GdCl₃

Location could be important...



SN & ν flux



SN & ν flux

Roughly, $\Phi^\nu \leftrightarrow$ grav'+nucl'+thermo'.



ν spheres, thermal spectrum: $\frac{dN^\nu}{d\epsilon} \propto \frac{10^{53} \text{erg}}{e^{\frac{\epsilon}{T_\nu}} + 1}$.

Hier' spectrum $T_{\nu_e} < T_{\bar{\nu}_e} < T_{\nu_x} = T_{\bar{\nu}_x}$

Various corrections & systematics:

- ✳ MSW ✓ ✳ Spectral distort' ✓ ✳ Progenitor dep' ✓
- ✳ Shock wave ✗ ✳ Nonlinear evol' ✗.

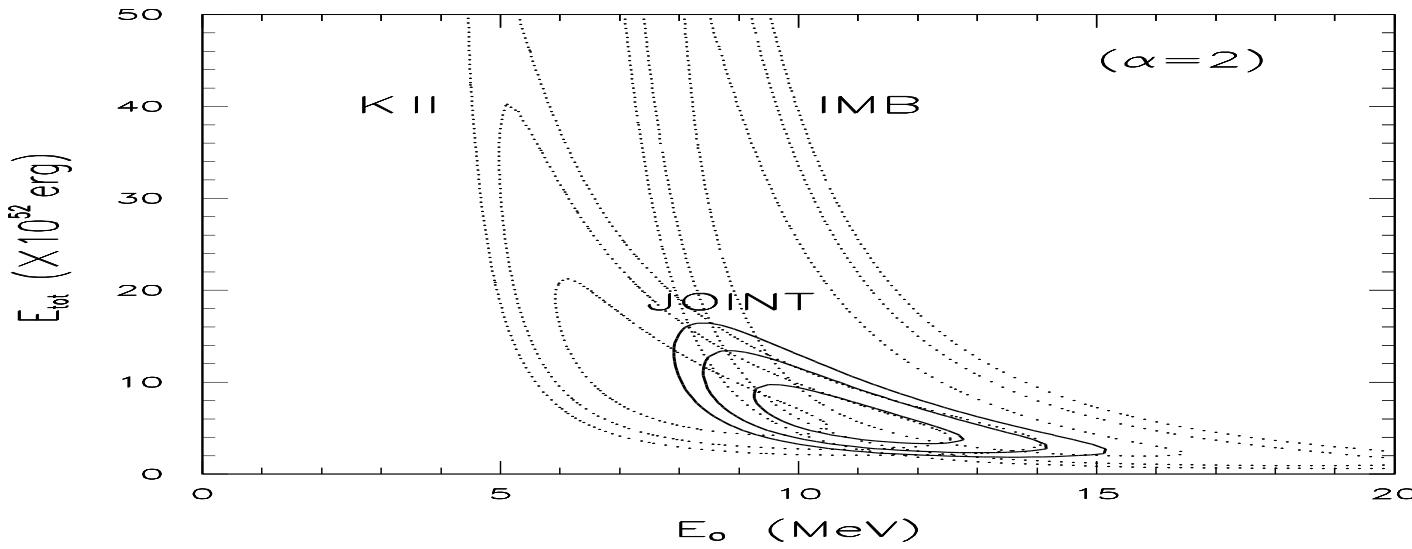
Spectral Distortion

(Keil, Raffelt & Janka.)

Elast' scatt' + NC \Rightarrow pinch + mean E
+ luminous' distor', β_{ν^i} , \bar{E}_{ν^i} , L_{ν^i} :

$$\frac{dN_{\nu^i}}{d\epsilon} \propto L_{\nu^i} \frac{\epsilon}{\bar{E}_{\nu^i}} \exp \left[-(1 + \beta_{\nu^i}) \frac{\epsilon}{\bar{E}_{\nu^i}} \right].$$

Data - SN 1987a \Rightarrow β_{ν} , \bar{E}_{ν} , L_{ν} . (Mirizzi & Raffelt; Lunardini)



Projected uncer'

Future measur' improve the errors.

Progenitor dep' is 25%. (Takahashi, et. al.; Buras, et. al.)

Matter effects accom' (as long as spec' is known).

Use $\beta_{\nu} = 3 \pm 0.25$, $\frac{\bar{E}_{\nu}}{\text{MeV}} = 12.2 \pm 1.4$, $\frac{L_{\nu}}{10^{52}\text{erg}} = 5.5 \pm 0.75$

