

Summary of QCD/Top group

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New computation developments in QCD amplitudes

- Stefan Weinzierl : **New methods for computing helicity amplitudes**
 - hep-ph/0503015
 - Twistor and MHV amplitudes
 - Extension to massive quarks

Top threshold

- Stewart Boogert : **Experimental top threshold**
- Christoph Reisser : **Top Instability and electroweak effects**
- Dolores Eiras : **$O(\alpha\alpha_s)$ NNNLO matching condition**

Squark threshold production

- Pedro Ruiz-Femenia : **RG Analysis in NRQCD for Squark Pair production**

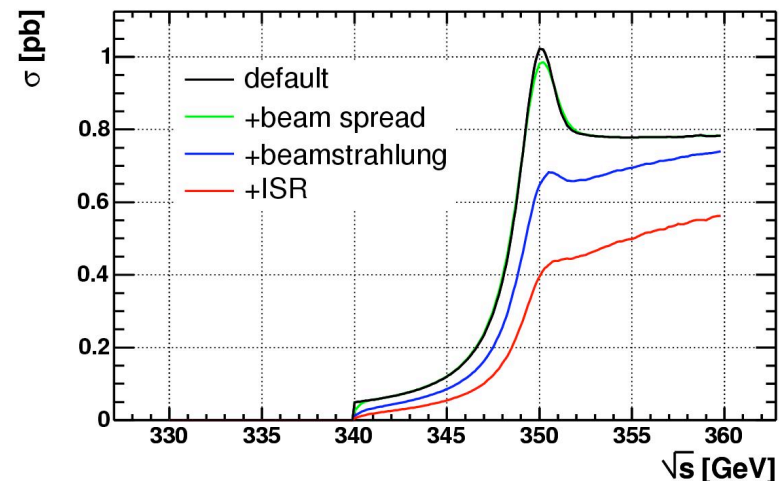
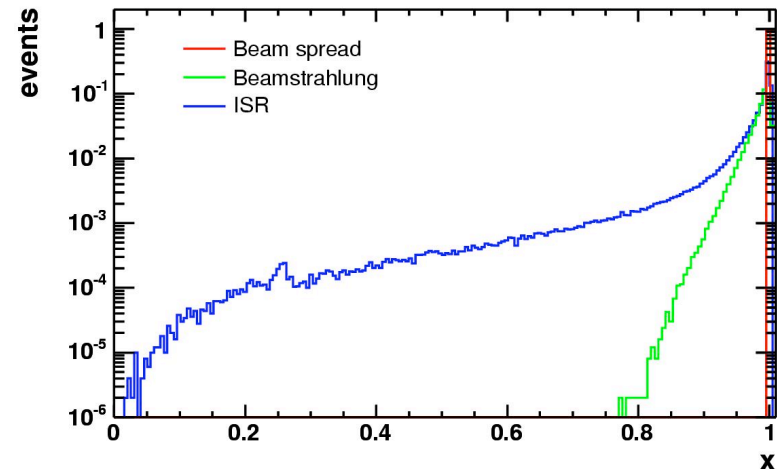
Higgs Yukawa coupling

- Cailin Farrel : **NLL QCD Corrections to $e^+e^- \rightarrow t\bar{t}H$ at 500 GeV**

Top pair threshold

Stewart Boogert

- Extraction of top mass, width and
 - Dominated by experimental uncertainties associated with luminosity spectrum
- Work ongoing to extract realistic spectra from machine simulations
 - Bhabha scattering
- QCD effects
 - LL, NLL, NNLL (almost) complete
- Developing event generator for top threshold production
 - NNLL cross section
 - NNLO differential distributions
 - NLO re-scattering corrections



Weak corrections to top pair threshold

Christoph Reisser (Phys. Rev. D 71, 074022)

- Electroweak effects

- LL
- NLL (New parametric NNL corrections)
- NNLL (Top decay corrections)
- Time dilation
- Interference