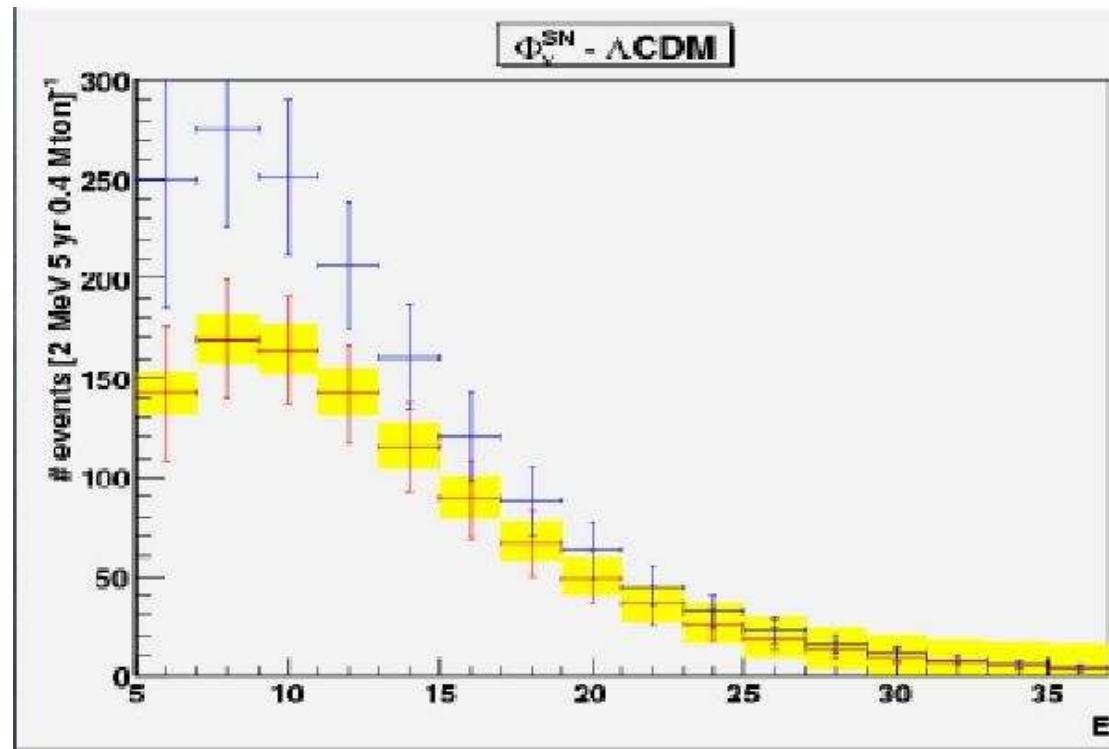
Combine observation Φ^ν + R_{SN}



- ⑥ Modest goal: Λ CDM vs SCDM;
Or $w = -1$ vs. $w = 0$.
- ⑥ For each case gen' mock pull.
- ⑥ Marginalize over neutrino para'.
- ⑥ Compute χ^2 ...

Combine observation Φ^ν + R_{SN}

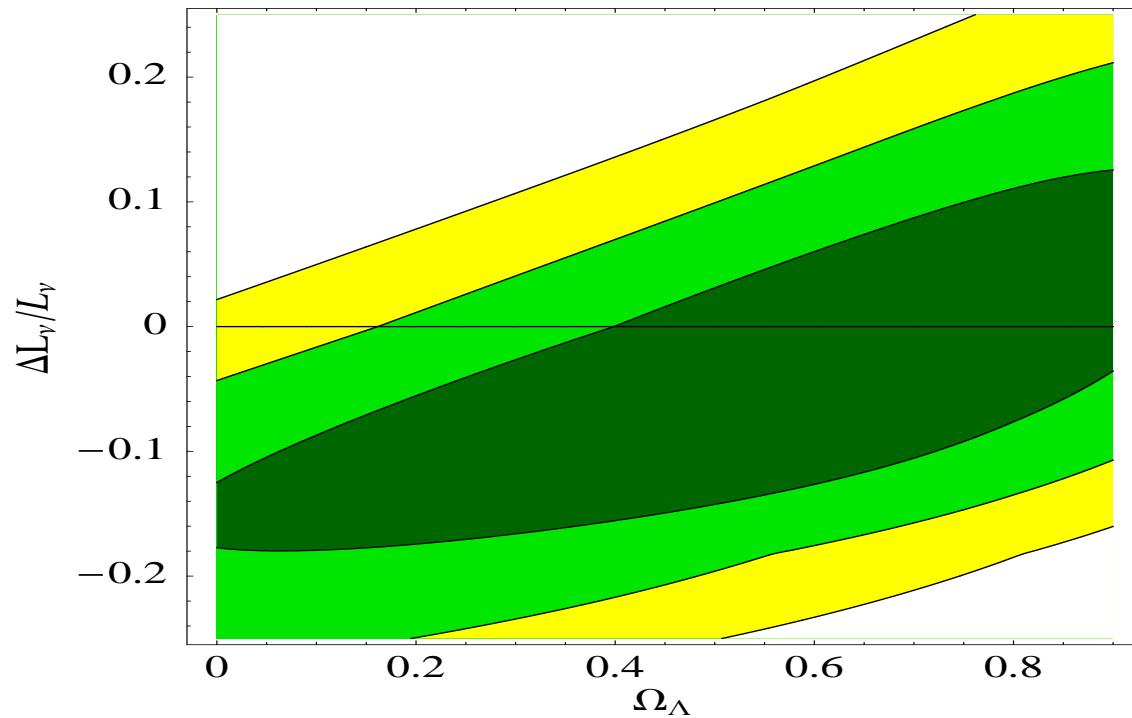
Only statistical errors assumed (+SNOC)



Marginalizing over \bar{E}_ν, β_ν

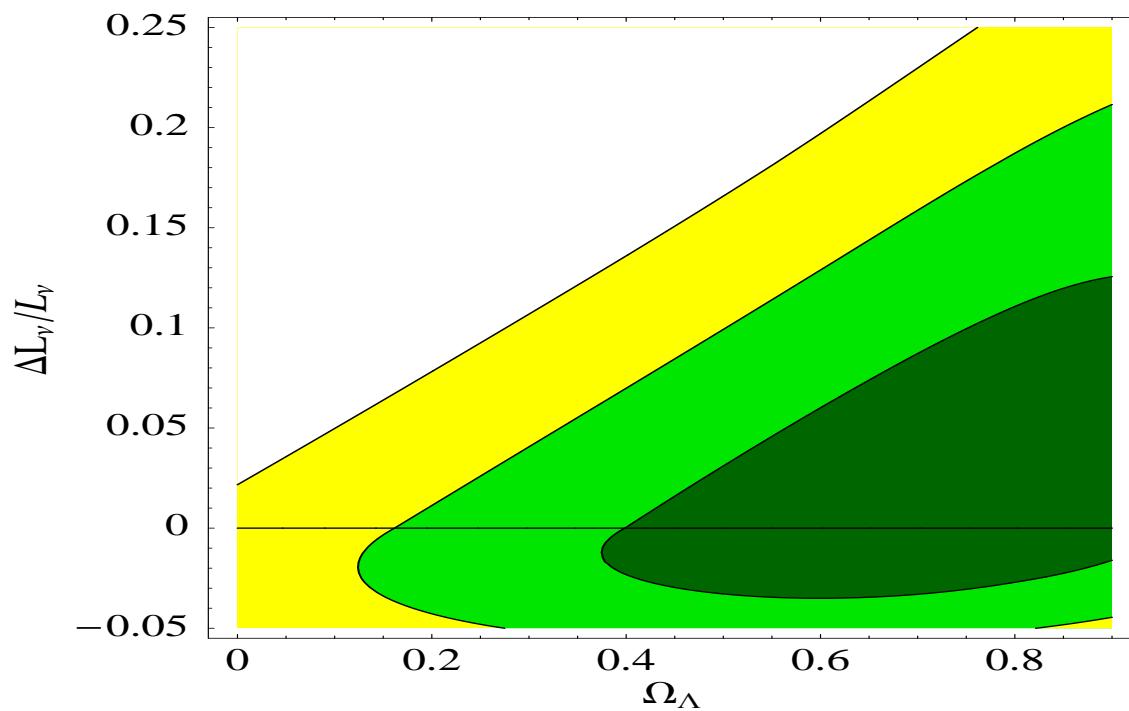


Flat direction in L_ν



Salpeter function helps

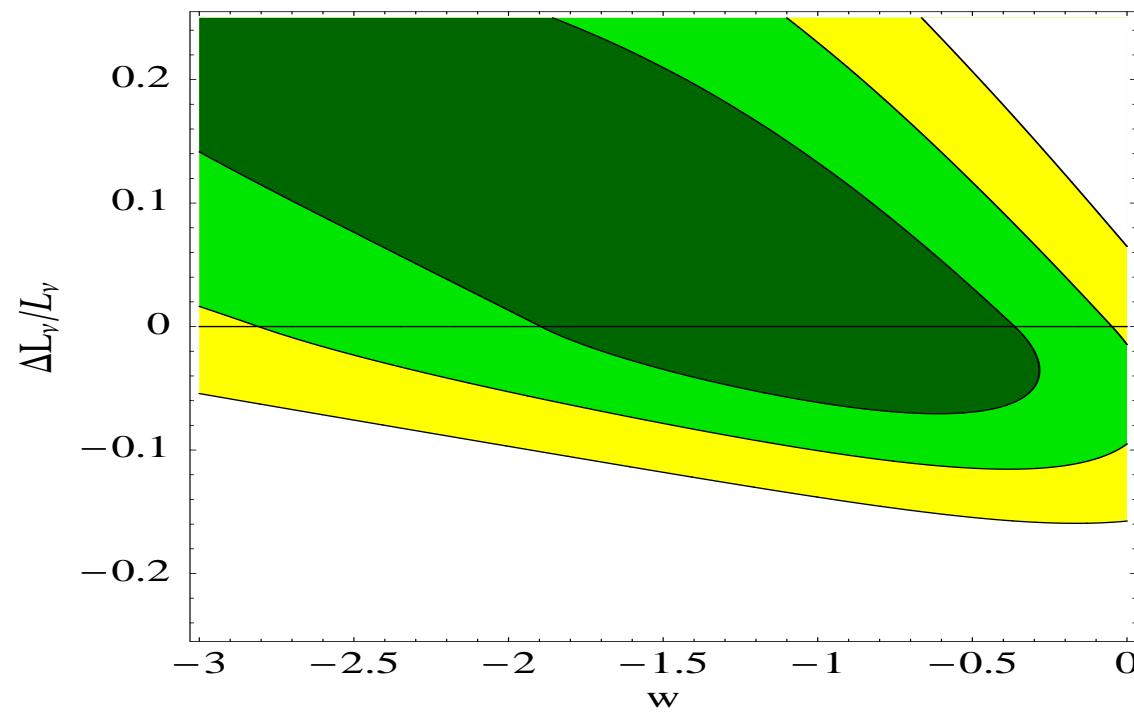
Large prog' \Rightarrow large L_{ν}



W vs. ***L_v***



For $\Omega_{\Lambda} \sim 0.3$



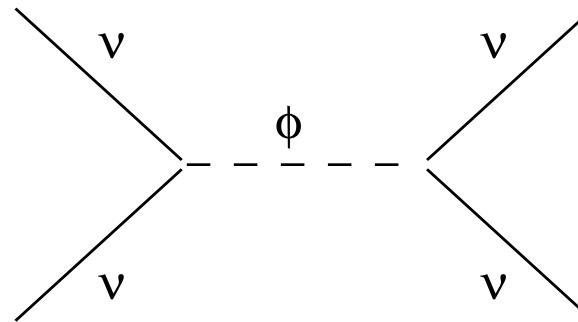
Conclusions

- ➊ Future ν data carry cosm' info' (CC SNe "standard" candles).
- ➋ Univ' with ν s “looks” diff' from γ s?
[MaVaNs & ultra light PGB ν]
- ➌ No dedicated exp' (GdCl_3 required)!
- ➍ See ex.: late ν masses (Goldberg, GP & Sarcevic).