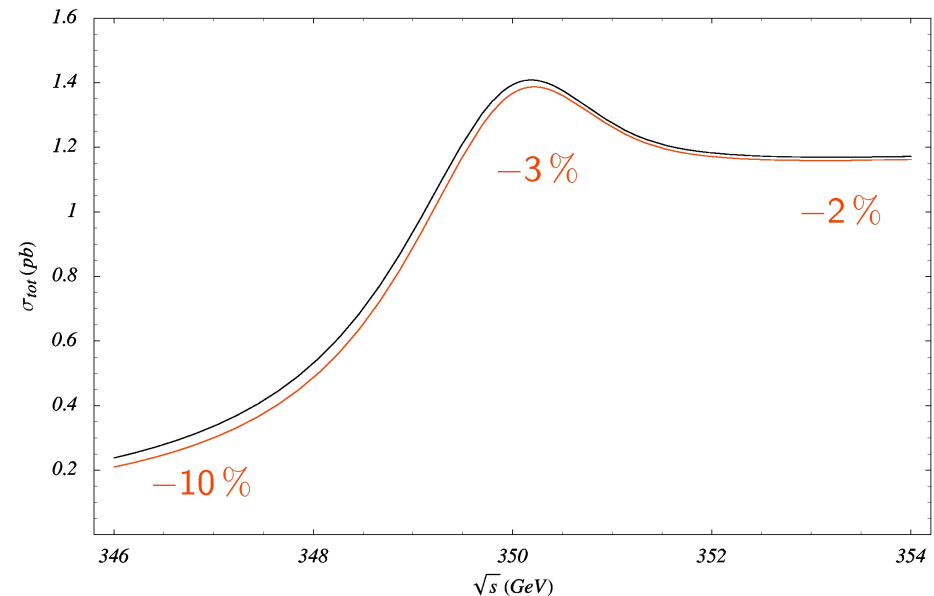
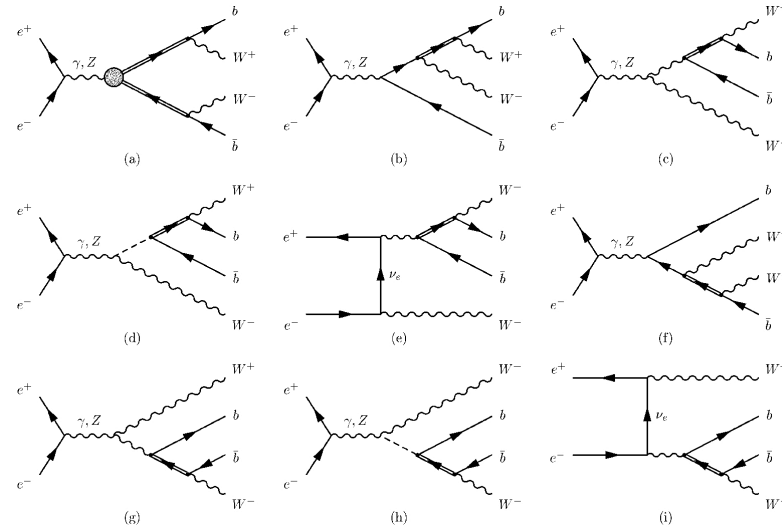
- Sum $\Gamma_t \left[\alpha_s \log \left(\frac{m_t}{\Gamma_t} \right) \right]^n$

- Electroweak corrections to top pair total threshold cross section

- Comparable to NNLL QCD corrections
- LL peak position shifted by 30-50 MeV

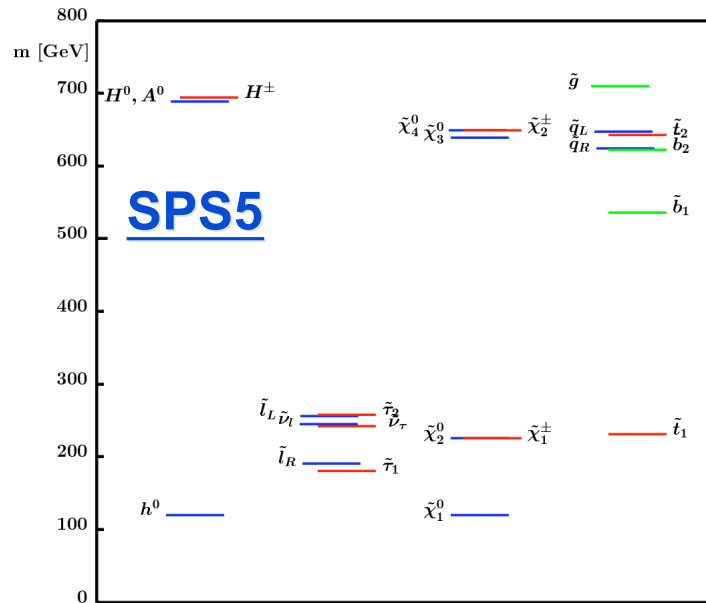
- Experimental uncertainty

- ~15 MeV statistical
- ~30-50 MeV systematic (luminosity spectrum)



RG analysis in NRQCD for squark pair production

Pedro Ruiz-Femenia (hep-ph/0511102)



- Goal
 - NNLL description of squark production at threshold
- mSugra scenarios with relatively light scalar top quark

$$m_{\tilde{t}} \sim 250 \text{ GeV} \quad \Gamma_{\tilde{t}} \sim 40 \text{ MeV}$$