Main Idea

Step I - Resonance

- ϕ Burst!



- UV Supernova $\nu + \text{CMB } \nu \Rightarrow \phi$.
- $\phi \Rightarrow \nu \nu$.
- $E_\nu^{\text{final}} \sim 0 - E_\nu^{\text{SN}}$.

Step II - Accumulative Resonance



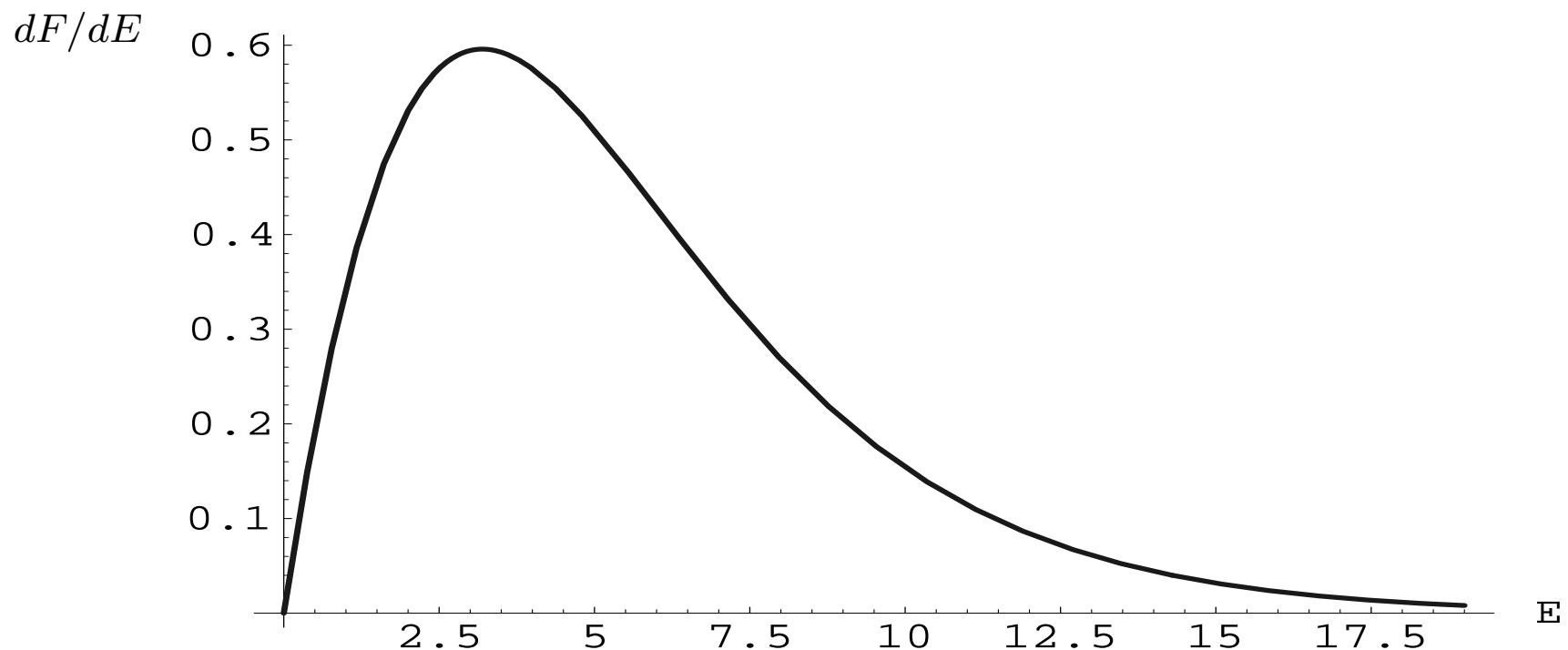
- ⑥ SN ν comes from far away, $z \lesssim 3$.
- ⑥ Expansion \Rightarrow shift ; $E_{\nu}^{\text{Obs}} \sim \frac{E_{\nu}^{\text{SN}}}{(1+z)}$.
- ⑥ $\sqrt{\frac{m_{\phi}^2}{2m_{\nu}}} \lesssim E_{\nu}^{\text{SN}} \lesssim \sqrt{\frac{m_{\phi}^2}{2m_{\nu}}}(1+z) \Leftrightarrow \text{Reson'}$.



Accumulative Resonance !!

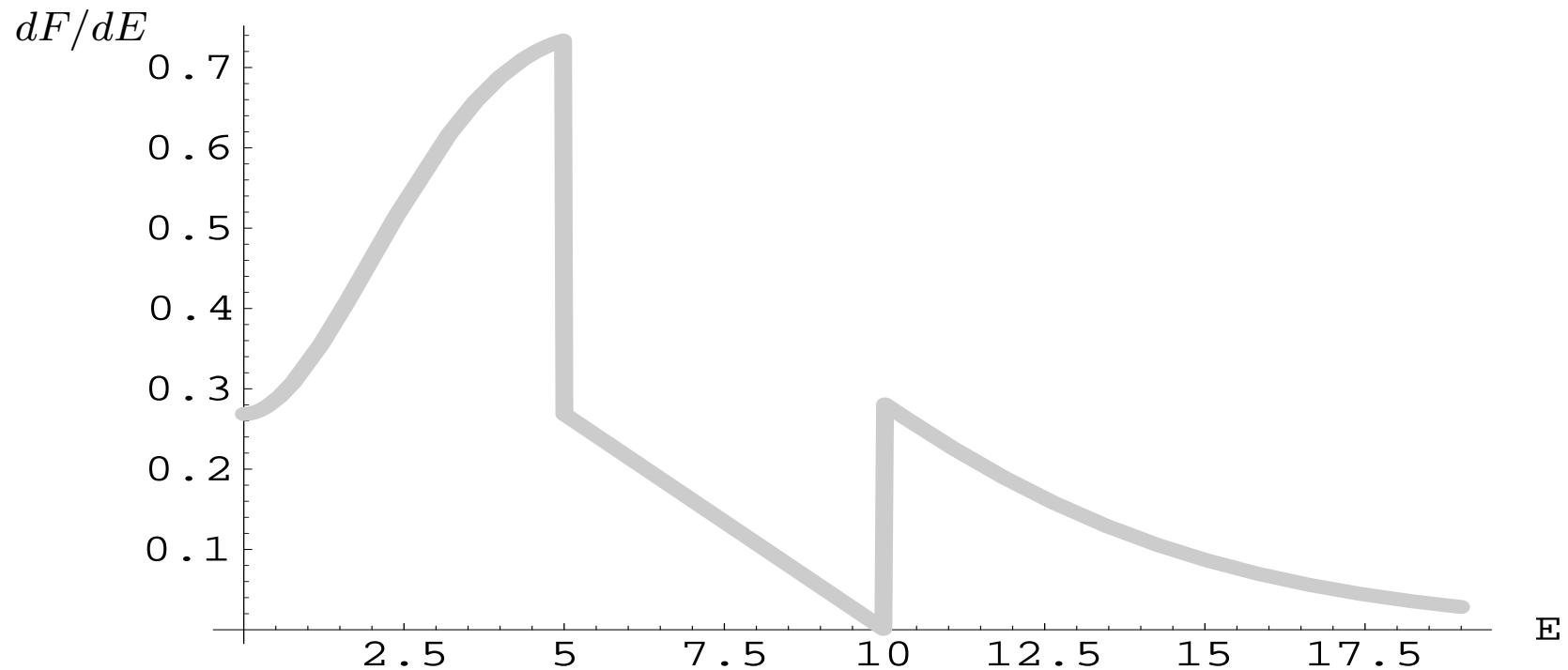
No Resonance

$$z^{\text{SN}} = 2.$$



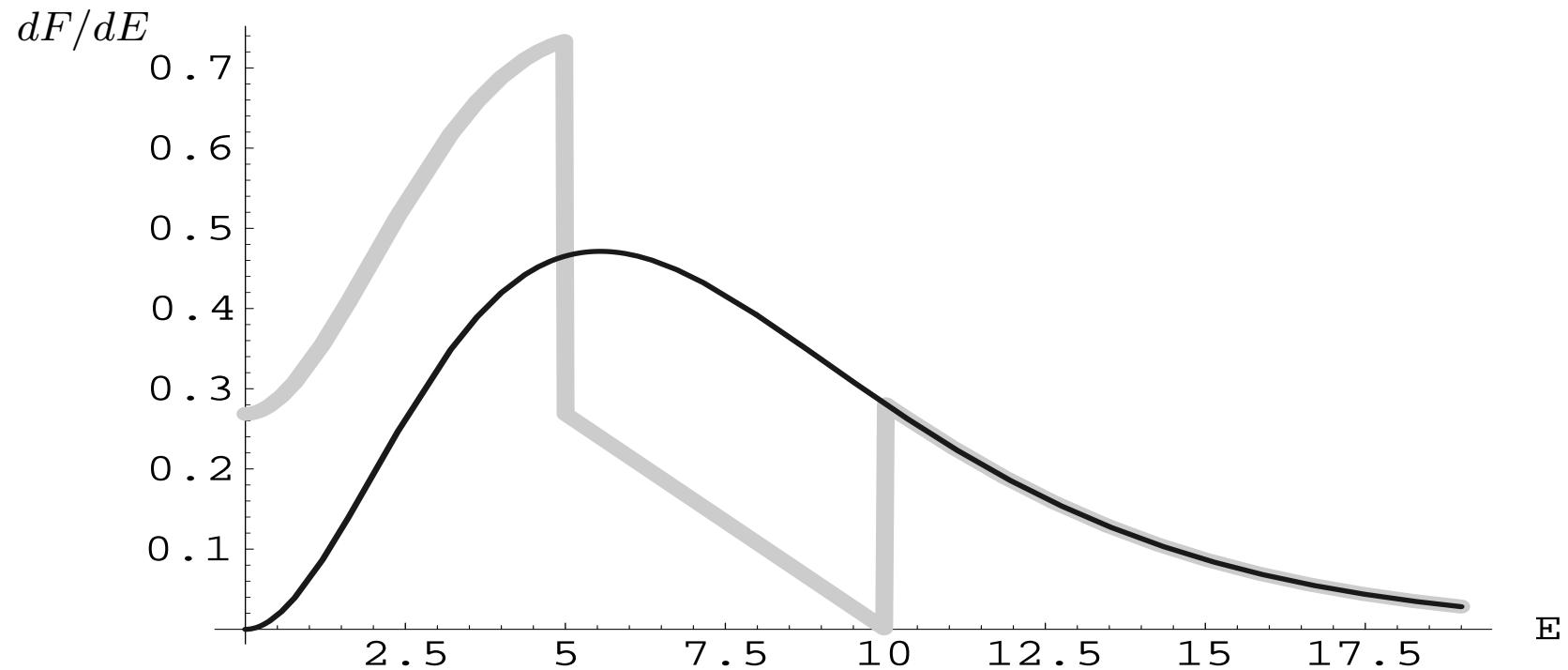
Accumulative Resonance