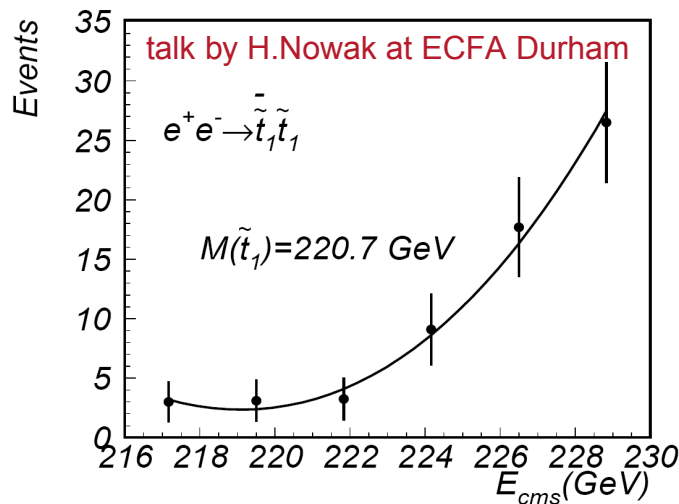
- Experimental analysis

$$\Delta m_{\tilde{t}} \sim 2 \text{ GeV}$$

- Computed NLL running of Wilson Coefficients
 - P wave (e^+e^- production)
 - S wave ($\gamma\gamma$ production)

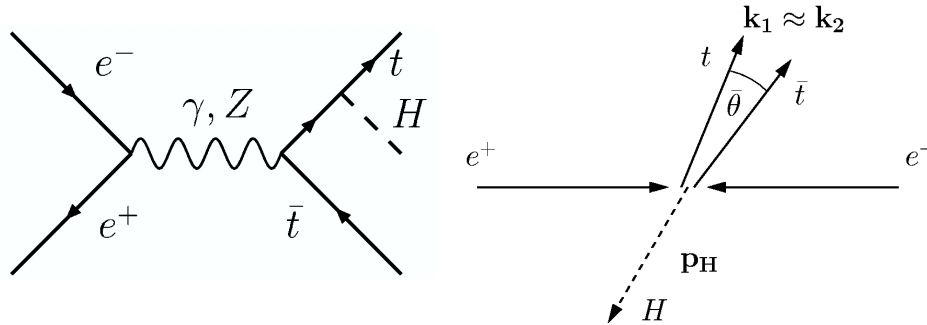
$$\sigma_{\text{tot}} \propto \text{Im} \left[\int d^4x e^{-i\hat{q}\cdot x} \langle 0 | T O_{\mathbf{p}}^\dagger(0) O_{\mathbf{p}'}(x) | 0 \rangle \right]$$

$$\propto \text{Im} [C(\mu)^2 G(0, 0, \sqrt{s})]$$



Threshold effects in ttH production

Cailin Farrel (Phys. Rev. D71:014007)

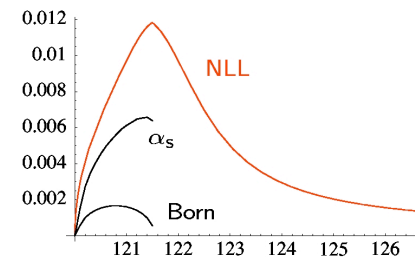


ttH production

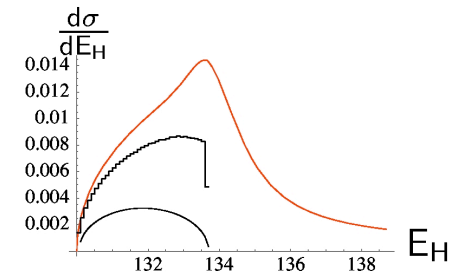
- Top Yukawa coupling
- In region of low Higgs momentum tops become collinear

- Existing fixed order calculations break down in the region of large Higgs energy
 - Again use vNRQCD to calculate cross section
 - Consistent matching onto fixed order calculation
- Enhancement of cross section in threshold region
 - Implications for ttH analysis at low energies

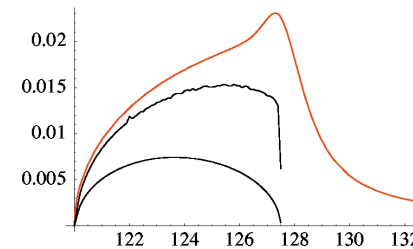
$\sqrt{s} = 482 \text{ GeV}, m_H = 120 \text{ GeV}$



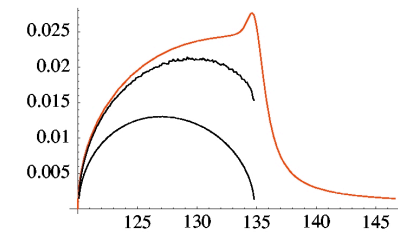
$\sqrt{s} = 500 \text{ GeV}, m_H = 130 \text{ GeV}$