$$m_\phi \simeq 1 \text{ KeV} , \quad z^{\text{SN}} = 2 .$$



Comparison

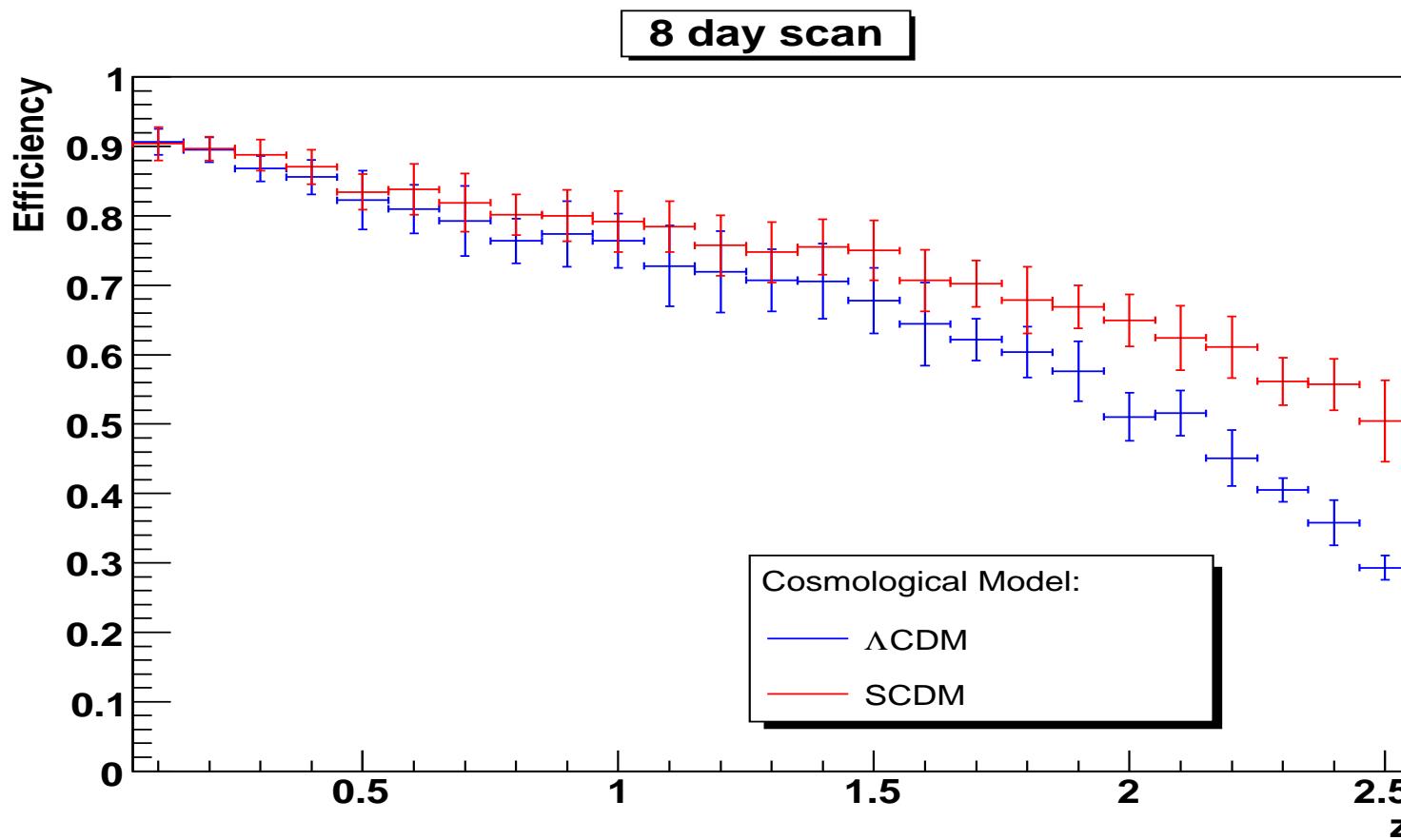
$m_\phi \simeq 1 \text{ KeV}$, $z^{\text{SN}} = 2$; z indep' dip!



Backups

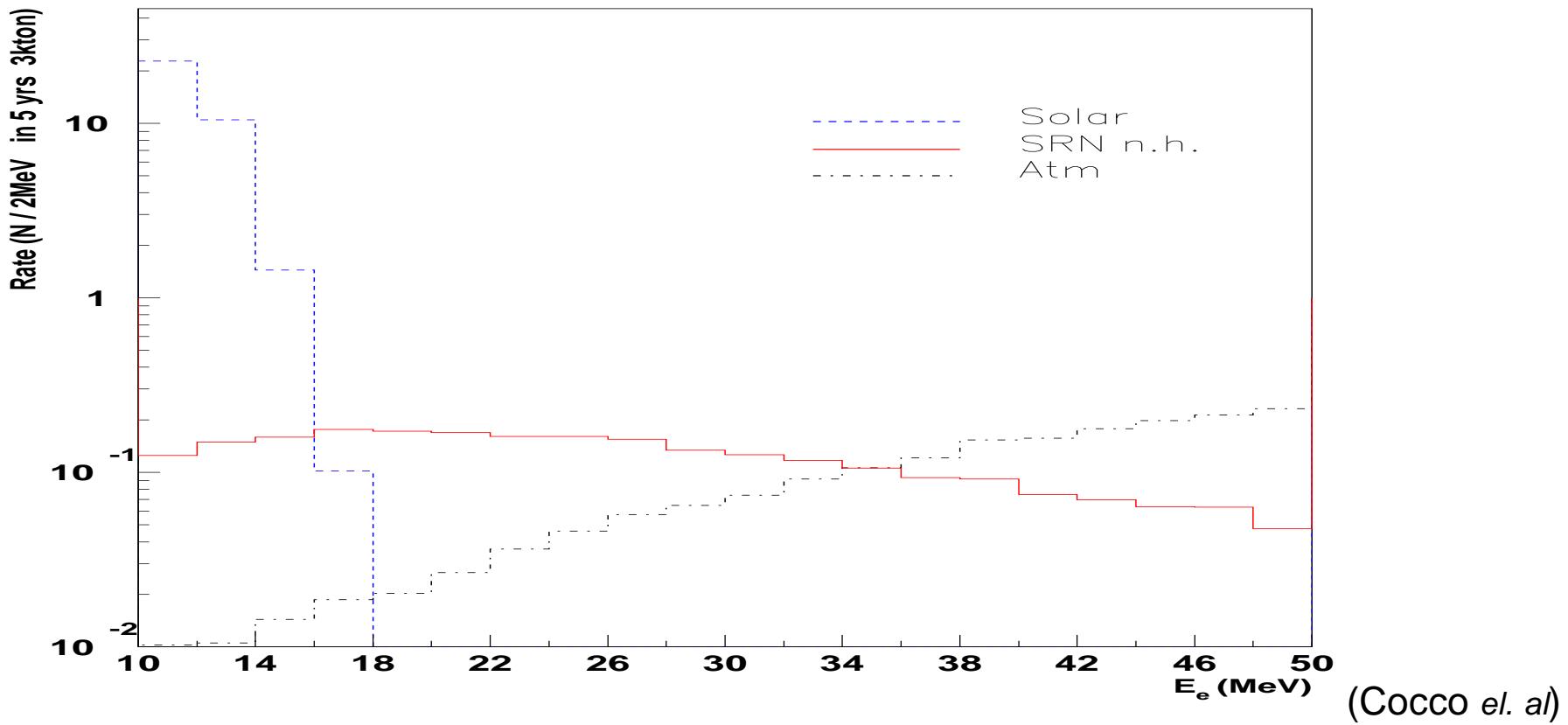
Efficiency type IIx

High dust, 8 days int' (mag. 30).