$\sqrt{s} = 490 \text{ GeV}, m_H = 120 \text{ GeV}$



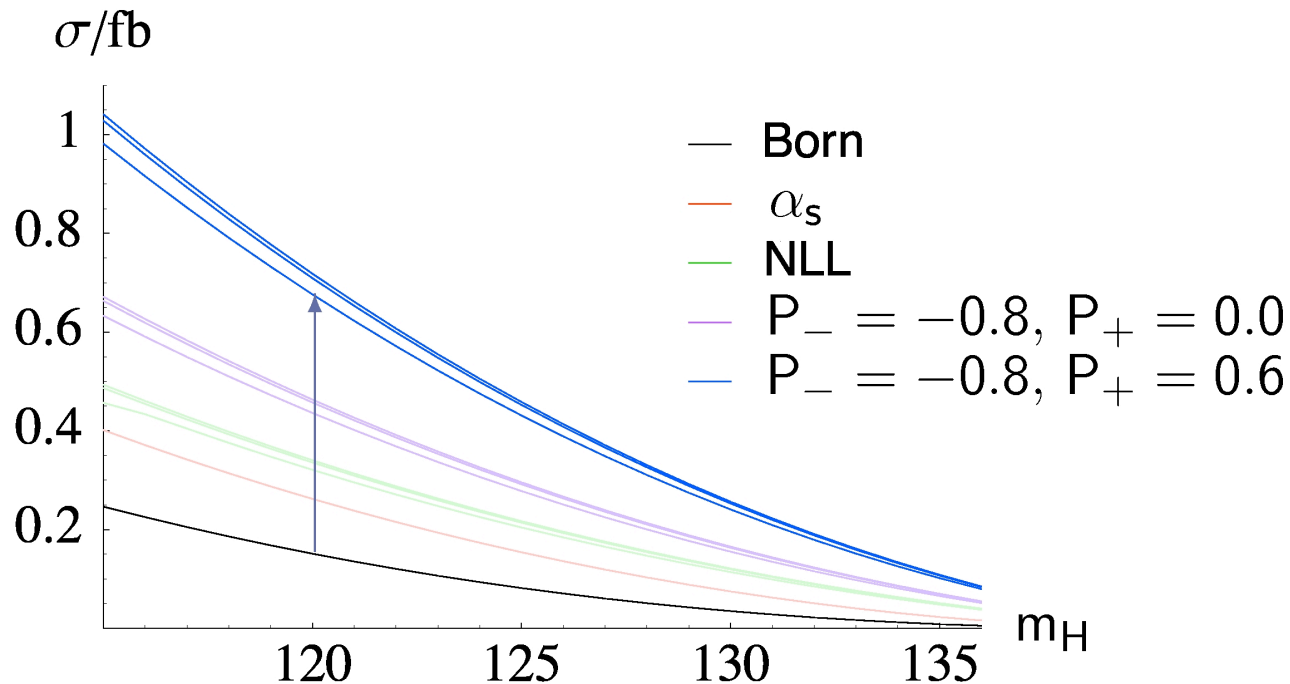
$\sqrt{s} = 500 \text{ GeV}, m_H = 120 \text{ GeV}$



Increase in ttH cross section at 500 GeV

Cailin Farrel (Phys. Rev. D71:014007)

$$\sqrt{s} = 500 \text{ GeV}, m_t = 180 \text{ GeV}$$



- Increase in σ_{tot} section by a **factor of 4** vs Born cross section
 - Decrease of statistical error of top Yukawa coupling by **factor 2** for 120 GeV Higgs
 - Sensitivity to top Yukawa coupling up to 135 GeV Higgs mass

NRQCD and threshold physics

Relevant scales

$$m_t \text{ (hard)} \gg \mathbf{p} \sim m_t v \text{ (soft)} \gg E \sim m_t v^2 \text{ (ultrasoft)}$$

Lagrangian (LL)

$$\mathcal{L} = \mathcal{L}_{\text{bilinear}} + \mathcal{L}_{\text{potential}}$$

$$\mathcal{L}_{\text{bilinear}} = \psi_{\mathbf{p}}^\dagger(\mathbf{x}) \left\{ iD^0 - \frac{\mathbf{p}^2}{2m_t} - \delta m_t \right\} \psi_{\mathbf{p}}(\mathbf{x}) + \dots$$

$$\mathcal{L}_{\text{potential}} = -\frac{\mathcal{V}_c(\mu)}{(\mathbf{p}-\mathbf{p}')^2} \psi_{\mathbf{p}'}^\dagger \psi_{\mathbf{p}} \chi_{-\mathbf{p}'}^\dagger \chi_{-\mathbf{p}} + \dots$$

\Rightarrow **Schrödinger equation with Coulomb potential**

$$G^{\text{LL}}(0, 0, \sqrt{s}) = \frac{m_t^2}{4\pi} \left\{ i v - C_F \alpha_s \left[\frac{1}{4\epsilon} + \ln \left(\frac{-i m_t v}{\mu} \right) + \dots \right] \right\}$$