Future exp': 100KT ALD

ALD (Cline *et. al*) $\Rightarrow \frac{10\nu_e}{\text{year}}$, $E \gtrsim 14 \text{ MeV}$ (Cocco *et. al*).



Matter effect & Inv' Hier

(Lunardini & Smirnov; Dighe & Smirnov.)

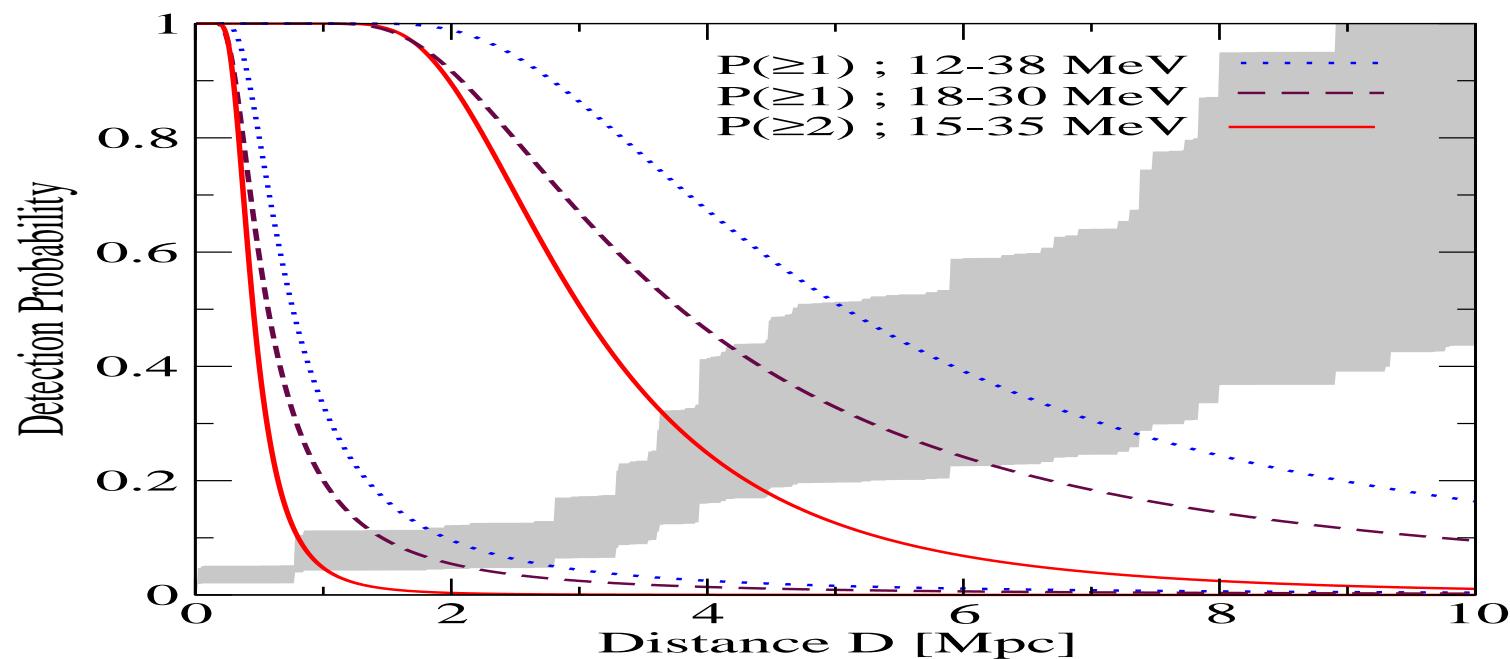
- ⌚ $2 \times \text{MSW} \Leftrightarrow$ Outer layers propagation.
- ⌚ Spectrum is modified.
- ⌚ Inv' hier' $\theta_{13} \gtrsim .1\% \bar{\nu}_e \leftrightarrow \bar{\nu}_x$.

	mass hierarchy	θ_{13}	$P(\nu_e \rightarrow \nu_e)$	$P(\bar{\nu}_e \rightarrow \bar{\nu}_e)$
I	normal	large	$\sin^2 \theta_{13}$	$\cos^2 \theta_{12}$
II	inverted	large	$\sin^2 \theta_{12}$	$\sin^2 \theta_{13}$
III	normal/inverted	small	$\sin^2 \theta_{12}$	$\cos^2 \theta_{12}$

More data in future

(Ando, Beacom & Yüksel.)

- MT det' → direct burst upto 10Mpc.
- Coin' 2events + corr' with optical.
- Rate $\gtrsim 10/10\text{years}$ or 10^5 for local.



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